



# A Center Frequency Calibration Technique for Ring VCO Exploiting Delay<sup>-1</sup> Detection

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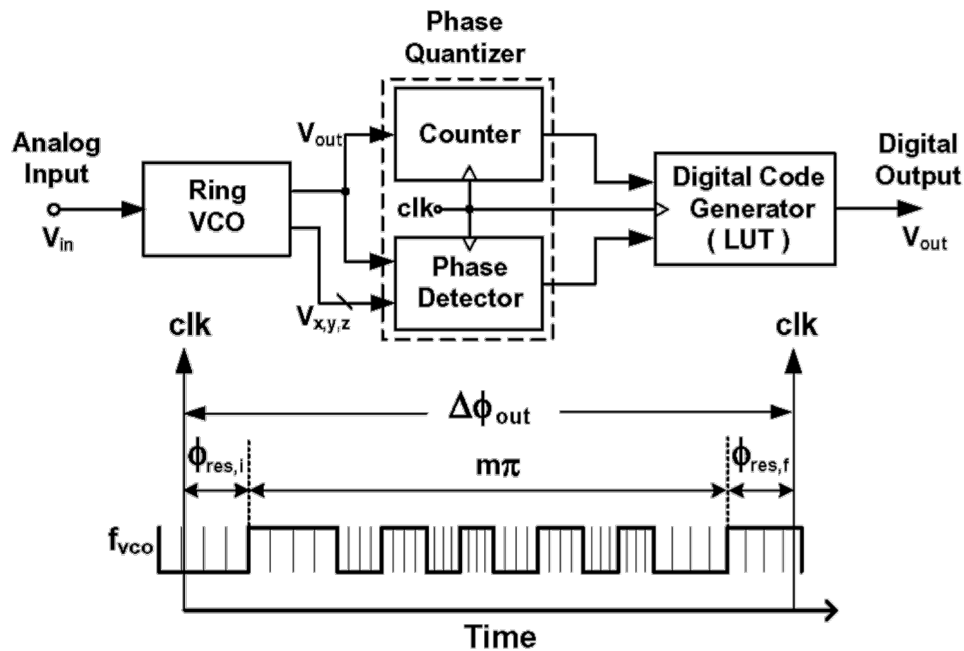
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# Motivation——VCO-based ADC

- **Benefits from a VCO-based quantization process**
  - Higher resolution
  - Immune to DAC mismatch error
- **Performance degradation due to a PVT-sensitive ring VCO**
  - Tuning gain variation: conversion gain variation
  - **Center frequency variation: offset → loss of DR & saturation problem**
- **Approaches to solve the problem caused by center frequency variation**
  - Using counters
  - Calibration based on the replica signal paths or replica-VCOs

# Review of previous arts

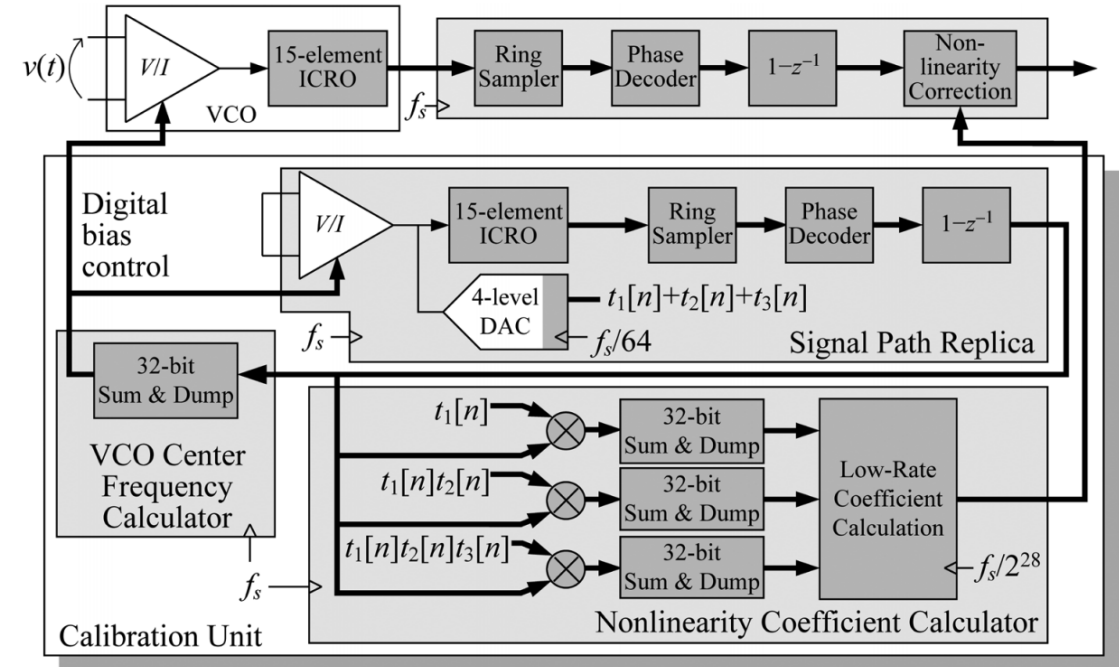
## • Using counters



[J. Kim, ISCAS'2006]

- Immune to center frequency variation ☺
- High-speed sampling ☹

## • Calibration based on replicas



[G. Taylor, JSSC'2010]

- Center frequency calibration ☺
- Hardware consumption ☹

# Proposed calibration technique

- Oscillation frequency of an ideal VCO:  $f_{\text{out, ideal}} = f_{\text{c, ideal}} + k_{\text{VCO}} \cdot (V_{\text{inp}} - V_{\text{inm}})$
- Oscillation frequency of an actual VCO:  $f_{\text{out}} = (f_{\text{c, ideal}} + \Delta f_{\text{c}}) + k_{\text{VCO}} \cdot (V_{\text{inp}} - V_{\text{inm}})$  ← deviation of the center frequency

- Driving the VCO with a reverse signal:  $f_{\text{out, reverse}} = (f_{\text{c, ideal}} + \Delta f_{\text{c}}) + k_{\text{VCO}} \cdot (V_{\text{inm}} - V_{\text{inp}})$
- Calculating the deviation of the center frequency by:

$$\Delta f_{\text{c}} = \frac{f_{\text{out}} + f_{\text{out, reverse}}}{2} - f_{\text{c, ideal}} \quad \leftarrow \text{Detection using } f_{\text{out}}$$

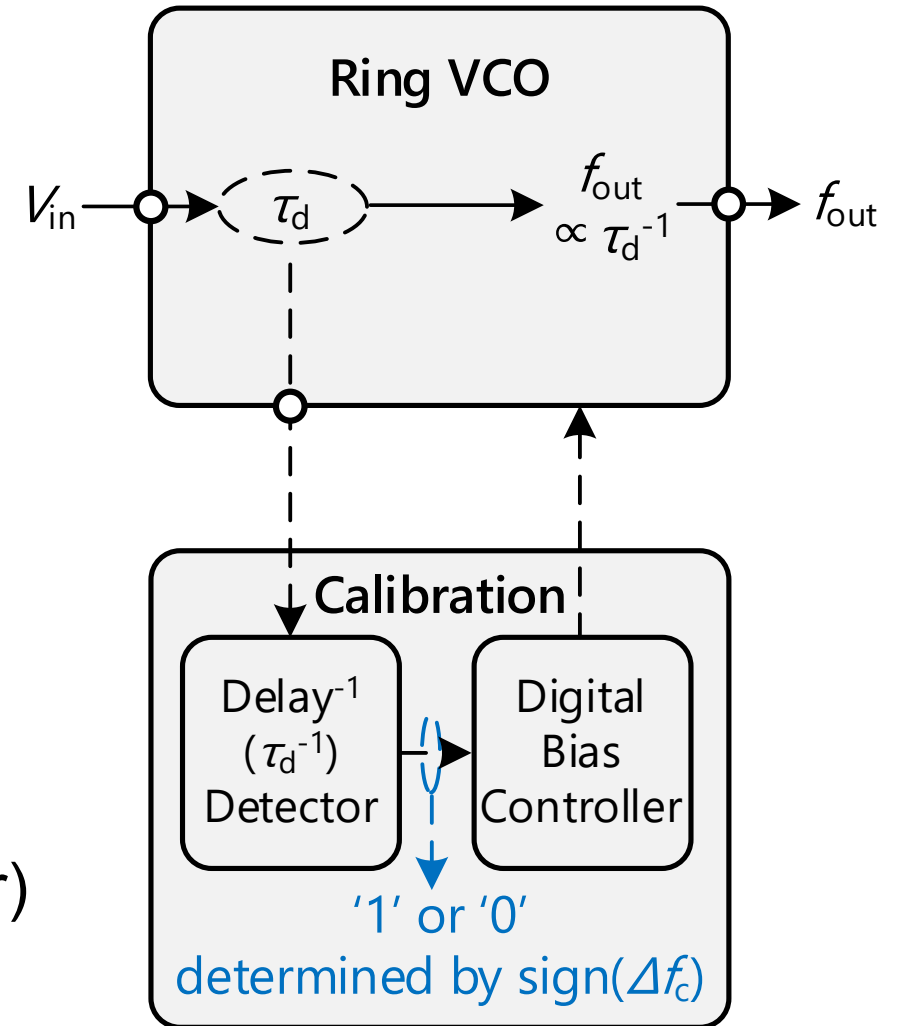
- Utilizing the relation between  $f$  and  $\tau$ :

$$\Delta f_{\text{c}} = \frac{1}{2} \cdot \left( \frac{1}{2N \cdot \tau_{\text{d}}} + \frac{1}{2N \cdot \tau_{\text{d, reverse}}} \right) - f_{\text{c, ideal}} \quad \leftarrow \text{Detection using } \tau_{\text{d}}$$

**Either  $\tau_{\text{d}}$  or  $f_{\text{out}}$  can be used for calibration!**

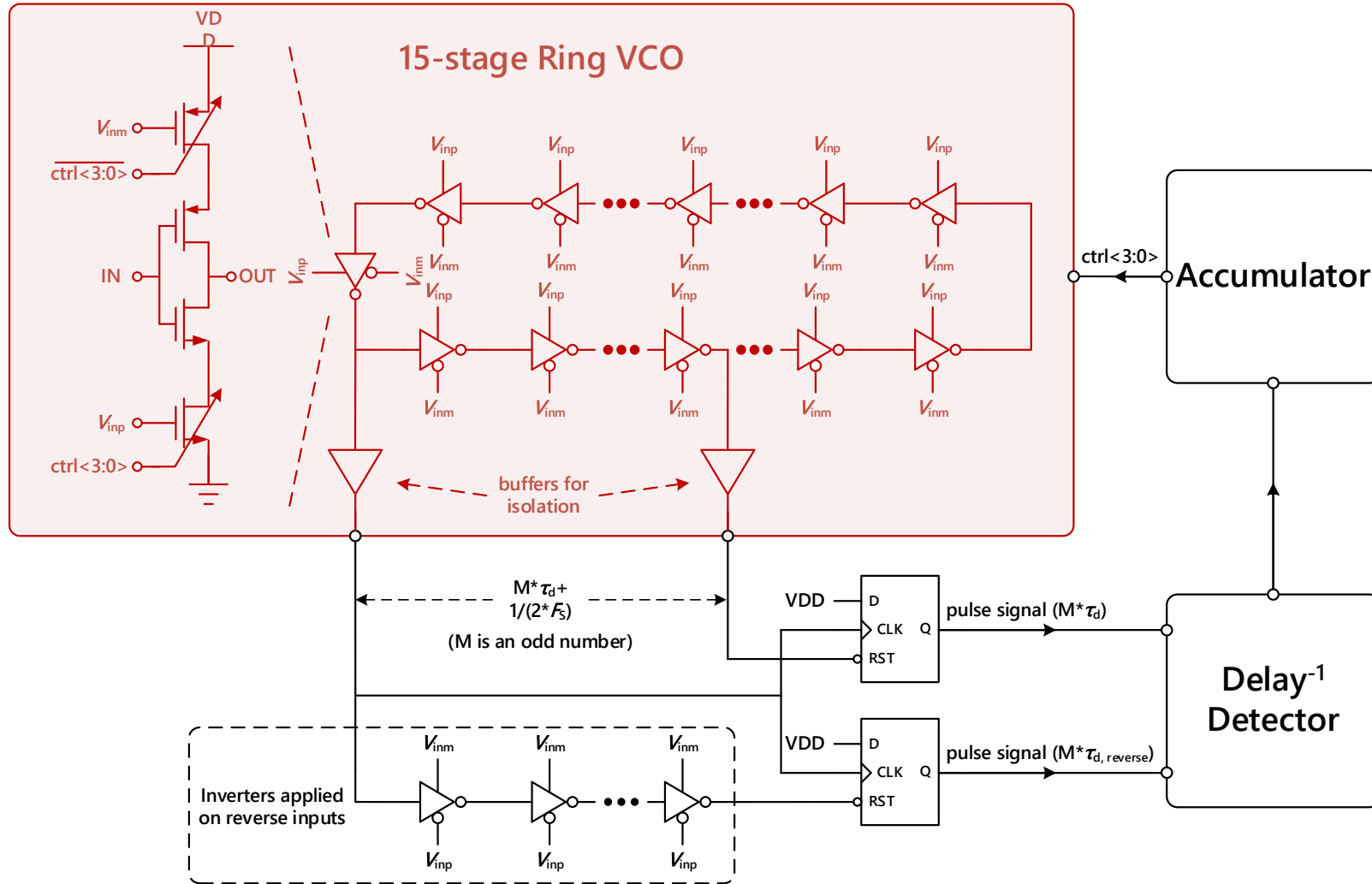
# Proposed calibration technique

- **Two kinds of information in ring VCOs**
  - $\tau_d$ : generated by several delay cells
  - $f_{out}$ : generated by a complete VCO
- **Calibration using  $\tau_d$** 
  - **Effective**  
(well-defined relation between  $\tau_d$  and  $f_{out}$ )
  - **Hardware-efficient** (no replica-VCOs)
- **Two-step calibration**
  - Detection of  $\Delta f_c$  (achieved by delay<sup>-1</sup> detector)
  - Correction (achieved by digital bias)





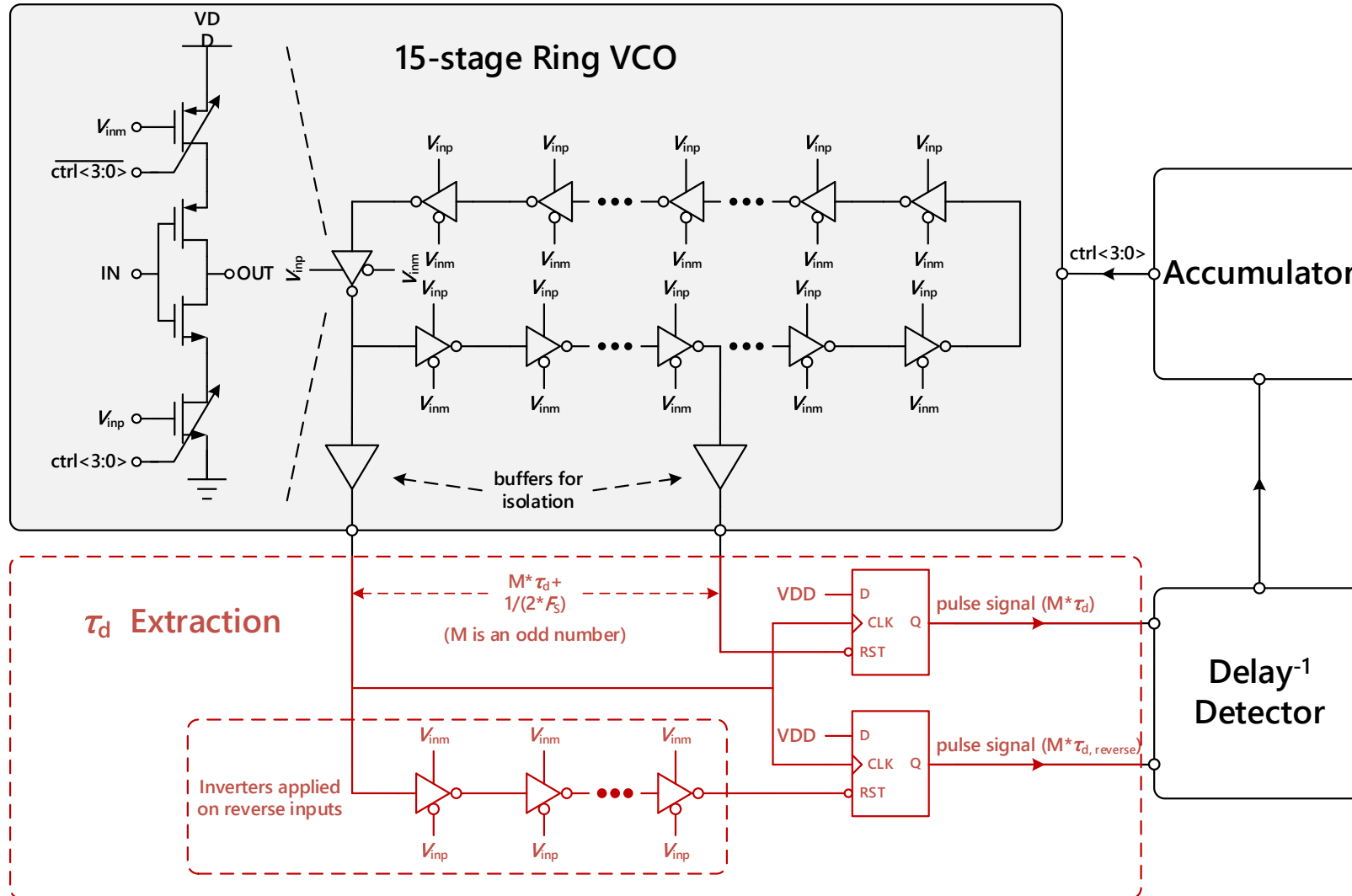
# Ring VCO with the proposed calibration



- **15-stage ring VCO**
  - Digital-biased tunable  $f_c$
  - Output buffers for each stage
- **$\tau_d$  extraction**
- **Delay<sup>-1</sup> detector**
- **Accumulator**

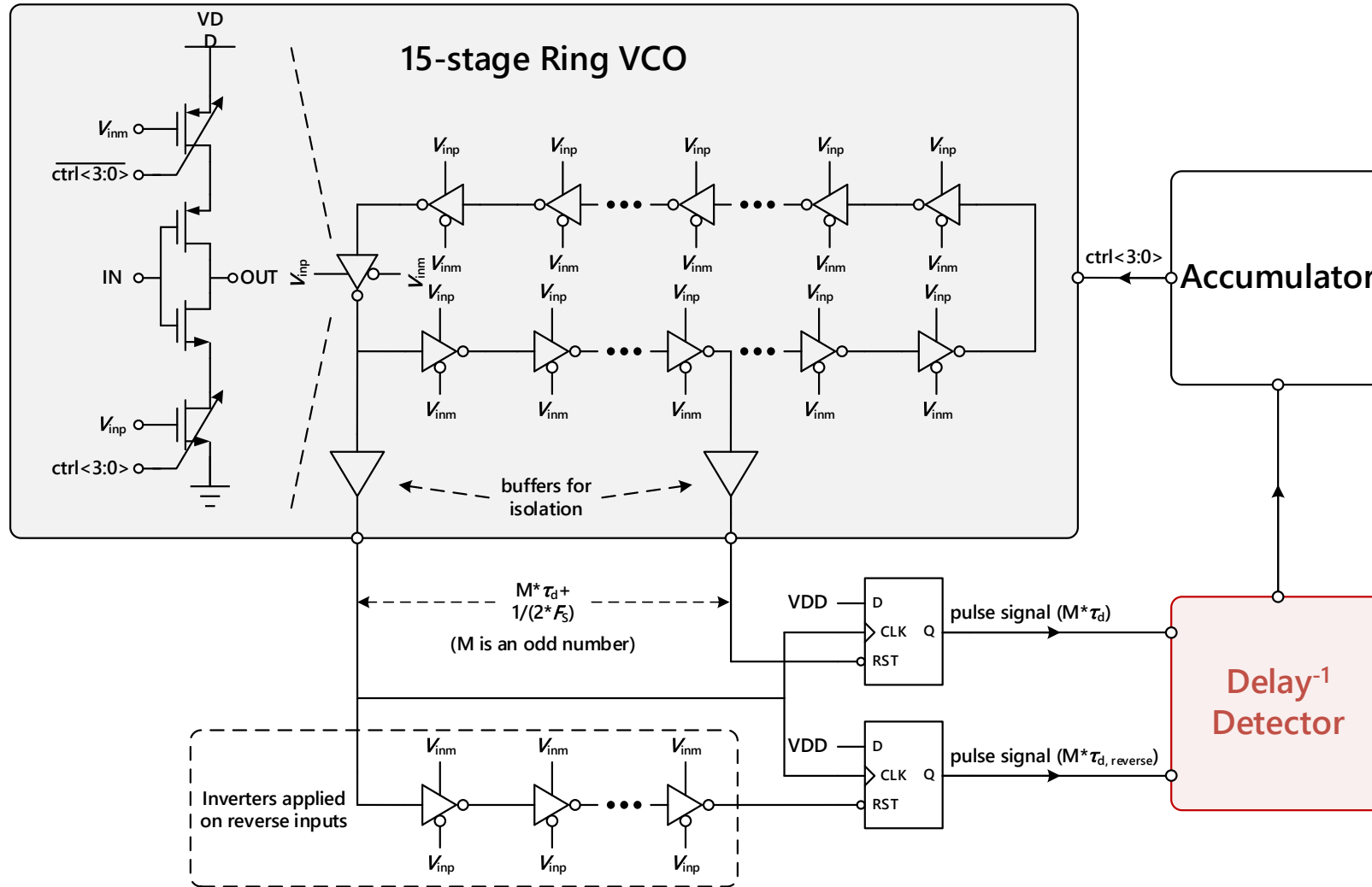


# Ring VCO with the proposed calibration



- 15-stage ring VCO
- $\tau_d$  extraction
  - Only employs replica-inverters
  - Multi- $\tau_d$  for higher resolution
- Delay<sup>-1</sup> detector
- Accumulator

# Ring VCO with the proposed calibration



- 15-stage ring VCO
- $\tau_d$  extraction
- Delay<sup>-1</sup> detector
  - Detecting using pulse signals
  - Detecting the  $\tau_d^{-1}$  indirectly
- Accumulator



# Proposed indirect delay<sup>-1</sup> detection

- Challenges
  - Avoiding division operations

- Reference generator

$$V_{\text{out, normal}} = \frac{MI_{\text{ref}}}{C_{\text{ref}}} \cdot \tau_d$$

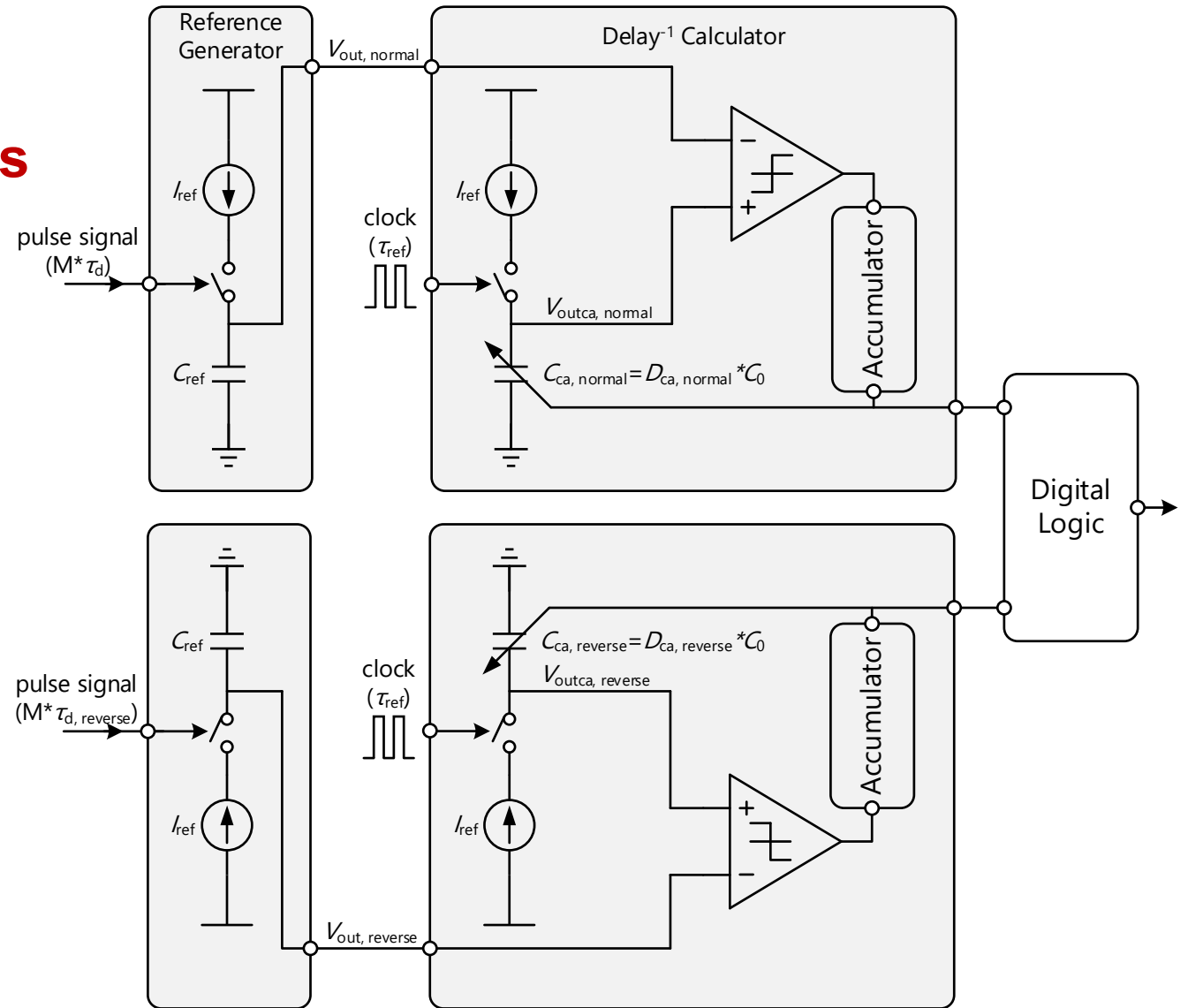
- Producing equal voltage

$$V_{\text{outca, normal}} = \frac{I_{\text{ref}}}{C_{\text{ca, normal}}} \cdot \tau_{\text{ref}}$$

$\tau_d^{-1}$  is represented by a digital code

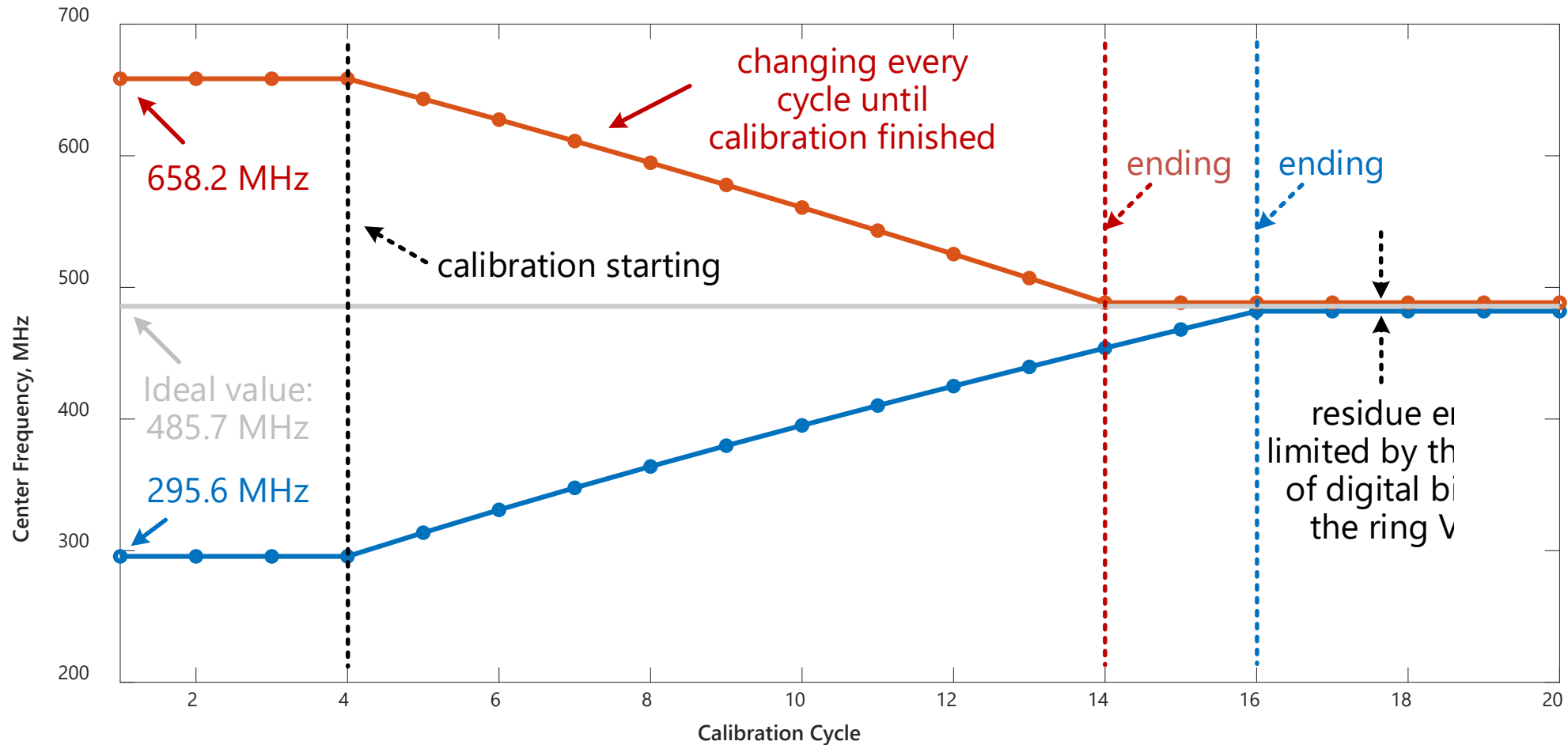
$$C_{\text{ca, normal}} = \frac{C_{\text{ref}} \cdot \tau_{\text{ref}}}{M \cdot \tau_d}$$

$$D_{\text{ca, normal}} = \frac{C_{\text{ref}} \cdot \tau_{\text{ref}}}{M \cdot C_0 \cdot \tau_d}$$



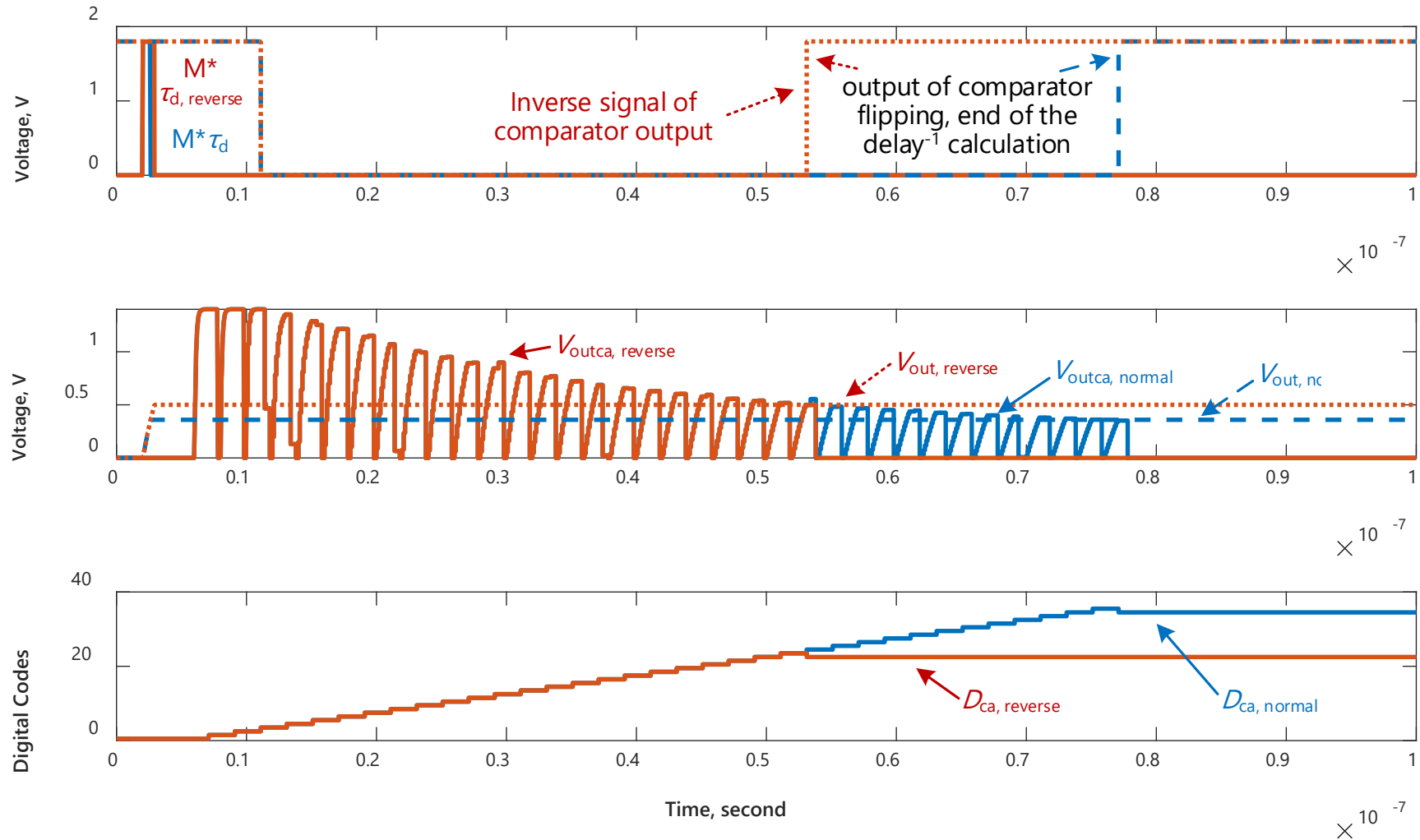
# Simulation results—a 15-stage ring VCO in 180nm CMOS

- Correction process of the deviated center frequency



# Simulation results—a 15-stage ring VCO in 180nm CMOS

- Signals in the delay-1 detector in one calibration cycle



# Conclusion

- **A center frequency calibration technique is proposed for ring VCO**
  - Only delay information is employed
  - No replica-VCOs or signal paths
  - Calibration by applying reverse signals
  - High hardware-efficiency
- **An indirect delay<sup>-1</sup> detection method**
  - Avoiding complex division operation
  - Detecting exploiting a reference clock and a comparator
- **A 15-stage ring VCO in 180nm CMOS with the proposed calibration**
  - Deviated center frequency is corrected step by step