

# Na<sup>+</sup> Current in Human Atrial Myofibroblasts Alters Myocyte Excitability: A Computational Study

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## Abstract

Previous studies have shown that human atrial myofibroblasts can express a Na<sup>+</sup> current ( $I_{Na\_myofb}$ ). This preliminary study aimed to identify the role of  $I_{Na\_myofb}$  integrated in electrotonic myofibroblast-myocyte (myofb-m) coupling on the excitability and repolarization of myocyte and myofibroblast. Mathematical modeling was done using a combination of (1) the Maleckar et al. model of the human atrial myocyte, (2) the MacCannell et al. “active” model of the human cardiac myofibroblast, and (3) our formulation of  $I_{Na\_myofb}$  based upon experimental findings from Chatelier et al. The results showed that (1) for myocytes, the addition of  $I_{Na\_myofb}$  decreased the reductions of the peak of action potential ( $V_{max}$ ) and action potential duration (APD), and increased the degree of resting membrane potential ( $V_{rest}$ ) depolarization as compared to no  $I_{Na\_myofb}$  integrated in myofb-m coupling. (2) for myofibroblasts, more significant electrotonic depolarizations were exhibited with addition of  $I_{Na\_myofb}$ .  $I_{Na\_myofb}$  should be considered in future pathological cardiac mathematical modeling, such as atrial fibrillation and cardiac fibrosis.

## 1. Introduction

Fibroblasts, which represent the most abundant cell type in cardiac tissue, are now accepted as key contributors to development, adaptation, and disease-related remodeling of the heart. In pathological conditions, such as atrial fibrillation and heart failure, fibroblasts proliferate, migrate and differentiate into myofibroblasts and lead to cardiac fibrosis [1]. Since gap junction proteins and voltage gated ion channels have been identified in fibroblasts and myofibroblasts, these cells have not been considered as non-excitable cells. They were proposed to function as a current source and sink when coupled to myocytes [2, 3].

Recent computational studies have investigated effects of electrotonic myofb-m coupling on the excitability and

repolarization of myocyte and myofibroblast. Their simulation results revealed that myofb-m coupling reduced  $V_{max}$ , shortened APD and depolarized  $V_{rest}$  in myocytes [4, 5].

Since fibroblasts and myofibroblasts are involved in cardiac pathological processes, it is necessary to confirm ionic channel expression in these cells. Several K<sup>+</sup> channels and non-selective cationic channels have been identified and been integrated in simulations of myofibroblast [3, 6]. Moreover, it has been reported that myofibroblasts isolated from human atrial tissue expressed Na<sup>+</sup> current and this current was generated by Na<sub>v</sub> 1.5  $\alpha$  subunit [7].

In this study, the mathematical formulation of  $I_{Na\_myofb}$  was developed on the base of previous experimental findings [7], and then  $I_{Na\_myofb}$  was integrated with the MacCannell et al. “active” model of the human cardiac myofibroblast and the Maleckar et al. model of the human atrial myocyte [6, 8]. The number of coupled myofibroblasts and values of intercellular resistance were selected to investigate the effects of  $I_{Na\_myofb}$  on the excitability and repolarization of myocyte and myofibroblast in this cell-cell interaction.

## 2. Materials and methods

### 2.1. Myofb-m coupling

According to [6], the differential equation for the membrane potential of the cell was given by

$$C \frac{dV}{dt} = -I_{ion} + \sum_{k=1}^n G_{gap} (V^k - V), \quad (1)$$

where  $C$  is the membrane capacitance of the myocyte or myofibroblast,  $I_{ion}$  and  $V$  represent the transmembrane current and potential of the myocyte or myofibroblast, respectively,  $n$  is the number of coupled myofibroblasts, and  $G_{gap}$  is the intercellular myofb-m conductance. In these simulations, one and eight myofibroblasts were coupled to a single myocyte by assigning a  $G_{gap}$  which varied between 0.5 and 8 nS in individual simulations.

## 2.2. Model of the human atrial myocyte

The Maleckar et al. model of the human atrial myocyte was used for its computationally efficient and internally consistent [8].

## 2.3. Model of human atrial myofibroblasts

The “active” electrophysiological model of the human atrial myofibroblast was based on the general formulation of MacCannell et al. [6]. According to the experimentally recorded values of myofibroblasts,  $V_{rest}$  and the membrane capacitance were chosen to be -47.8 mV and 6.3 pF, respectively [9].

In order to identify the role of  $I_{Na\_myofb}$  on myocyte and myofibroblast excitability, a mathematical formulation was based upon experimental results from Chatelier et al. [7]. They provided evidence that  $I_{Na\_myofb}$  was generated by the same  $Na_v 1.5$  which produced  $Na^+$  currents in the atria and ventricles of the adult human heart [7]. Therefore, the equation of Luo and Rudy for the fast  $Na^+$  current was applied and modified here to simulate  $I_{Na\_myofb}$  [10]. The formulation was as follows,

$$I_{Na\_myofb} = g_{Na} \times m_{Na} \times j_{Na}^{0.12} \times (V_{myofb} - E_{Na}), \quad (2)$$

where  $g_{Na}$ , the maximum conductance of  $I_{Na\_myofb}$ , was 0.04 nS/pF.  $E_{Na}$  was the Nernst potential for  $Na^+$  ions.  $m_{Na}$  and  $j_{Na}$  were the activation and inactivation parameters, respectively. In order to conform to the experiment data [7],  $j$  was made to be  $j^{0.12}$ . The time dependence was given by

$$\frac{dm_{Na}}{dt} = \frac{m_{Na} - \bar{m}}{\tau_m} \quad (3)$$

and

$$\frac{dj_{Na}}{dt} = \frac{j_{Na} - \bar{j}}{\tau_j}. \quad (4)$$

The steady-state activation and inactivation parameters were given by

$$\bar{m} = \frac{-0.0102 - 1.0063}{1.0 + \exp\left(\frac{V_{myofb} + 42.10}{10.53}\right)} + 1.0063 \quad (5)$$

and

$$\bar{j} = \frac{1.04 - 0.004}{1.0 + \exp\left(\frac{V_{myofb} + 84.82}{9.40}\right)} + 0.004. \quad (6)$$

The functions describing  $\tau_m$  and  $\tau_j$  were given by

$$\alpha_m = \begin{cases} 0.0077 \frac{V_{myofb} + 68.19}{1 - \exp(-0.18(V_{myofb} + 68.19))} \\ 0.0433, \text{ if } V_{myofb} = -68.19 \end{cases} \quad (7)$$

$$\beta_m = 0.004 \exp\left(-\frac{V_{myofb}}{11.98}\right) \quad (8)$$

$$\alpha_j = \begin{cases} \left[ \frac{-14.5 \exp(0.17V_{myofb}) + 1.8 \exp(1.56V_{myofb})}{V_{myofb} + 35.73} \right] \times \\ \frac{1}{1 + \exp[3.31(V_{myofb} + 3.86)]} \\ 0, \text{ if } V_{myofb} \geq -40 \end{cases} \quad (9)$$

$$\beta_j = \begin{cases} 5.05 \times 10^{-5} \frac{\exp(-0.0995V_{myofb})}{1 + \exp[-0.01(V_{myofb} - 84.02)]} \\ 0.11 \frac{\exp(-4.13 \times 10^{-4} V_{myofb})}{1 + \exp[-0.09(V_{myofb} + 42.44)]}, \text{ if } V_{myofb} \geq -40 \end{cases} \quad (10)$$

$$\tau_\phi = (\alpha_\phi + \beta_\phi)^{-1}, \text{ for } \phi = m, j \quad (11)$$

where  $\alpha_\phi$  and  $\beta_\phi$  were the extrapolated rate coefficients.

## 2.4. Simulation protocol and numerical methods

Simulations were carried out with one active myofibroblast coupled to a single atrial myocyte in which  $G_{gap}$  was varied between 0.5 and 8 nS, or with one and eight identical active myofibroblasts coupled to a single atrial myocyte at a constant  $G_{gap}$  of 0.5 nS. To ensure that the coupled system reached steady state, 100 stimuli were applied before recording the values of the coupled cells. All state variables were updated by means of the forward Euler method. The time step was set to be 10  $\mu$ s to ensure numerical accuracy and stability.

## 3. Results

### 3.1. $Na^+$ current in myofibroblasts

Figure 1 shows the steady state activation and inactivation curves, time constants, as well as the peak current-voltage ( $I$ - $V$ ) relationship of  $I_{Na\_myofb}$ . All curves are consistent with the experimental data from Chatelier et al. [7].

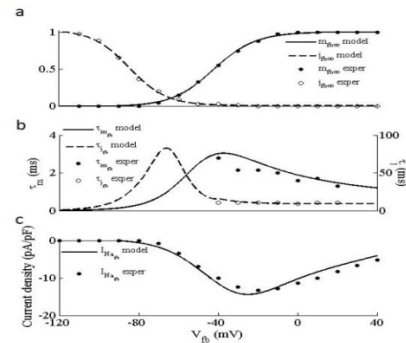


Figure 1. Model representation of parameters describing  $I_{Na\_myofb}$ . (a) Steady state activation (solid line) and inactivation (dash line) curves, (b) gating variable fast (solid line) and slow (dash line) time constants, (c)  $I$ - $V$  relationship (solid line). Experimental data (filled and open circles) from Chatelier et al.

are included for comparison.

### 3.2. Effects of $I_{Na\_myofb}$ on myocyte and myofibroblast

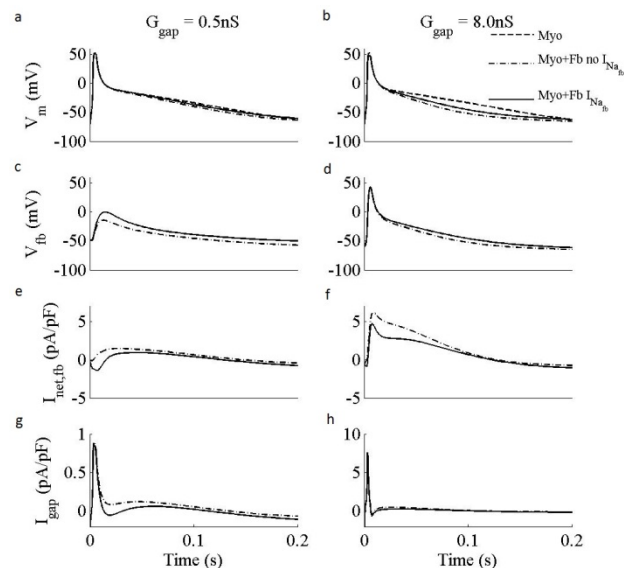


Figure 2. Illustration of changes in the waveform of (a,b) the myocyte action potential, (c,d) myofibroblast membrane potential, (e,f) myofibroblast net transmembrane current, and (g,h) gap junction current, during an atrial action potential with only myocyte (dash line), myofb-m coupling without  $I_{Na\_myofb}$  (chain line) or myofb-m coupling with  $I_{Na\_myofb}$  (solid line), by coupling one active myofibroblast to an atrial myocyte with a  $G_{gap}$  of 0.5 and 8 nS.

Figure 2 shows the effects of  $I_{Na\_myofb}$  on the membrane potential and current of both cells by coupling one active myofibroblast to an atrial myocyte with a  $G_{gap}$  of 0.5 and 8 nS. Whether or not  $I_{Na\_myofb}$  was integrated in the myofibroblast, myofb-m coupling with either  $G_{gap}$  resulted in the reduction of  $V_{max}$  and APD and the depolarization of  $V_{rest}$  in the myocyte, as well as the depolarization in the myofibroblast. However, after addition of  $I_{Na\_myofb}$ , the reduction of  $V_{max}$  and APD in the myocyte has decreased, and the degree of  $V_{rest}$  depolarization has increased (Figure 2a and 2b). For example, with  $G_{gap}$  of 8 nS,  $V_{max}$  was decreased by 8.7% (myofb-m coupling without  $I_{Na\_myofb}$ ) and 8.4% (myofb-m coupling with  $I_{Na\_myofb}$ ) in comparison with the control (only myocyte). APD (90% repolarization) was decreased by 21.4% and 2.7%, respectively.  $V_{rest}$  was increased by 3.8% and 5.6%, respectively. For myofibroblasts, more significant electrotonic depolarizations were exhibited with addition of  $I_{Na\_myofb}$  (Figure 2c and 2d). For example, with  $G_{gap}$  of 0.5 nS,  $V_{max}$  of the myofibroblast was -14.3 mV (without  $I_{Na\_myofb}$ ) and -0.1 mV (with  $I_{Na\_myofb}$ ), respectively (a 14.1% increase).  $V_{rest}$  of the myofibroblast was -61.6 mV (without  $I_{Na\_myofb}$ ) and -52.3 mV (with  $I_{Na\_myofb}$ ), respectively (a 15.2% increase). Figure 2e and

2f demonstrated that integrating  $I_{Na\_myofb}$  in the myofibroblast resulted in the reduction of the net transmembrane current in the collective myofibroblast population ( $I_{net,fb}$ ). Figure 2g and 2f illustrated that the current flowing through the intercellular gap junctions ( $I_{gap}$ ) has fallen slightly with addition of  $I_{Na\_myofb}$ .

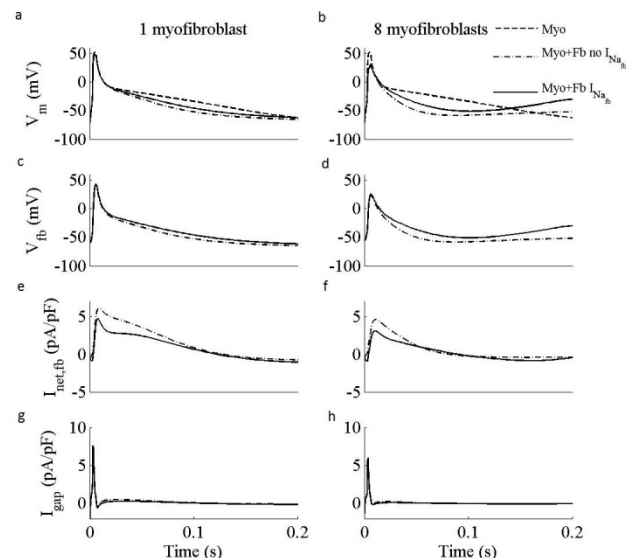


Figure 3. Illustration of changes in the waveform of (a,b) the myocyte action potential, (c,d) myofibroblast membrane potential, (e,f) myofibroblast net transmembrane current, and (g,h) gap junction current, during an atrial action potential with only myocyte (dash line), coupling without  $I_{Na\_myofb}$  (chain line) or coupling with  $I_{Na\_myofb}$  (solid line), by coupling one and eight active myofibroblasts to an atrial myocyte with a  $G_{gap}$  of 8 nS.

Figure 3 shows similar effects of  $I_{Na\_myofb}$  on the membrane potential and current of both cells when  $G_{gap}$  is fixed at 8 nS and the number of coupled myofibroblasts is 1 and 8. Integrating  $I_{Na\_myofb}$  into the myofibroblast resulted in smaller reduction in  $V_{max}$  and APD for the myocyte, and greater depolarization in  $V_{rest}$  for both cells.  $I_{net,fb}$  and  $I_{gap}$  have fallen down in comparison with the situation of myofb-m coupling without  $I_{Na\_myofb}$ . When the number of coupled myofibroblasts became greater, the above effects were more significant.

## 4. Discussion

In this study, we developed a mathematical formulation of  $I_{Na\_myofb}$  and integrated it into the active myofibroblast model. The simulations provide novel insights into the roles of  $I_{Na\_myofb}$  on the excitability and repolarization of myocyte and myofibroblast.

Chatelier et al. used a double exponential function to fit the time courses of current decay elicited at depolarized voltages [7]. Here, we used a multiple parameter exponential function modeled after the equation of time courses by Luo and Rudy [10] because

of the evidence that electrophysiological properties of  $I_{Na\_myofb}$  were similar to those of sodium channels found in cardiac myocytes [7, 11].

Comparing to the results from Koivumaki et al. [12], our simulations have shown significant effects of  $I_{Na\_myofb}$  on the excitability and repolarization of myocyte and myofibroblast. Unlike the reasoning that  $I_{Na\_myofb}$  might be inactive when  $V_{rest}$  of myofibroblasts was -35 or -65 mV [12],  $I_{Na\_myofb}$  in our simulation was activated during an atrial action potential. Moreover, the effects that  $I_{Na\_myofb}$  decreased the reductions of  $V_{max}$  and APD and increased the degree of  $V_{rest}$  depolarization in myocytes would be expected to change diastolic  $Ca^{2+}$  levels and conduction velocity.

A major limitation of the mathematical modeling is that, the influence of homologous coupling between adjacent myofibroblasts is not considered. Because myofibroblasts can form conduction bridges between myocyte bundles and introduce nonlinearity into the coupled model to alter the electrophysiological properties of the coupled myocyte, coupling between myofibroblasts may be important in tissue modeling [8, 13]. Besides, the influence of stretch activated ionic channels in myocytes and myofibroblasts is not considered, which can alter cardiac electrical activity by the mechanoelectric feedback [14].

## 5. Summary

In conclusion, the formulation of  $I_{Na\_myofb}$  has been developed and integrated in myofb-m coupling. The simulation results suggest that the addition of  $I_{Na\_myofb}$  decrease the reductions of  $V_{max}$  and APD and increase the degree of  $V_{rest}$  depolarization in myocyte, and exhibit more significant electrotonic depolarizations in myofibroblasts. The effect proves that  $I_{Na\_myofb}$  should be considered in future pathological cardiac mathematical modeling, such as atrial fibrillation and cardiac fibrosis.

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