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# **UPPSALA UNIVERSITY INSTITUTE OF PHYSICS**



Measurements of  $B(E2,0^+ + 2^+)$  for even Xe isotopes

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Abstract: Transition moments and lifetimes have been deduced from measurements of the Coulomb excitation cross sections for  $128,130,132,134,135$ Xe isotopes. The results are for B(E2) (0.77(6); 0.60(6); 0.49(4); 0.38(6); 0.17(3)]  $e^{2} \times 10^{-48}$  cm<sup>4</sup> and for  $\tau(2^{+})$  [31.6(24); 15.3(15); 6.3(6);  $\frac{1}{28}$  Cm and for the futbole  $\frac{1}{28}$ ,  $\frac{1}{28}$ ,  $\frac{1}{36}$  $2.4$  (1), 0.59(15)] psec going from  $\lambda$ e to  $\lambda$ e.

#### 1. Introduction

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Both microscopic and collective calculations have been made in the mass region with  $50 < (N, Z) < 82 [1 - 4]$ Nuclear quantities like  $B(E2)$ ,  $Q_0$  and g are the most important probes for testing nuclear models and for classifying nuclei. Here are reported measurements of Coulomb excitation cross sections for five even Xe nuclei. From the cross sections B(E2  $0^+$   $\rightarrow$  2<sup>+</sup>) and  $\tau$  ( 2<sup>+</sup>) was deduced. During the last years the use of surface barrier detectors has improved the measurements of excitation cross sections considerably. Using these detectors the inelasticly scattered particles can be resolved from the elastic ones. Good accuracy and reproducibility is obtained. The present measurements on Xe were made possible since a new technique for collection of large amounts of xenon in solid targets has been developed at this institute [5] .

#### 2. General remarks

Measurements of absolute Coulomb excitation cross sections  $(c<sub>c</sub>)$  are in general difficult to perform. Energy integral detection of backscattered particles makes it possible to relate the excitation cross section to the wellknown Rutherford scattering cross section:

$$
d\sigma_R = \frac{1}{4} \frac{a^2}{\sin^4(\frac{\theta}{2})} d\Omega
$$

where 2a is the distance of closest approach.

By comparing the number of inelastically scattered particles to those scattered elastically  $\sigma_{\mathbf{c}}$  can be deduced.

In order to extract  $\sigma_2$ + from experimentally determined relative intensities only corrections for transformation from CM - to Lab. system has to be applied. In first order  $\sigma_{2+}$  is proportional to B(E2). The so called reorientation

effect contributes to  $\sigma_{2+}$  in proportion to the quadrupole moment of the excited state. Virtual excitations of higher lying levels interfere constructively or destructively resulting in corrections to  $\sigma_{2+}$ . When deriving B(E2) from  $\sigma_{2+}$  these effects have to be considered.

#### 3. Experimental technique

In spite of the moderate energy resolution of surface barrier detectors (compared to magnetic spectrometers) for a particles and heavy ions it is usually possible to resolve the inelastic peak from the elastic. The efficiency is independent of energy and can be assumed equal to unity if the peripheral regions are masked off. The experiments were performed in the 38 cm radius charged particle scattering chamber [181. An annular surface barrier detector (300  $mm^2$ ) was used in a backscatter geometry with the average scattering angle either 175<sup>°</sup> or 178<sup>°</sup>. The experiments were performed with  $\alpha$ beams of energies 11-13 MeV collimated to  $3$  mm<sup>2</sup>. The solid angle was kept well below the limit where kinematic broadening becomes noticeable. The system resolution as measured with an  $226$ Ra a-emitting source was ~3C keV (FWHM).

The ions loose energy in the target layer and therefore the targets have to be kept quite thin. In the present measure-2 ments Xe thicknesses of 25-90  $\mu$ g/cm $^{\star}$  were used. The targets were prepared by implantation into a carbon layer on an iron backing. The method in which an isotopic separator is used is described in reference [5]. The targets were originally prepared for IMPAC-experiments and therefore the iron backings were quite thick (~0.1 mm). The effects mentioned above resulted in an overall  $\alpha$  particle resolution of  $\sim$ 100 keV (FWHM). The mean energy of the ion at the moment of impact was estimated to be ~25 keV lower than the beam energy. However the major advantage with implanted targets is their extreme purity. In Fig. 1 the spectrum from 13 MeV a-scattering is shown.

## 5. Test measurements on 128 Te

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A measurement on  $^{128}$ Te was performed in order to check the reliability of this type of measurements. In table I the present results are compared to published data [13,16]. In 128 the analysis of the present  $128$   $\sigma$  ata  $\overline{Q}_{2+}$  was set equal to the mean of  $Q_{2+}$  obtained from these two measurements. The present result for B(E2) agrees well with that of Kleinfeld" et al. but not so well with the results of Stokstad and Hall. Kleinfeldt et al. measured the particle scattering cross section whereas Stokstad and Hall observed coincidences between scattered particles and gammas. Kleinfeld states that for 128Te deviations from pure electromagnetic excitation occured at energies above 10.5 MeV. The measurement at 12 MeV gives the lowest value of  $B(E2)$ , which might indicate presence of a small destructive interference from direct nuclear excitation. For the 12 MeV experiments on Xe the interference from nuclear excitation is less due to the higher Coulomb barrier. Cline [17] has suggested for the highest safe bombarding ener- $\overline{a}$  has suggested for the highest safe bombarding energy safe bombarding energ

$$
E_B = 1.44(1 + \frac{A_1}{A_2}) \frac{Z_1 Z_2}{1.25 (A_1 + A_2)} \text{ (MeV)}
$$

For  $\texttt{a-bombardement of } ^{130}\textnormal{Xe}$  one obtains ll.9 MeV. Christy and Häusser accepted measurements which were performed up to 10% above  $E_R$  in their complilation of quadrupole moments  $[14]$ .

#### Discussion

Fig. »4 shows a plot of the energies of the first 2+ level for all known Xe isotopes. In Fig. 3 and table II the results of the present experiments are given. A strong increase in B(E2) is seen when the neutron number decreases. This is of course expected as the neutron deficient Xe isotopes are close to a region where nuclear deformation is possible [4]. Compared to the Weisskopf estimate, the E2-enhancement varies from ~10 for  $136$ Xe to  $\sim$ 40 for  $128$ Xe. As can be seen from Fig. 3 the experimental trend for the B(E2):s is nicely reproduced by the theoretical calculations of ref. [1] and [3]. The magnitudes

are well fitted if  $e_{eff} = 0.2$  is used in the theory of Uher and Sorensen [1], The values of Habs et al. [3] are all consistently somewhat two small. The rather large errors in the B(E2) values come from the uncertainties in the analysis As mentioned in section 4 a non-vanishing static quadrupole moment gives an appreciable contribution to the excitation cross section. For example: if the  $Q_{2+}$  changes from +0.4 eb to -0.4 eb, the deduced B(E2,  $0^+$  +  $2^+$ ) will decrease about 6% for <sup>128</sup>Xe. Neither of these quadrupole moment can be regarded as unrealistic. These uncertainties would be greater if heavier ions than  $\alpha$  were used. Measurements of  $Q_{2+}$  must, conclusively, be made to get higher accuracy for the B(E2)values in the Xe isotopes.

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#### Table captions

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Table I. Results of experiments and analysis. \* For  $^{128}$ Te, the upper value of Q (in each row) is obtained if constructive interference is assumed.

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Table II. Summary of experimental and theoretical results for B(E2) and  $Q_{2+}$  of even Xenon isotopes.

The formula (or its inverse)

$$
B(E2,0^{+}+2^{+}) = \frac{4.08 \cdot 10^{-13}}{[E_{2+}(MeV)]^{5} \cdot \tau(s) \cdot (1+a)}
$$
 (e<sup>2</sup>b<sup>2</sup>)

was used.

The shorthand notations for the different experimental methods are as follows:

- YLS T obtained from lineshape analysis of dopplershifted  $\gamma$  lines.
- NRF Nuclear resonance fluorecence. Level width determined.
- $16_{0Y}$ Excitation cross section determined from rate of coincidences between backscattered  $16$ 0 ions and deexcitation gammas.
	- $\sigma(\Theta_{\alpha})$  Excitation cross section from spectrum of backscattered alpha particles.

\*From reference 1 B(E2) for  $e_{eff}$  = 0.2 was chosen.

\*\*From reference  $4 \tQ_{2+}$  corresponding to the most favourable deformation energy was chosen.

### Figure captions

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- Fig. 1: for  $128$  Xe. versus M $_{\text{1.2}}$  for two different  $\text{\Q}_\text{2+}$ -values
- Fig. 2: Spectrum of 13 MeV a particles backscattered from  $136$ Xe on iron.
- Fig. 3: Present experimental results compared to theoretical estimates.
- Fig. 4:  $E_{2+}$  for Xe isotopes.

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