

Response to the Referee 1 for the Manuscript gmd-2021-333  
“**Optimization of Snow-Related Parameters in Noah Land Surface  
Model (v3.4.1) Using Micro-Genetic Algorithm (v1.7a)**”  
by Sujeong Lim, Hyeon-Ju Gim, Ebony Lee, Seungyeon Lee, Won Young Lee,  
Yong Hee Lee, Claudio Cassardo, and Seon Ki Park

*The manuscript “Optimization of Snow-Related Parameters in Noah Land Surface Model (v3.4.1) Using Micro-Genetic Algorithm (v1.7a)” by Lim et al. addresses an important problem of model tuning/optimization. However, the results are not very encouraging, it shows very small improvements. Moreover, the manuscript seriously lacks in its analysis/validation part. Authors should come up with more results/analysis to claim substantial improvements in their method. The following are the comments, which may improve the manuscript.*

⇒ We appreciate the valuable and constructive comments, which helped us improve the quality of the manuscript. We have included more analysis/validation to enhance the results. Unfortunately, we found that there was a mistake when we simulated some stations (urban and built-up lands (UB) in OPT\_5 and cropland (CL) in OPT\_6), thus we corrected the statistical values in the manuscripts. An item-by-item response to the comments is provided below.

1. *The improvements looks very small compare to the existing mean bias (table 4). The improvement ratio (equation 7), a metric used here gives an impression of big improvement, but in reality it is not so. For an example, improvement of RMSE from 6 to 5 will show about 16.5% improvements, but RMSE of 5 is still big. Statistically how significant are these improvements? Pls put significance level.*

⇒ We agree the improvement ratio may emphasize itself, even for the small changes. Nevertheless, the improvement ratio helps to objectively determine how much change has occurred in the value. To recognize the original magnitude of them, we included the RMSE value of CNTL in the caption of Table [R1 \(Table 4 in the revised manuscript\)](#) below. In addition, the CNTL and OPTM (e.g., OPT\_5 and OPT\_6) experiments exhibit statistically significant linear relationships in the 95 % significance level. We have added this description in the caption of Table [R1 \(Table 4 in the revised manuscript\)](#) in the revised manuscript.

Table R1 (Table 4 in the revised manuscript): Improvement ratio (%) in RMSE, coefficient of determination ( $R^2$ ), and mean bias (MB) of snow variables from CNTL to OPT\_5, and OPT\_6 over the ten representative stations. The statistic values in CNTL are following: RMSE is 0.270 for FSC, 0.155 for SA, and 10.599 for SD;  $R^2$  is 0.219 for FSC, 0.183 for SA, and 0.806 for SD; MB is -0.107 for FSC, 0.0513 for SA and -5.38 cm for SD. The CNTL and OPTM (e.g., OPT\_5 and OPT\_6) experiments exhibit statistically significant linear relationships at the 95 % significance level.

EXP	OPT_5			OPT_6		
Snow Variable	FSC	SA	SD	FSC	SA	SD
RMSE	1.3 %	6.7 %	13.8 %	6.5 %	8.5 %	17.7 %
$R^2$	3.1 %	-2.4 %	1.6 %	16.4 %	-0.2 %	3.0 %
MB	-31.8 %	28.5 %	40.9 %	-19.6 %	32.6 %	45.1 %

2. *I would be interested to see some more graphical representations of analysis, rather than many statistical number presented here. There are so many numbers/numerical values mentioned in the manuscript (particularly the results). It is very hard to recognise changes in the box plot (Figure 4), as the improvements are really minute.*

⇒ We agree that the additional graphical representations are necessary to easily understand the changes between CNTL and OPTM experiments. Thus, we have included the scatter plots for the observation and simulation results with the RMSE and  $R^2$  to help to understand Figure 4 (Figure R1 (Figure 5 in the revised manuscript) below). Since the observation patterns are different for different stations, we selected the representative station as for each land cover type: Ulleungdo (UL) for deciduous broadleaf forest (DBF), Gumi (GM) for mixed forest (MF), Bukgangneong (NG) for woody savanna (WS), Boryeong (BR) for cropland (CL), and Seoul (SL) for urban and built-up lands (UB). Firstly, the overall fractional snow cover (FSC) relatively are hard to recognize the explicit bias patterns in the scatter plots; however, GM in MF shows increasing FSC to solve the underestimated problems. Most statistics indicate the improved RMSE and  $R^2$  from the CNTL to OPT\_5 and additionally improved in OPT\_6. Secondly, snow albedo (SA) is overestimated in CNTL and it is reduced in OPT\_5 and OPT\_6. For instance, UL in DBF shows decreasing SA in OPT\_5 and following OPT\_6. Lastly, snow depth (SD) is optimized using the hourly in-situ observations (i.e., more data), and hence shows remarkable improvement compared to FSC and SA, both using the daily satellite observations. Most stations have recovered the under-estimated SD with decreasing RMSE and increasing  $R^2$ . We include related descriptions in L330-345 (written in blue fonts) with Fig. R1 (Figure 5 in the revised manuscript).

“To understand more details of the improvements due to the optimization, we analyzed the scatter plots of observations versus model results along with the values of RMSD and  $R^2$  (Figure 5). Since the observation patterns differ depending on their stations, we selected the representative station for each land cover type: Firstly, the overall FSC relatively is hard to recognize the explicit bias patterns in the scatter plots (Fig. 5(a), (d), (g), (j), and (m)); however, statistics indicate the improved RMSE from the CNTL to OPT\_5 and additionally improved in OPT\_6. As for the  $R^2$ , most stations show the largest value in OPT\_6 except the NG for WS and BR for CL. In particular, GM in MF shows increasing FSC in OPT\_6 to solve the underestimated problems with the best RMSE and  $R^2$ . Secondly, SA is overestimated in CNTL, and it is reduced in OPT\_5 and OPT\_6. For instance, UL in DBF shows decreasing SA in OPT\_5 and following OPT\_6 (Fig. 5(b)); it also shows the best RMSE and  $R^2$  performance. Most stations show the smallest RMSE in OPT\_6 and a larger  $R^2$  in OPT\_5 or OPT\_6 (Fig. 5(b), (e), (h) and (k)); however, SL in UB was deteriorated RMSE and  $R^2$  after optimization (Fig. 5(n)). Lastly, SD is optimized using the hourly in-situ observations (i.e., more data) and hence shows remarkable improvement compared to FSC and SA, both using the daily satellite observations. For example, UL in DBF results in a notable increase in the underestimated SD with the lowest RMSE and the highest  $R^2$  (Fig. 5(c)). It is hard to say which optimization experiment has the best results, but the optimization performance is usually better than CNTL in terms of RMSD (e.g., UL for DBF, GM for MF, NG for WS, SL for UB) and  $R^2$  (e.g., UL for DBF, GM for MF, and BR for CL). As a result, most stations in OPT\_5 and OPT\_6 are generally closer to observations than CNTL, and OPT\_6 leads the lowest RMSE and the highest  $R^2$  in all snow-related variables.”

3. *Pls write what is shown in the y-axis in Figure 4*

⇒ We added the y-axis information (Fig. [R2 \(Figure 4 in the revised manuscript\)](#)) as follows: (a) FSC bias, (b) SA bias, and (c) SD bias (cm). The wrong maximum and mean value of each bias in OPT\_5 and OPT\_6 have been corrected in the caption.

4. *I found the validation part of the manuscript is very weak. Perhaps you need to do more simulations/analysis to establish that your optimization method works better than the default model.*

⇒ We prepared additional analyses with the scatter plots for snow variables (Fig. [R1 \(Figure 5 in the revised manuscript\)](#)), as mentioned in #2 above, and the time series of secondary variables (e.g., soil temperature, soil moisture, and sensible heat flux) through the snow optimization (Fig. [R3 \(Figure 6 in the revised manuscript\)](#) with L346-354 (blue fonts below)).

“Lastly, we have investigated how the optimized snow parameters can effect on the other variables in LSM. Figure 6 is the time series of the

differences of LSM variables (e.g., soil temperature, sensible heat flux, and soil moisture) between OPT\_6 and CNTL (i.e., OPT\_6 minus CNTL) following SD changes. Although they are not directly optimized, they respond to the optimized snow parameters through associated physical processes. For example, soil temperature in the first soil layer (7 cm) increases as SD increases after optimization, which consequently increases sensible heat flux. The residual of surface energy balance is close to zero (not shown), implying that the surface energy balance is well conserved even after optimization. Soil moisture depends on snow melt, following the trend of increased snowfall in the previous winter. Extreme fluctuations sometimes appear in the time series analyses due to nonlinear effects, but we can understand the overall tendency according to the increased SD in the land surface.”

As the off-line Noah LSM is one-dimensional, it requires lots of computing time for simulations and verifications at all the grid points. We plan to address more stations in our further study. Moreover, we also plan to optimize the Noah LSM in a coupled land-atmosphere prediction system to produce two-dimensional data in one model run. These explanations have added in the revised manuscript (L370-371; L379-384).

“As the further study, the online Noah LSM can help to include more observation stations by covering the all grid points over SK.”

“Based on the encouraging optimization results in the off-line Noah LSM, we plan to optimize the Noah LSM in a coupled land-atmosphere prediction system. The online Noah LSM can produce a spatial distribution of model variables over the land surface, which allows a two-dimensional assessment of model performance. We anticipate the optimized snow parameters can lead to positive effects on the atmospheric variables through the changes of heat fluxes as well as snow variables in Noah LSM. As a result, we can identify how optimal parameters are appreciated in SK in terms of both horizontal and vertical distributions. In addition, our coupled system of micro-GA and Noah LSM can be utilized to optimize other parameters in Noah LSM.”

5. *In several previous studies it has been shown that improvement or incorporation of real physical processes, such as discrete treatment of snow layer, more realistic snow physics significantly improves simulation of snow (e.g., Niu et al., 2011; Saha et al., 2017). Does your optimization fares better than above?*

⇒ We agree with the reviewer that some previous studies have improved snow simulation through more realistic physical parameterization [1] or discrete treatment of snow layer [2]. We can develop more realistic parameterization schemes and make improvement in the model performance; however, those scheme are still under uncertainty, especially in parameter values. Moreover, the model performance by more realistic parameter-

ization scheme may significantly improve in one region but it may less significantly improve or even deteriorate in other places, due to uncertainties in parameter values. *Parameter estimation* is not competing with the development of more realistic physical parameterization; it is rather an effort to further improve the model performance by reducing uncertainty in pre-existing parameterization schemes by optimizing the parameter values inside the schemes based on the observational data that reflect local characteristics. If the employed parameterization scheme has less uncertainty, improvement by parameter estimation on that scheme may not be significant; if the scheme has large uncertainty in parameter values, parameter estimation may bring about prominent improvement in the scheme’s performance. Therefore, we believe that development of more realistic physical parameterization scheme, followed by appropriate parameter estimation, will create a strong synergy between them that results in higher model performance, as indicated in [3]. We have added these explanations in the revised manuscript (L359-364).

“This parameter estimation is an effort to further improve the model performance by reducing uncertainty in pre-existing parameterization schemes by optimizing the parameter values inside the schemes based on the observational data that reflect local characteristics to improve snow simulation. If the employed parameterization scheme has less uncertainty, improvement by parameter estimation on that scheme may not be significant; if the scheme has large uncertainty in parameter values, parameter estimation may bring about prominent improvement in the scheme’s performance.”

6. *Apart from RMSE, authors may also show any improvements in the correlation skill*

⇒ We included the coefficient of determination ( $R^2$ ), which measures the proportion of variation for a dependent variable that can be explained by an independent variable, in Table [R1 \(Table 4 in the revised manuscript\)](#). Like the RMSE, the  $R^2$  of FSC and SD also improved in OPTM. The SA was weakly worsened in OPT\_5, but it was almost recovered to the CNTL in OPT\_6. The related explanations have contained in the revised manuscript (L294-296; L311-312; L328-329).

“The performance has been evaluated using the improvement ratio, which indicates how much the RMSE, MB, and coefficient of determination ( $R^2$ ) of optimized experiments (i.e., OPT\_5, OPT\_W, and OPT\_6) is improved compared to CNTL, as shown in Eq. (7) (Table 4).”

“We also investigated the  $R^2$ , which measures the proportion of variation for a dependent variable that can be explained by an independent variable. As a result, the OPT\_5 improves the 3.1 % and 1.6 % for FSC and SD while deteriorates 2.4 % for SA.”

“Like the RMSE, the  $R^2$  of FSC and SD also improved in OPT\_5 and OPT\_6. The SA worsened in OPT\_5 was almost recovered to the CNTL in OPT\_6.”

7. *How the seasonal cycle of snow parameters looks like (model vs observations)? Do you see improvements there also ?*

⇒ Snow parameters do not have the observations; thus, it is impossible to compare the snow-related parameters between model and observations. In addition, the snow is found over South Korea only in the wintertime, so it is hard to identify the seasonable cycle of snow parameters in our study.

8. *What are the effects of optimized model on skin and sub-surface temperature, soil moisture, surface energy balance etc?*

⇒ We investigate the responses of secondary variables due to optimization of snow parameter (Fig. R3 (Figure 6 in the revised manuscript)). We bring the results of UL in DBF which shows enhancements on all of snow variables in Fig. R1 (Figure 5 in the revised manuscript). Increased SD warms the soil temperature in the first soil layer (7 cm) through the land surface insulative response, resulting in larger sensible heat flux. The residual of the surface energy balance equation gets close zero, thus the surface energy balance is conserved after optimization (Figure is not shown). Finally, the soil moisture depends on the snow melt, hence it follows the increased snowfall in the previous winter. Because this is an hourly data, extreme fluctuations sometimes appear in the time series analyses, but we can understand the overall tendency from the increased SD. The related descriptions are added in the revised manuscript (L346-354, blue fonts below).

“Lastly, we have investigated how the optimized snow parameters can effect on the other variables in LSM. Figure 6 is the time series of the differences of LSM variables (e.g., soil temperature, sensible heat flux, and soil moisture) between OPT\_6 and CNTL (i.e., OPT\_6 minus CNTL) following SD changes. Although they are not directly optimized, they respond to the optimized snow parameters through associated physical processes. For example, soil temperature in the first soil layer (7 cm) increases as SD increases after optimization, which consequently increases sensible heat flux. The residual of surface energy balance is close to zero (not shown), implying that the surface energy balance is well conserved even after optimization. Soil moisture depends on snow melt, following the trend of increased snowfall in the previous winter. Extreme fluctuations sometimes appear in the time series analyses due to nonlinear effects, but we can understand the overall tendency according to the increased SD in the land surface.”

9. *As mentioned in the beginning, the ultimate goal is to improve forecast of snow over SK, I believe all-grid point simulation (gridded) would be a better strategy to really demonstrate the usefulness of this method.*

⇒ We fully agree with the reviewer. As mentioned in #4 above, running the off-line Noah LSM over all grid points requires a large amount of

computational time. Thus, we have sampled representative stations in this study for effective optimization. Following the reviewer’s suggestion, we will do simulations over all the grid points in our further study. Based on the promising results using the off-line Noah LSM, we have a plan to optimize the Noah LSM in a coupled land-atmosphere prediction system (e.g., Weather Research and Forecasting (WRF)-Noah LSM). While the off-line Noah LSM is a one-dimensional column model, the Noah LSM coupled to WRF is able to simulate the two-dimensional features with prescribed spatial resolution. Moreover, it can interact with not only the multiple soil layers but also the atmospheric layers. As a further study, we anticipate the optimized snow parameters can lead to forecast improvement in the atmospheric variables through the changes of heat fluxes as well as snow variables in the LSM. These explanations have included in the revised manuscript (L379-384).

“Based on the encouraging optimization results in the off-line Noah LSM, we plan to optimize the Noah LSM in a coupled land-atmosphere prediction system. The online Noah LSM can produce a spatial distribution of model variables over the land surface, which allows a two-dimensional assessment of model performance. We anticipate the optimized snow parameters can lead to positive effects on the atmospheric variables through the changes of heat fluxes as well as snow variables in Noah LSM. As a result, we can identify how optimal parameters are appreciated in SK in terms of both horizontal and vertical distributions. In addition, our coupled system of micro-GA and Noah LSM can be utilized to optimize other parameters in Noah LSM.”

## References

- [1] Niu, G.-Y., et al.: The community Noah land surface model with multiparameterization options (Noah-MP): 1. Model description and evaluation with local-scale measurements, *J. Geophys. Res.*, 116, D12109, doi:10.1029/2010JD015139, 2011.
- [2] Saha, S. K., Sujith K., Pokhrel S., Chaudhari H. S., and Hazra A.: Effects of multilayer snow scheme on the simulation of snow: Offline Noah and coupled with NCEP CFSv2, *J. Adv. Model. Earth Sy.*, 9, 271-290, doi:10.1002/2016MS000845, 2017.
- [3] Duan, Q., Di, Z., Quan, J., Wang, C., Gong, W., Gan, Y., Ye, A., Miao, C., Miao, S., Liang, X., and Fan, S.: Automatic Model Calibration: A New Way to Improve Numerical Weather Forecasting, *Bull. Am. Meteorol. Soc.*, 98, 959-970, 2017.

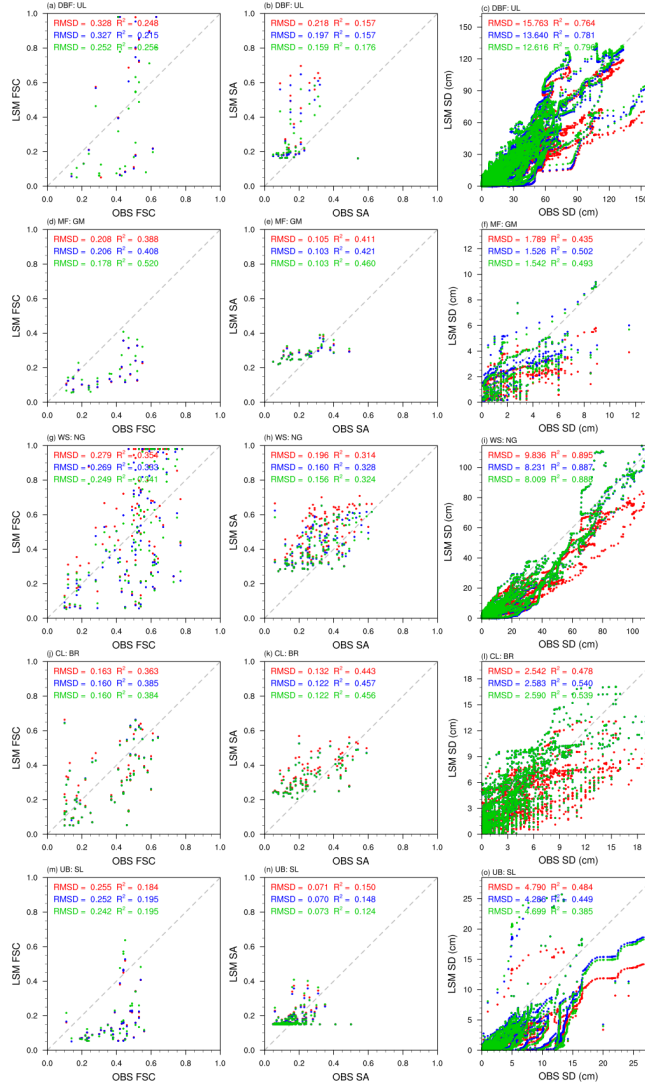


Figure R1 (Figure 5 in the revised manuscript): Scatter plots for the observation (OBS) and land surface model (LSM) results: CNTL (red), OPT\_5 (blue) and OPT\_6 (green). The representative station in each land cover type are analyzed such as (a)-(c) DBF: UL, (d)-(f) MF: GM, (g)-(i) WS: NG, (j)-(l) CL: BR, (m)-(o) UB: SL. From the left to right panels, they are the FSC, SA, and SD (cm). Compared to observations, the statistics (e.g., RMSE and R<sup>2</sup>) in each experiment are indicated in each panel.



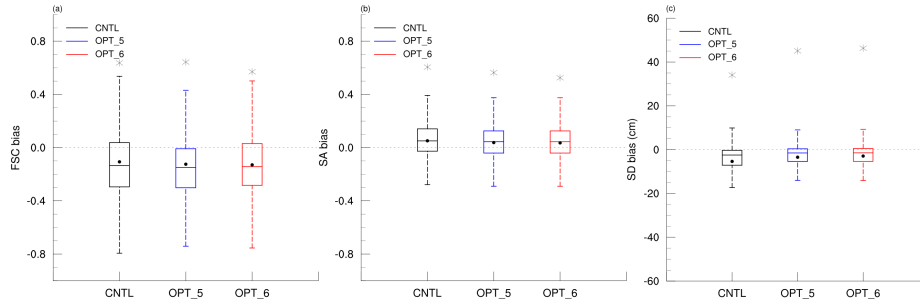


Figure R2 (Figure 4 in the revised manuscript): Box plots of (a) FSC bias, (b) SA bias, and (c) SD bias (cm) for CNTL, OPT\_5 and OPT\_6. The maximum differences are indicated with the black star symbol (e.g., 0.637 (CNTL), 0.643 (OPT\_5), 0.570 (OPT\_6) for FSC, 0.605 (CNTL), 0.563 (OPT\_5), and 0.525 (OPT\_6) for SA, and 34.1 cm (CNTL), 45.1 cm (OPT\_5), and 46.3 cm (OPT\_6) for SD). Each mean of snow variables is indicated as a black circle (e.g., -0.107 (CNTL), -0.125 (OPT\_5), and -0.130 (OPT\_6) for FSC, 0.0513 (CNTL), 0.0381 (OPT\_5), and 0.0359 (OPT\_6) for SA, and -5.38 cm (CNTL), -3.46 cm (OPT\_5), and -2.93 cm (OPT\_6) for SD).

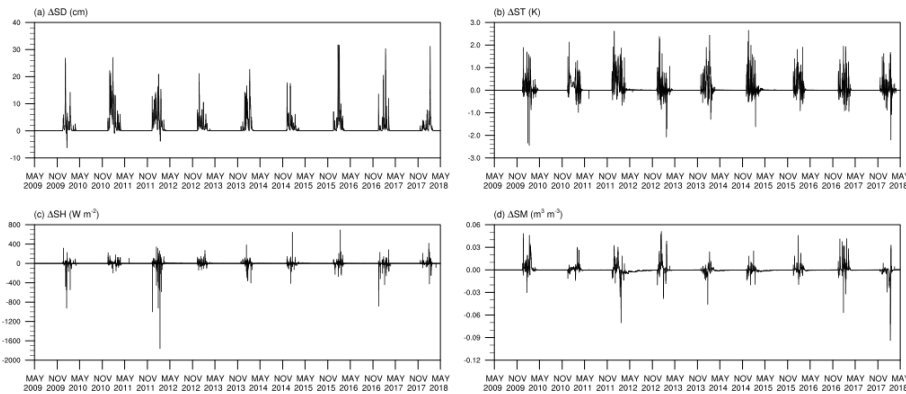


Figure R3 (Figure 6 in the revised manuscript): Time series of difference between CNTL to OPT\_6 for the UL in DBF during the May 2009 to April 2018: (a) SD (cm), (b) soil temperature at the top soil layer (ST; 7 cm) (K), (c) sensible heat flux (SH;  $W m^{-2}$ ), (d) soil moisture at the top soil layer (7 cm) (SM;  $m^3 m^{-3}$ ).

Response to the Referee 2 for the Manuscript gmd-2021-333  
**“Optimization of Snow-Related Parameters in Noah Land Surface  
Model (v3.4.1) Using Micro-Genetic Algorithm (v1.7a)”**  
by Sujeong Lim, Hyeon-Ju Gim, Ebony Lee, Seungyeon Lee, Won Young Lee,  
Yong Hee Lee, Claudio Cassardo, and Seon Ki Park

*This study worked on determining the optimal parameter values in the snow-related processes – snow cover fraction, snow albedo, and snow depth – of the Noah LSM, using the micro-genetic algorithm and the in-situ surface observations and remotely-sensed satellite data. The study area was South Korea. This manuscript does not have sufficient elements on the model development, it is rather a study of applying a certain optimization algorithm to calibrate the model parameters. I have doubts about the novelty of this manuscript and its suitability for consideration for publication in Geoscientific Model Development. Below are some comments which I hope could help improve the manuscript.*

⇒ We really appreciate the valuable and constructive comments, which helped us improve the quality of the manuscript. Our study is a parameter estimation problem, which is based on the assumption that all the physical parameterization schemes are not perfect and have uncertainties, especially in their parameter values; thus, it is strongly and directly linked to ‘assessment of model performance’ through parameterization schemes, which corresponds to the scope of Geoscientific Model Development (GMD). Parameter estimation is a companion of parameterizations as it reduces the uncertainties in the parameter values of newly-developed parameterization schemes and enhances the model performance through the schemes; furthermore, a new method of comparing model results with observational data is developed in our study through various fitness functions in the course of optimization. In this sense, we believe that our study also indirectly satisfies the scopes of GMD, described as ‘developments such as new parameterizations’ as well as ‘developing novel ways of comparing model results with observational data’. We have faithfully followed the reviewer’s suggestions and included more analysis/validation to enhance the results. An item-by-item response to the comments is provided below.

1. *Short Introduction and unclear novelty of this study. The introduction is rather short and the novelty of this study is not explicitly stated.*

⇒ We appreciate the reviewer pointing this out. We have revised a paragraph in *Introduction* (L35-53 in the revised manuscript) by adding more statements as follows (see blue parts):

“Uncertainties in parameterized physical processes have been observed and quantified in various numerical models (e.g., Mallet and Sportisse, 2006; Gubler et al., 2012; Shutts and Pallarès, 2014; Folberth et al., 2019; Li et al., 2020; Olafsson and Bao, 2020; Pathak et al., 2020; Souza et al.,

2020). Such uncertainties can be also reduced by estimating optimal parameter values in the subgrid-scale parameterization schemes (e.g., Annan and Hargreaves, 2004; Lee et al., 2006; Neelin et al., 2010; Yu et al., 2013; Zhang et al., 2015; Kotsuki et al., 2018; Liet al., 2018; Chinta and Balaji, 2020). Because empirical parameters are commonly derived from the observations or theoretical calculations, their estimated values are strongly dependent on the local characteristics of the region and period where the observations are made. Thus, *parameter estimation* that fits the model outputs to the observations is essentially required to obtain an adequate parameter [1]. It may be done using a *trial and error* approach by manual, but the *optimization algorithm* helps to replace enormous experiments by automatically minimizing the difference between model and observations [2]. For example, a global optimization tool, called the micro-genetic algorithm (micro-GA), has been effectively used for estimating the optimal parameter values (e.g., Yu et al., 2013) and for finding the optimal set of parameterization schemes (e.g., Hong et al., 2014, 2015; Park and Park, 2021).

Most snow processes in the LSMs are parameterized based on the observations in specific local regions, and hence they may not represent adequately the situation in SK and be the source of uncertainties for numerical snow prediction over SK. We aim at obtaining the optimal parameter values of the snow-related processes — snow cover, snow albedo, and snow depth — in a LSM using the micro-GA, which causes better LSM performance over SK. This study represents the first attempt to develop a coupled system of micro-GA and Noah LSM for parameter estimation of the snow processes. Section 2 describes the methodology, including the snow processes of the LSM and the micro-GA optimization tool. Section 3 explains experiment design. Results, discussion and conclusions are provided in sections 4, 5 and 6, respectively.”

2. *Insufficient details on the methods/procedures. Section 2.2 and Table 2 miss necessary details on the selected parameters and settings for the different experiments.*

⇒ In Section 2.2, we have focused on the GA algorithm itself and the fitness function. Descriptions on the selected parameters and settings for different experiments are separately provided in Section 3. We modified Table 2 with the typo and list order correction to help understanding (Table R1 (Table 2 in the revised manuscript)). Moreover, we have added more details on the parameter settings in Section 3 (L238-246 in the revised manuscript) as follows (see blue parts):

Table R1 (Table 2 in the revised manuscript): The input parameters for micro-GA in experiments OPT\_5 and OPT\_W.

Input Parameter	OPT_5	OPT_W
Population size	5	5
Crossover operator	1.0	1.0
Elitism	on	on
Number of parameters	5	1
Number of chromosomes	30	5
Maximum value of generations	200	100

“Table 2 describes the input parameters used in this study. We follow the options known as the best performance in micro-GA; it is done with a population size of 5 and a uniform crossover (i.e., crossover operator = 1.0) with elitism [3, 4, 5]. The uniform crossover makes all populations perform a crossover at every generation to acquire the diversity [6]. The number of parameters to be optimized is 5 for OPT\_5 and 1 for OPT\_W. The number of chromosomes determines the number of cases expressed in a binary format. For example, the selected parameters —  $P_s$ ,  $\alpha_{max,CofE}$ ,  $C$ ,  $P_1$ ,  $P_2$ , and  $W_{max}$  — use different chromosomes, i.e., 5, 5, 5, 6, 4, and 5, respectively; thus, the total number of chromosomes is 30 for OPT\_5 and 5 for OPT\_6. The maximum value of generations at the end of optimization is generally set to 100 [4, 5, 7], whereas we increased generations up to 200 in OPT\_5 due to larger number of parameters to be optimized.”

3. *I advise the authors to add more figures to show the comparison, via scatter plot, time series plot to show the modelling results in different perspectives. Besides the RMSE value, what about the performance of the model in terms of other commonly used metrics such as  $R$  or  $R^2$  value?*

⇒ Following the reviewer’s comments, we have conducted additional analyses and added more figures, including scatter plots, times series, and statistics including  $R^2$ . Figure R1 (Figure 5 in the revised manuscript) (see below) represents the scatter plots of observations versus model results along with the values of RMSD and  $R^2$ . Consistent with the statistical results in the original manuscript, OPT\_6 shows improved snow variables in the scatter plots for Ulleungdo (UL) in the deciduous broadleaf forest (DBF). In particular, compared to CNTL, optimization results in notable increase in the underestimated snow depth (SD; Fig R1 (Figure 5 in the revised manuscript) (c)) and negligible changes in fractional snow cover (FSC; Fig R1 (Figure 5 in the revised manuscript) (a)) and snow albedo (SA; Fig R1 (Figure 5 in the revised manuscript) (b)). In statistical analyses, represented by RMSE and  $R^2$ , OPT\_5 and OPT\_6 are generally closer to observations than CNTL while OPT\_6 shows the lowest RMSE and the highest  $R^2$ . We have added the scatter diagrams and statistical analy-

ses for other stations and land cover types in the revised manuscript (see Fig. R1 (Figure 5 in the revised manuscript) therein with L330-345 written in blue fonts).

“To understand more details of the improvements due to the optimization, we analyzed the scatter plots of observations versus model results along with the values of RMSD and  $R^2$  (Figure 5). Since the observation patterns differ depending on their stations, we selected the representative station for each land cover type: Firstly, the overall FSC relatively is hard to recognize the explicit bias patterns in the scatter plots (Fig. 5(a), (d), (g), (j), and (m)); however, statistics indicate the improved RMSE from the CNTL to OPT.5 and additionally improved in OPT.6. As for the  $R^2$ , most stations show the largest value in OPT.6 except the NG for WS and BR for CL. In particular, GM in MF shows increasing FSC in OPT.6 to solve the underestimated problems with the best RMSE and  $R^2$ . Secondly, SA is overestimated in CNTL, and it is reduced in OPT.5 and OPT.6. For instance, UL in DBF shows decreasing SA in OPT.5 and following OPT.6 (Fig. 5(b)); it also shows the best RMSE and  $R^2$  performance. Most stations show the smallest RMSE in OPT.6 and a larger  $R^2$  in OPT.5 or OPT.6 (Fig. 5(b), (e), (h) and (k)); however, SL in UB was deteriorated RMSE and  $R^2$  after optimization (Fig. 5(n)). Lastly, SD is optimized using the hourly in-situ observations (i.e., more data) and hence shows remarkable improvement compared to FSC and SA, both using the daily satellite observations. For example, UL in DBF results in a notable increase in the underestimated SD with the lowest RMSE and the highest  $R^2$  (Fig. 5(c)). It is hard to say which optimization experiment has the best results, but the optimization performance is usually better than CNTL in terms of RMSD (e.g., UL for DBF, GM for MF, NG for WS, SL for UB) and  $R^2$  (e.g., UL for DBF, GM for MF, and BR for CL). As a result, most stations in OPT.5 and OPT.6 are generally closer to observations than CNTL, and OPT.6 leads the lowest RMSE and the highest  $R^2$  in all snow-related variables.”

In Fig R2 (Figure 6 in the revised manuscript), we analyzed the time series of the differences of secondary variables (e.g., soil temperature, soil moisture, and sensible heat flux) between OPT.6 and CNTL (i.e., OPT.6 minus CNTL). Although these variables are not directly optimized, they respond to the optimized snow parameters through associated physical processes. For example, soil temperature in the first soil layer (7 cm) increases as SD increases after optimization, which consequently increases sensible heat flux. The residual of surface energy balance is close to zero (not shown), implying that the surface energy balance is well conserved even after optimization. Soil moisture depends on snow melt, following the trend of increased snowfall in the previous winter. Extreme fluctuations sometimes appear in the time series analyses due to nonlinear effects, but we can understand the overall tendency according to the increased SD

in the land surface. The related descriptions are added in the revised manuscript (L346-354, blue fonts below).

“Lastly, we have investigated how the optimized snow parameters can effect on the other variables in LSM. Figure 6 is the time series of the differences of LSM variables (e.g., soil temperature, sensible heat flux, and soil moisture) between OPT\_6 and CNTL (i.e., OPT\_6 minus CNTL) following SD changes. Although they are not directly optimized, they respond to the optimized snow parameters through associated physical processes. For example, soil temperature in the first soil layer (7 cm) increases as SD increases after optimization, which consequently increases sensible heat flux. The residual of surface energy balance is close to zero (not shown), implying that the surface energy balance is well conserved even after optimization. Soil moisture depends on snow melt, following the trend of increased snowfall in the previous winter. Extreme fluctuations sometimes appear in the time series analyses due to nonlinear effects, but we can understand the overall tendency according to the increased SD in the land surface.”

We also added  $R^2$  in Table R2 (Table 4 in the revised manuscript) below. Both FSC and SD showed improvement in terms of RMSE and  $R^2$ . The SA worsened in OPT\_5 but it showed less deterioration in OPT\_6, getting closer to CNTL in terms of  $R^2$ . The related explanations have contained in the revised manuscript (L294-296; L311-312; L328-329).

“The performance has been evaluated using the improvement ratio, which indicates how much the RMSE, MB, and coefficient of determination ( $R^2$ ) of optimized experiments (i.e., OPT\_5, OPT\_W, and OPT\_6) is improved compared to CNTL, as shown in Eq. (7) (Table 4).”

“We also investigated the  $R^2$ , which measures the proportion of variation for a dependent variable that can be explained by an independent variable. As a result, the OPT\_5 improves the 3.1 % and 1.6 % for FSC and SD while deteriorates 2.4 % for SA.”

“Like the RMSE, the  $R^2$  of FSC and SD also improved in OPT\_5 and OPT\_6. The SA worsened in OPT\_5 was almost recovered to the CNTL in OPT\_6.”

Table R2 (Table 4 in the revised manuscript): Improvement ratio (%) in RMSE, coefficient of determination ( $R^2$ ), and mean bias (MB) of snow variables from CNTL to OPT\_5, and OPT\_6 over the ten representative stations. The statistic values in CNTL are following: RMSE is 0.270 for FSC, 0.155 for SA, and 10.599 for SD;  $R^2$  is 0.219 for FSC, 0.183 for SA, and 0.806 for SD; MB is -0.107 for FSC, 0.0513 for SA and -5.38 cm for SD. The CNTL and OPTM (e.g., OPT\_5 and OPT\_6) experiments exhibit statistically significant linear relationships at the 95 % significance level.

EXP	OPT_5			OPT_6		
Snow Variable	FSC	SA	SD	FSC	SA	SD
RMSE	1.3 %	6.7 %	13.8 %	6.5 %	8.5 %	17.7 %
$R^2$	3.1 %	-2.4 %	1.6 %	16.4 %	-0.2 %	3.0 %
MB	-31.8 %	28.5 %	40.9 %	-19.6 %	32.6 %	45.1 %

4. *Results need more description and particularly figures. I advise adding more figures on the modelling results, and particularly representing the spatial patterns of modeling results. The author studied South Korea, readers are interested in the spatial distribution of model performance.*

⇒ We appreciate the reviewer’s valuable comment. As the Noah LSM is a one-dimensional column model, we should run the off-line Noah LSM over all the grid point by point, which requires a large amount of computational time. Thus, we have sampled representative stations in this study for effective optimization. Based on the promising optimization results in the off-line Noah LSM, we plan to extend our study to optimize the online mode of Noah LSM, coupled to an atmospheric model (e.g., WRF). Then, we will be able to assess the model performance in terms of spatial distributions, and we will do more experiments following the reviewer’s comment in our follow-up study. The related descriptions are added in the revised manuscript (L370-371; L379-384, blue fonts below).

“As the further study, the online Noah LSM can help to include more observation stations by covering the all grid points over SK.”

“Based on the encouraging optimization results in the off-line Noah LSM, we plan to optimize the Noah LSM in a coupled land-atmosphere prediction system. The online Noah LSM can produce a spatial distribution of model variables over the land surface, which allows a two-dimensional assessment of model performance. We anticipate the optimized snow parameters can lead to positive effects on the atmospheric variables through the changes of heat fluxes as well as snow variables in Noah LSM. As a result, we can identify how optimal parameters are appreciated in SK in terms of both horizontal and vertical distributions. In addition, our coupled system of micro-GA and Noah LSM can be utilized to optimize other

parameters in Nosh LSM.”

5. *Discussion is completely missing. The current manuscript has no discussion. I strongly advise the authors to compare their findings with existing literature. In addition, what are the limitation of the study? And any potential solutions for future studies? What are effects of some settings or input on the modelling results? Lots of aspects need to be discussed.*

⇒ We have included the *Discussion* section before the *Conclusion* as follows (L355-384):

“Generally, the Noah LSM tends to simulate less snow amount during the peak winter and earlier snow melting, and consequently overestimates SA [8]. Our experiment with no optimization (CNTL) reveals underestimation of SD and FSC and overestimation of SA compared to the in-situ or satellite observations. We developed a coupled system of micro-GA and Noah LSM to reduce the uncertainties in parameterized snow processes through optimization of parameter values. This parameter estimation is an effort to further improve the model performance by reducing uncertainty in pre-existing parameterization schemes by optimizing the parameter values inside the schemes based on the observational data that reflect local characteristics to improve snow simulation. If the employed parameterization scheme has less uncertainty, improvement by parameter estimation on that scheme may not be significant; if the scheme has large uncertainty in parameter values, parameter estimation may bring about prominent improvement in the scheme’s performance. Our results showed improvement in all snow variables in terms of RMSE by 6.5 %, 8.5 %, and 17.7 % for FSC, SA, and SD, respectively. Furthermore, SD increased after optimization, which lead to increases in both soil temperature and sensible heat flux due to insulating response; soil moisture also increased due to increased SD in previous years. This implies that the optimized snow parameters not only let the model solutions close to the observations but also act in a physically consistent manner. In case of some worsen statistics such as MB or  $R^2$  in OPT\_6, the insufficient stations used for optimization or a coarse resolution in satellite observation can limit to improve the snow variables. As the further study, the online Noah LSM can help to include more observation stations by covering the all grid points over SK. Moreover, we can optimize other parameters that indirectly affects to snow processes not only direct parameters used in this study.

The coupling system of micro-GA and Noah LSM automatically estimates the optimal snow-related parameters by objectively comparing observations and model solutions through the fitness function. Instead of trial-and-error procedures, it has an advantage to reduce a substantial amount of computational time. The original micro-GA reduces the computational



time using the elitism and re-initialization methods in the small number of individuals. We have developed a parallel system on the coupled system to further improve the computational efficiency in this study; it enables us to simultaneously execute multiple individuals in one generation and multiple Noah LSM runs in one individual.

Based on the encouraging optimization results in the off-line Noah LSM, we plan to optimize the Noah LSM in a coupled land-atmosphere prediction system. The online Noah LSM can produce a spatial distribution of model variables over the land surface, which allows a two-dimensional assessment of model performance. We anticipate the optimized snow parameters can lead to positive effects on the atmospheric variables through the changes of heat fluxes as well as snow variables in Noah LSM. As a result, we can identify how optimal parameters are appreciated in SK in terms of both horizontal and vertical distributions. In addition, our coupled system of micro-GA and Noah LSM can be utilized to optimize other parameters in Noah LSM.”

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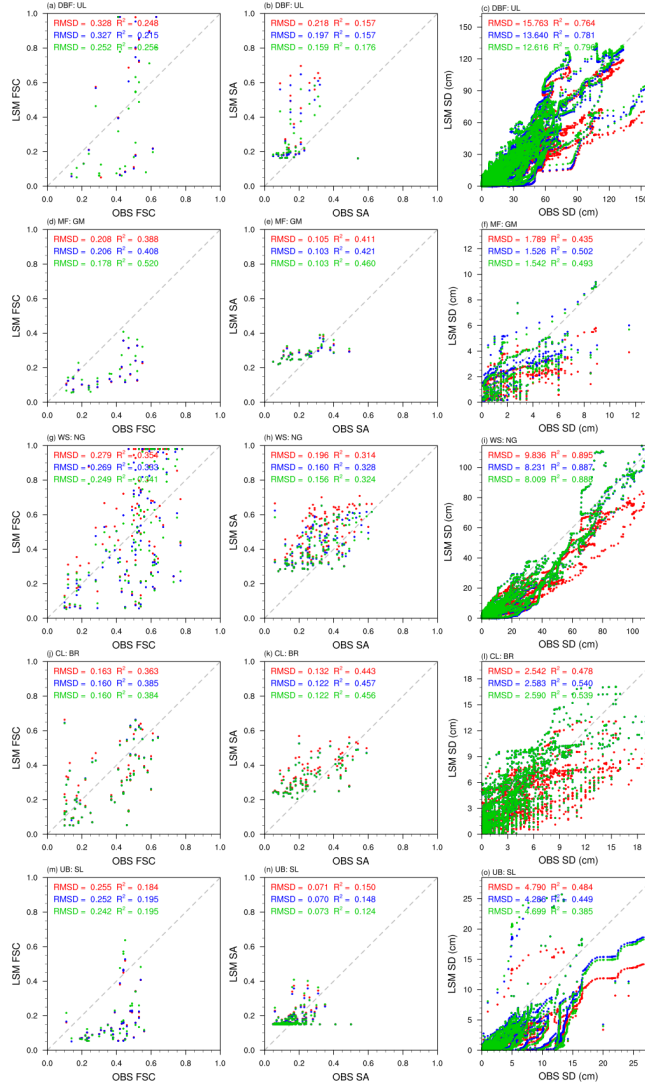


Figure R1 (Figure 5 in the revised manuscript): Scatter plots for the observation (OBS) and land surface model (LSM) results: CNTL (red), OPT\_5 (blue) and OPT\_6 (green). The representative station in each land cover type are analyzed such as (a)-(c) DBF: UL, (d)-(f) MF: GM, (g)-(i) WS: NG, (j)-(l) CL: BR, (m)-(o) UB: SL. From the left to right panels, they are the FSC, SA, and SD (cm). Compared to observations, the statistics (e.g., RMSE and  $R^2$ ) in each experiment are indicated in each panel.

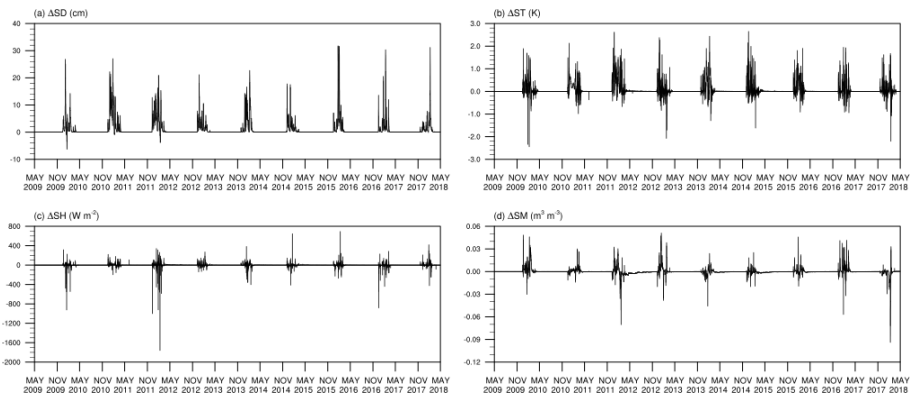


Figure R2 (Figure 6 in the revised manuscript): Time series of difference between CNTL to OPT\_6 for the UL in DBF during the May 2009 to April 2018: (a) SD (cm), (b) soil temperature at the top soil layer (7 cm) (ST; K), (c) Sensible heat flux (SH;  $W m^{-2}$ ), (d) soil moisture at the top soil layer (7 cm) (SM;  $m^3 m^{-3}$ ).