

$\gamma\gamma$  COLLISIONS: EXPERIMENTAL ASPECTS

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1. Introduction and Summary

This review is divided into 4 sections. In section 1 the problem of separating  $1\gamma$  and  $2\gamma$  processes is rediscussed in the light of new theoretical expectations of high  $p_t$  hadron production from jets in  $2\gamma$  processes<sup>1-4</sup>). Here there is some overlap with P. Landshoff's review, but as a rather complete monte carlo study of single particle inclusive production in both  $1\gamma$  and  $2\gamma$  processes has now been done<sup>5</sup>) some quite firm conclusions can be reached. In spite of the 20 times larger ratio of  $2\gamma/1\gamma$  cross-sections at LEP, as compared to PEP or PETRA, no problem is expected in separating processes with hadronic final states. Heavy lepton production is also considered in section 1 and here the conclusions are not so optimistic, particularly if several heavy leptons exist within the energy range of the machine. More work is needed here. Section 2 considers 3 potentially interesting fields of  $2\gamma$  physics: (i) jet production, (ii) deep inelastic  $\gamma\gamma$  scattering, (iii) production of  $C = +1$  resonances. Experimental signatures are discussed and rates are given. In section 3 tagging is discussed. The main points here are: a) Tagging efficiency, in particular the effect of vector meson propagators<sup>6</sup>), which may suppress the tagging efficiency for some  $2\gamma$  processes by an order of magnitude or more as compared with previous assumptions. b) Backgrounds. These include the "intrinsic" background resulting from  $\pi/e$  misidentification, as well as various external backgrounds resulting in production of electrons at small angles. By far the most serious of the latter is beam-gas bremsstrahlung, which imposes quite severe constraints on the vacuum in the LEP straight sections, if tagging is to be a viable proposition. Finally, in section 4, single particle inclusive production of hadrons in various  $1\gamma$  and  $2\gamma$  processes are shown for different angular acceptance regions of a practical detector, and some features of a possible  $2\gamma$  detector for LEP are summarized. More detailed discussions of the problems of  $2\gamma$  detector design are presented elsewhere<sup>7,8</sup>).

2. Separation of  $1\gamma$  and  $2\gamma$  Processes

2.1 Hadronic Final States

A number of different possible processes resulting in jets in the final state are shown in Fig. 1a)-g). Of these, the dominant contribution at high  $p_t$  is expected to come from the QED graph, Fig. 1a). The cross-section for this graph, when the quarks have large  $p_t$ , is expected<sup>1,3</sup>) to be related to  $2\gamma$  production of  $\mu$  pairs:

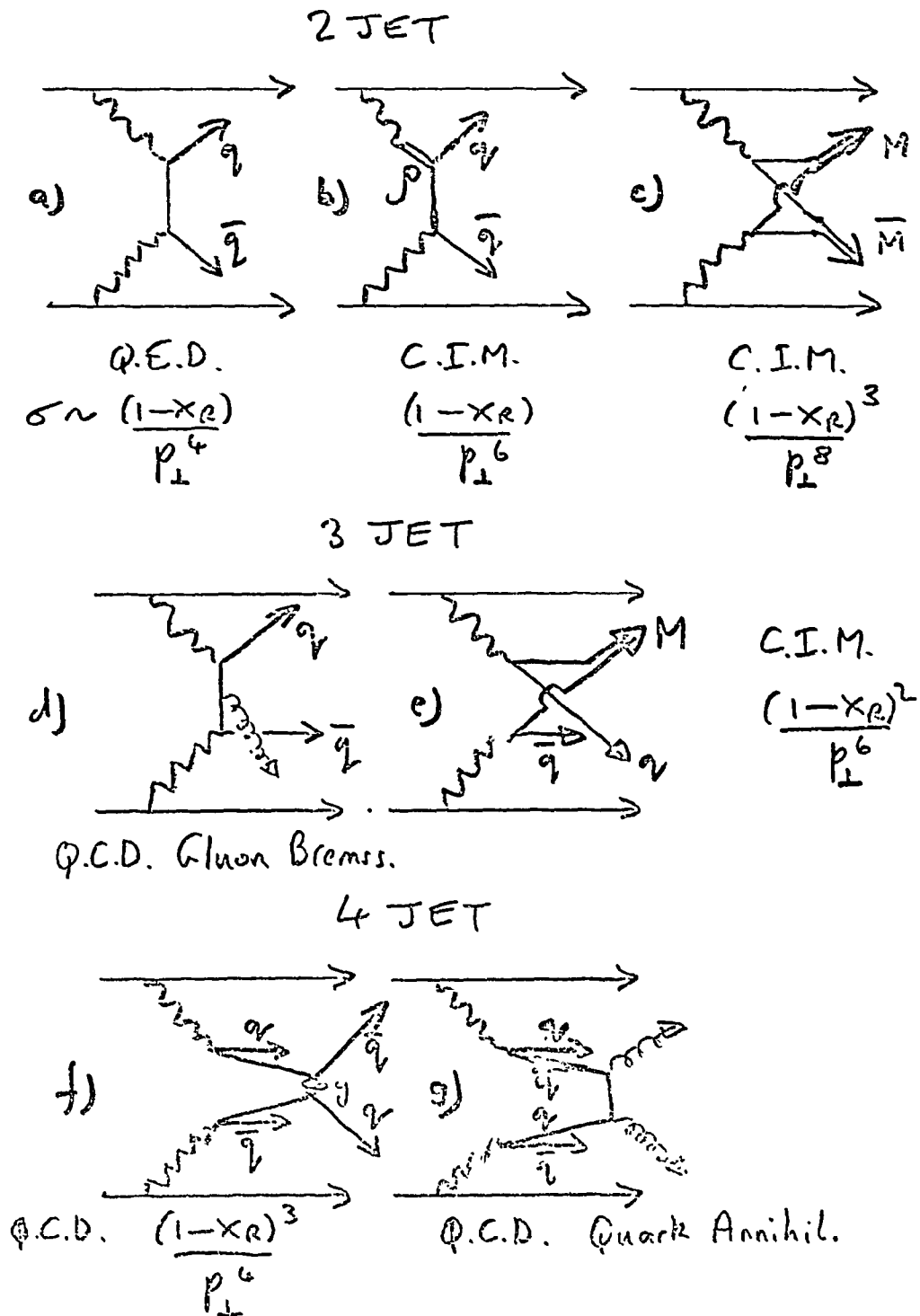


Figure 1 : Jet Physics in  $\gamma\gamma$  Collisions

$$\begin{aligned} d\sigma(e^+e^- \rightarrow e^+e^-q\bar{q}) &= R_{\gamma\gamma} d\sigma(e^+e^- \rightarrow e^+e^-\mu^+\mu^-) \\ \text{where } R_{\gamma\gamma} &= 3 \sum_i Q_i^4 = 34/27 \quad i = u, d, s, c \\ & \quad Q_i = \text{quark charge.} \end{aligned}$$

Defining  $x_R = E^{\text{quark}}/E = E^{\text{JET}}/E$  ( $E$  = beam energy) and  $\theta = \theta^{\text{quark}} = \theta^{\text{JET}}$  = polar angle to the beams, the differential cross-section for  $x_R \sim 1$  is given by<sup>1)</sup>:

$$\frac{d^2\sigma}{d\Omega dx_R} = \frac{4 R_{\gamma\gamma}}{s} \left( \frac{\alpha^2}{\pi} \ln \frac{E}{m_e} \right)^2 \frac{(1 - x_R)}{x_R^3} \frac{(1 + \cos^2\theta)}{\sin^4\theta} \quad (1)$$

where  $\alpha$  = fine structure constant  
 $s = 4E^2$

Eq. (1) may be compared with the corresponding differential cross-section for the  $1\gamma$  process:

$$e^+e^- \rightarrow q\bar{q} \rightarrow 2 \text{ jets}$$

which is:

$$\frac{d\sigma}{d\Omega} = \frac{R_\gamma \alpha^2}{4s} (1 + \cos^2\theta) \quad (2)$$

where  $R_\gamma = 3\sum_i Q_i^2 = 10/3$   $i = u, d, s, c$

Separation of the  $1\gamma$  and  $2\gamma$  processes will be most difficult for large values of  $x_R$ . Integrating Eq. (1) over the range  $0.8 < x_R < 1.0$  and taking the ratio to Eq. (2) gives:

$$r \equiv \frac{\frac{d\sigma^{2\gamma}}{d\Omega}}{\frac{d\sigma^{1\gamma}}{d\Omega}} \Big|_{x_R > 0.8} = 1.89 \times 10^{-2} \left( \alpha \ln \frac{E}{m_e} \right)^2 \frac{1}{\sin^4\theta}$$

$r$  is plotted as a function of  $\theta^{\text{JET}}$  in Figure 2.

At beam energies of 15, 70 GeV,  $r = 1$  at angles of 102, 109 mrad so the "cross over" of the  $1\gamma$  and  $2\gamma$  processes occurs at  $\theta^{\text{JET}} \sim 6^\circ$  almost independantly of the beam energy. For  $E = 70$  GeV this corresponds to a  $p_t$  of the jet of  $\sim 6$  GeV. With  $\theta^{\text{JET}} > 20^\circ$  the  $2\gamma$  cross-section is only 1% of the  $1\gamma$ . It is interesting to note that the curve in Fig. 2 is independent of the number of quarks, provided these always occur in doublets of charge  $2/3$ ,  $-1/3$  and both members of each doublet are either excited, or above threshold. In this case the ratio  $R_{\gamma\gamma}/R_\gamma$  has the universal value  $17/45$ .

One may conclude from the above analysis that, providing jets can be identified in the final state, the  $2\gamma$  background will become negligible for  $\theta^{\text{JET}} > 20^\circ$  i.e. within the normal acceptance of a central solenoidal detector. Since however the experimental definition of a "jet" is rather more fuzzy than the theoretical one it is of interest to ask what separation of  $1\gamma$  and  $2\gamma$  processes

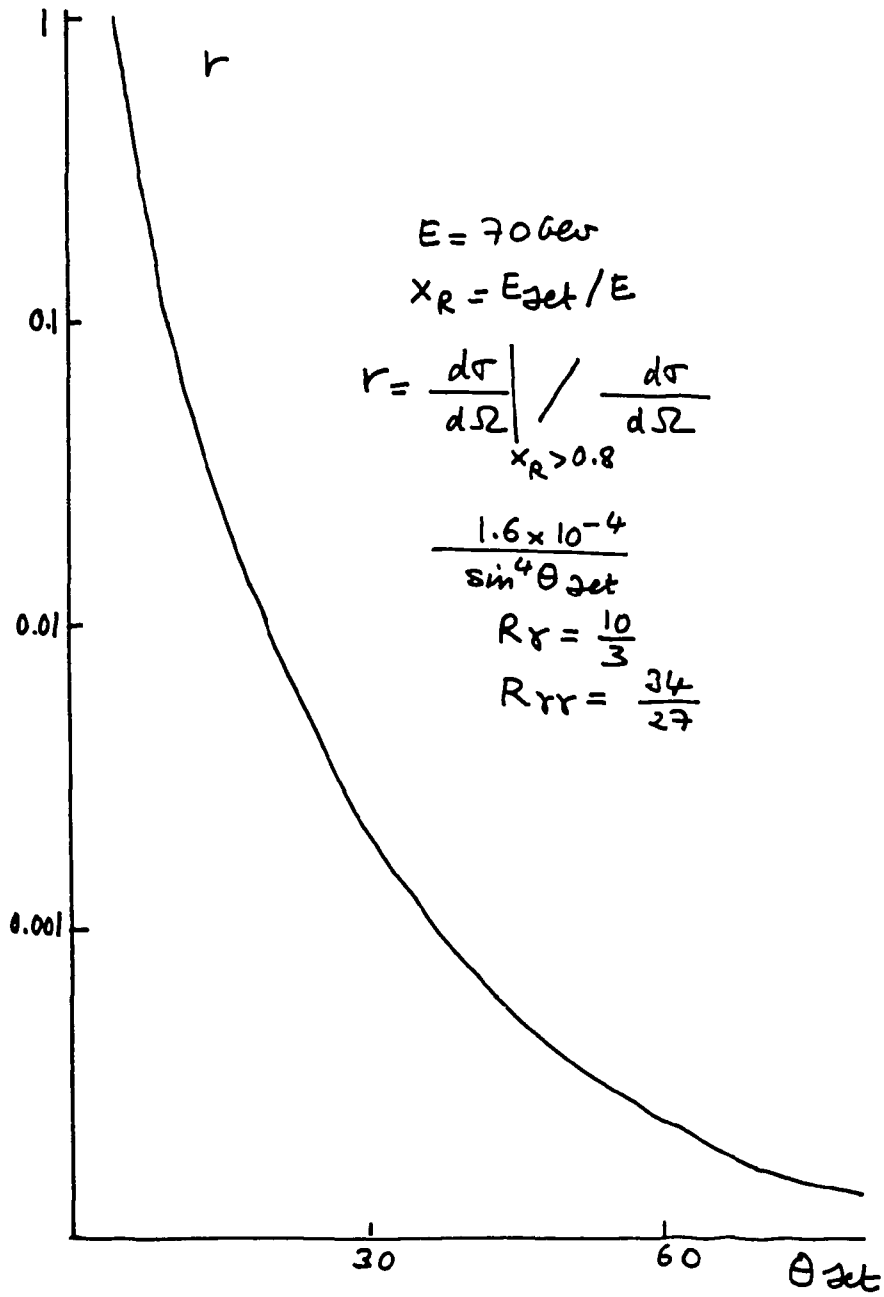


Figure 2

can be obtained by use of more straight forward kinematical cuts. Two variables which may be expected to give good discrimination between  $1\gamma$  and  $2\gamma$  hadronic events are:

(i) The total observed energy  $E_{vis}$

For  $1\gamma$  processes this should peak at  $2E$  with a width given by the detector resolution, and a tail extending to lower energies, due to unobserved final state particles. For  $2\gamma$  processes this variable peaks at low values due to the luminosity function of the  $\gamma\gamma$  collisions which is roughly  $\propto \frac{1}{E_{\gamma 1}} \times \frac{1}{E_{\gamma 2}}$  where  $E_{\gamma 1}, E_{\gamma 2}$  are the lab. energies of the colliding photons.

(ii) The polar angle  $\theta$  of produced hadrons

For  $1\gamma$  processes, this is expected to result from the fragmentation of quarks produced with a  $1 + \cos^2\theta$  distribution at the quark level, and so to be almost isotropic. In the  $2\gamma$  process the largest contribution is expected on the basis of VDM to result from quasi-diffractive pp scattering, and so to have the most energetic particles at small angles.

In Figures 3 and 4  $E_{vis}$  is plotted for respectively, diffractive and high  $p_t$  (two jets as in Fig. 1.a)  $2\gamma$  processes<sup>9</sup>). In both cases a cut  $\theta > 10^\circ$  is made on the produced hadrons. In Fig. 4 the expected  $1\gamma$  signal, assuming a resolution of  $0.5\sqrt{E}(\text{GeV})$  for  $E_{vis}$  is also shown. It is clear that a cut  $E_{vis} > 100 \text{ GeV}$  will reduce the background even from the high  $p_t$   $2\gamma$  process to negligible levels, while retaining all but a few % at the  $1\gamma$  signal. More details of the Monte Carlo simulation used for these plots are given in Ref. 9

## 2.2 Heavy Lepton Production

Here the process of interest is supposed to be  $1\gamma$  production of a new heavy lepton  $L$  of mass greater than the  $\tau$ . As for the  $\tau$ , the cleanest experimental signature is expected to be in the purely leptonic decay channels, in particular the  $e\mu$  channel i.e.

$$e^+e^- \rightarrow L^+L^- \rightarrow e\mu + 4\nu$$

There are a number of different  $2\gamma$  processes contributing background:

$$e^+e^- \rightarrow e^+e^-\mu^+\mu^-$$

$$e^+e^- \rightarrow e^+e^-\tau^+\tau^- \rightarrow e^+e^-\mu + 4\nu$$

$$\text{or } \rightarrow e^+e^-\mu\mu + 4\nu$$

$$e^+e^- \rightarrow e^+e^-\ell^+\ell^- \rightarrow e^+e^-\mu\mu + 4\nu$$

where  $\ell$  is a heavy lepton with  $m_\tau < m_\ell < m_L$ .

Backgrounds also arise from  $1\gamma$  production of lighter heavy leptons:

$$e^+e^- \rightarrow \tau^+\tau^- \rightarrow e\mu + 4\nu$$

$$e^+e^- \rightarrow \ell^+\ell^- \rightarrow e\mu + 4\nu$$

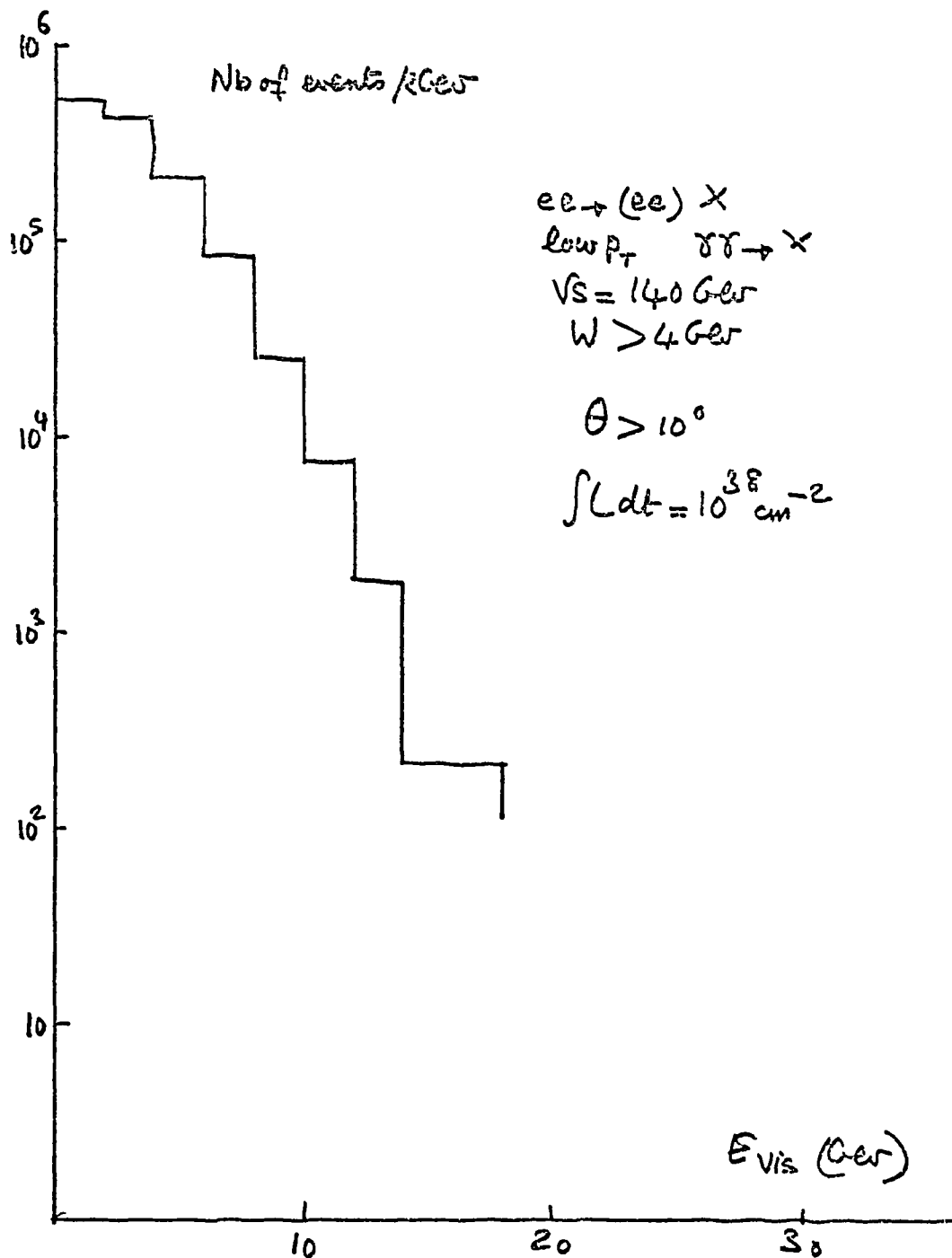


Figure 3

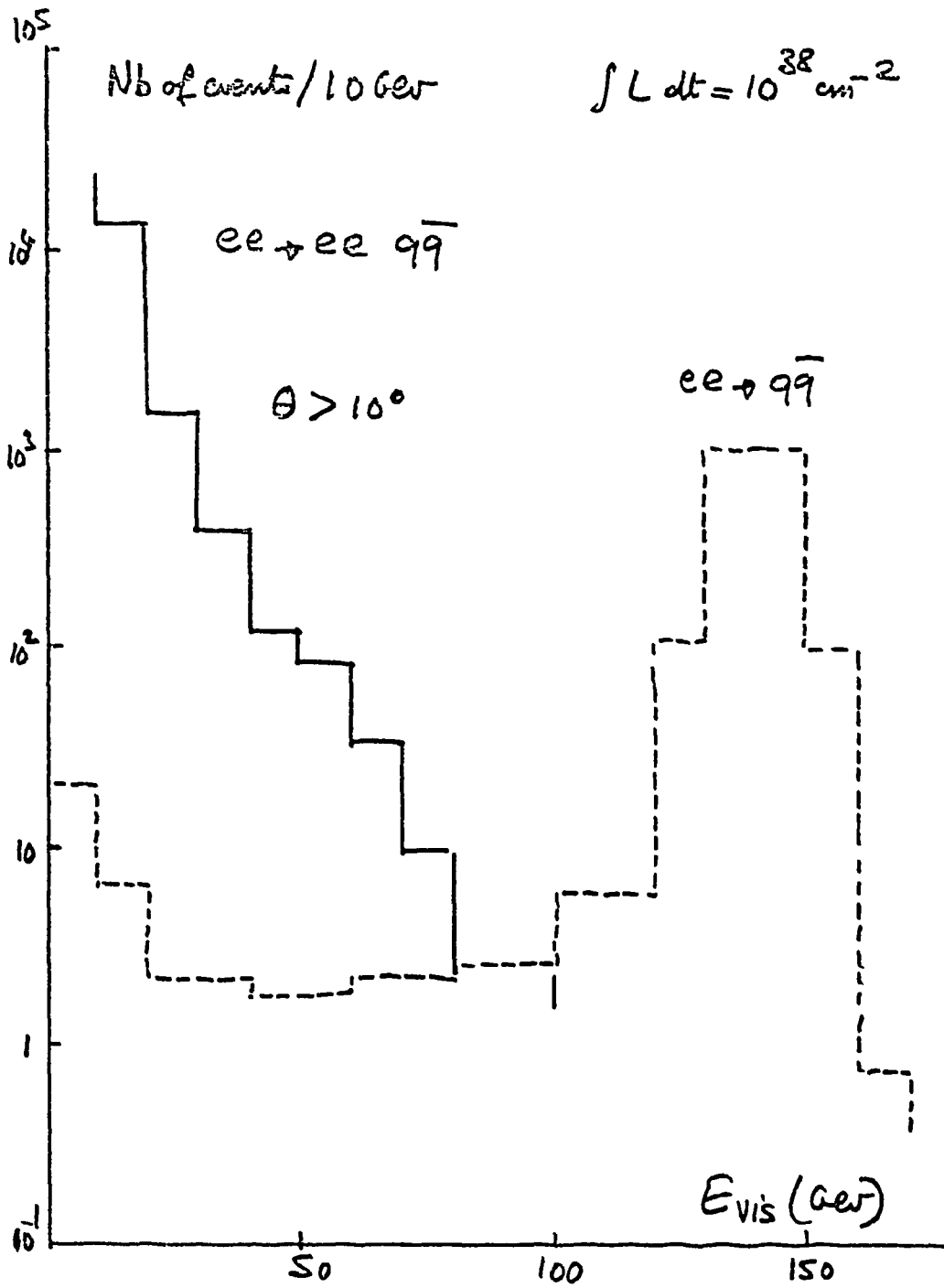


Figure 4

Because of the large energy carried away by neutrinos,  $E_{\text{vis}}$  is no longer a useful parameter in separating background. The problem is illustrated in Fig. 5 where the  $1\gamma$  production of a 40 GeV heavy lepton is compared to the  $2\gamma$  background from  $e^+e^- \rightarrow e^+e^-\mu^+\mu^-$  (9). The  $\mu\mu$  signature is used and  $E_{\text{vis}} = E_{\mu^+} + E_{\mu^-}$ . Cuts  $\theta_{\mu^+}, \theta_{\mu^-} > 10^\circ$  are used to suppress the  $2\gamma$  background, but even so, the heavy lepton signal is buried by some two orders of magnitude under the background.

This problem has been studied in some detail at PEP/PETRA energies by Vermaseren<sup>10)</sup>. To separate the  $e^+e^- \rightarrow e^+e^-\mu^+\mu^-$  background, where an e and a  $\mu$  are unobserved, use can be made of strong peaking of the unobserved electron in the beam direction. Suppose that the  $e^+$  and  $\mu^-$  are observed, the  $e^-$  and  $\mu^+$  being considered "missing" whether or not they are within the acceptance of the apparatus. The polar angle of the missing momentum vector can be calculated from the kinematical variables of the observed particles:

$$\cos\theta^{\text{miss}} = \frac{p_L^{\text{miss}}}{E^{\text{miss}}} = -\frac{(p_{e^+} \cos\theta_{e^+} + p_{\mu^-} \cos\theta_{\mu^-})}{2E - E_{e^+} - E_{\mu^-}}$$

This variable is plotted for  $E = 15$  GeV,  $M_L = 5$  GeV, in Fig. 6<sup>10)</sup>. Making a cut  $|\cos\theta^{\text{miss}}| < 0.3$  retains all the heavy lepton signal. In most cases when  $|\cos\theta^{\text{miss}}| < 0.3$  either the  $e^-$  and/or the  $\mu^+$  will also be seen in the detector so the background level will in fact be even lower than shown in Fig. 6. However, scaling to LEP energies, the  $2\gamma$  signal will be relatively ~20 times higher, corresponding to a signal/background ~1/1 on the peak of the heavy lepton signal. As noted above the background level will certainly be suppressed further by observation of the  $e^-$  or  $\mu^+$ . The background level can also be estimated by taking different charge combinations. With  $e^+\mu^+$ ,  $e^-\mu^-$  identical distributions to  $e^+\mu^-$  should be obtained for the background contribution.

To separate the channels:

$$\begin{aligned} e^+e^- &\rightarrow L^+L^- \rightarrow e\mu + 4\nu \\ &\rightarrow \tau^+\tau^- \rightarrow e\mu + 4\nu \\ &\rightarrow e^+e^-\tau^+\tau^- \rightarrow e\mu + (e\mu)_{\text{unseen}} + 4\nu \end{aligned}$$

Vermaseren<sup>10)</sup> suggests use of the variable  $p_{\perp}^r$ . If  $p_{\perp}^e$  ( $p_{\perp}^{\mu}$ ) is the transverse momentum of the  $e$  ( $\mu$ ), with respect to the  $\mu$  ( $e$ ) direction,  $p_{\perp}$  is the minimum of  $p_{\perp}^e$ ,  $p_{\perp}^{\mu}$ . This variable measures the transverse momentum in the heavy lepton decay, and has a kinematic limit determined by the heavy lepton mass. In Fig. 7  $\frac{d\sigma}{dp_{\perp}^r}$  is shown for  $E = 15$  GeV and heavy lepton masses of 1.8, 5, 10, 14 GeV. Other cuts are detailed in Ref. 10. Also shown is the contribution from the  $e^+e^-\tau^+\tau^-$  final state. Remembering that this signal will be some 20 times higher at LEP energies one cannot be too optimistic as to the possibilities of making a clean separation.  $2\gamma$  production of intermediate mass heavy leptons  $\ell$  will further complicate the situation.



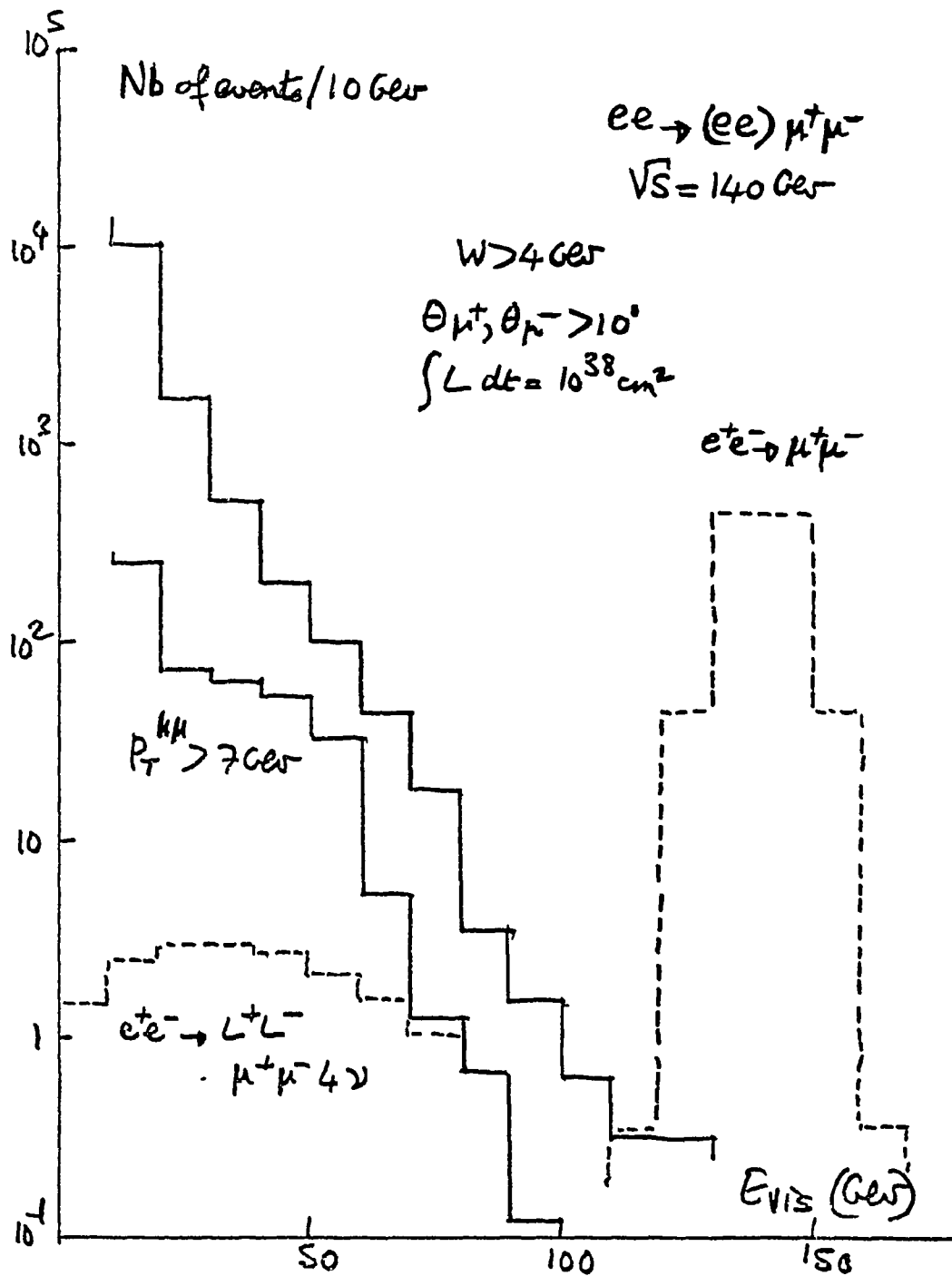


Figure 5

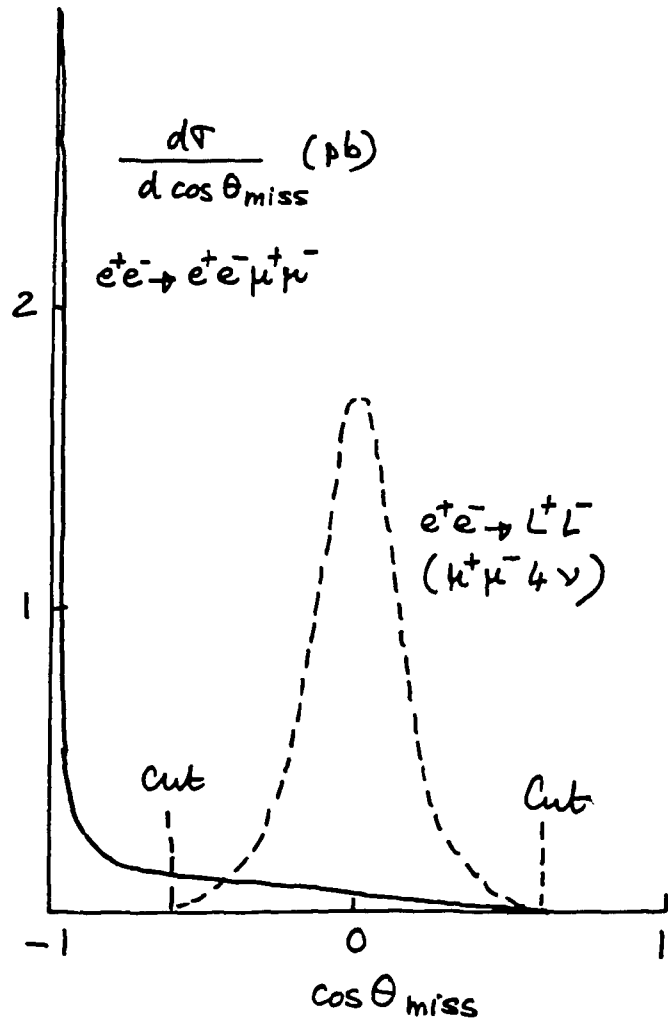


Figure 6

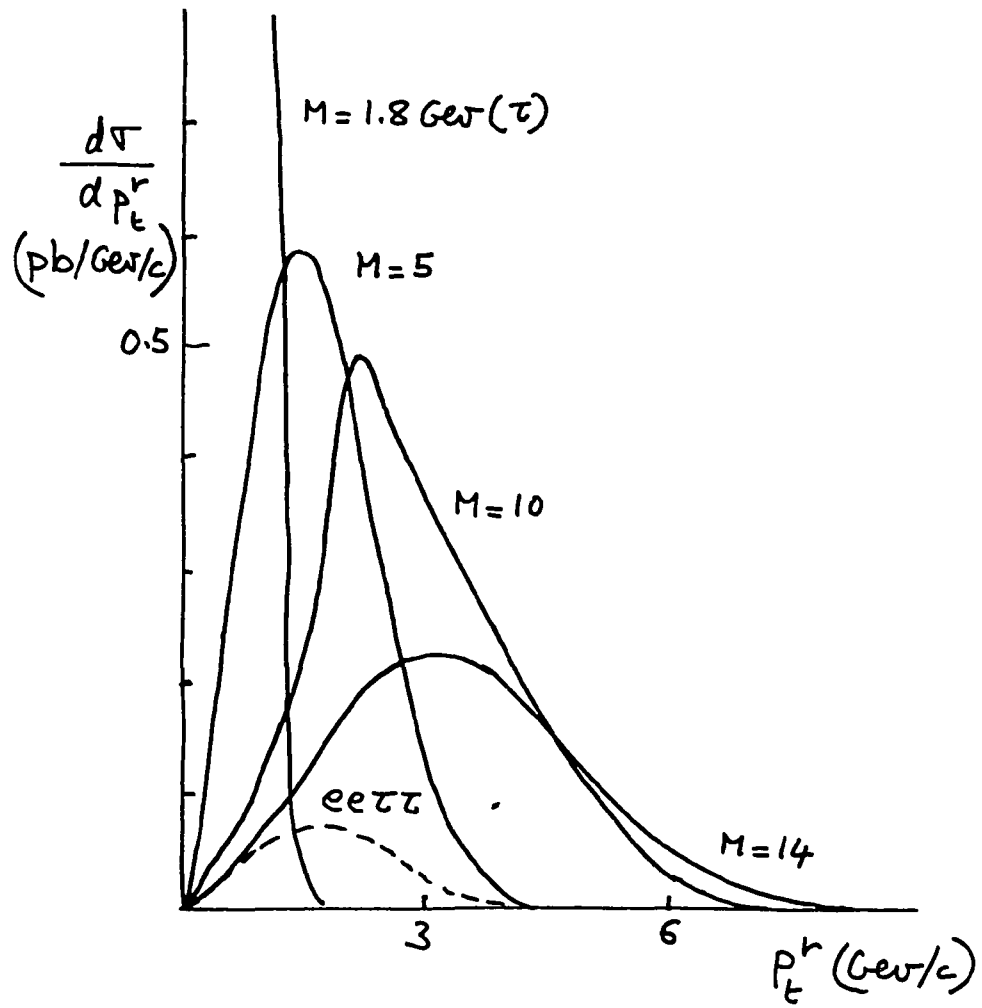


Figure 7

In conclusion more work must be done and more ideas are needed before a clear separation of heavy lepton events from various backgrounds can be expected at LEP energies. The existence of such leptons could no doubt be established by looking for thresholds in the energy dependence of the  $e\mu$  signal. To produce clean event samples for more detailed studies seems more difficult.

### 3. 2 $\gamma$ Physics

#### 3.1 Jet Production

A large number of different processes leading to jets in the final state are expected in  $2\gamma$  collisions. Some of these processes are shown in Fig. 1<sup>1)</sup>. The characteristic  $x_R$  and  $p_t$  behaviour of the produced jets is indicated. All reactions except that in Fig. 1.c) which corresponds to diffractive  $\rho\rho$  scattering in the VDM model, have two jets at high  $p_t$ , accompanied by 0, 1 or 2 jets in the beam directions. The  $p_t$  behaviour of some of the processes is shown in Figs 8, 9 for  $E = 15, 70 \text{ GeV}^{1,2)$ .  $E p_t^4 \frac{d\sigma}{d^3p_{\text{Jet}}}$  is plotted versus  $p_t$  for  $\theta^{\text{jet}} = 90^\circ$ . The already mentioned leading behaviour of the QED graph of Fig. 1.c) is evident. Of particular interest is the 1st order QCD graph of Fig. 1.d) which leads to a 3-jet event. The contribution is comparable to that of the QED graph, and dominates the competing C.I.M. (Constituent Interchange Model) 3-jet process, for  $p_t^{\text{jet}} > 10 \text{ GeV}$ ,  $E = 70 \text{ GeV}$  (Fig. 9). The interest of this process is that a single gluon jet should be produced, clearly separated from the quark jets, so that the properties of the gluon fragmentation function may be directly studied. Another interesting point is the absolute cross-section of the QED graph. As pointed out in P. Landshoff's review, this is 2.5 times larger in the integer charge (Han Nambu) model than in the fractionally charged (Gell-Mann Zweig) model and should allow an easy experimental discrimination between these two models.

All the processes in Fig. 1 have a common experimental signature, two jets should be observed, co-planar with the beams, but in general non-collinear. In addition there may be further jets along the beam pipes. Because of the  $\gamma\gamma$  luminosity function, generally  $E_{\text{vis}} \ll 2E$ , making the experimental identification of the jets more difficult than in  $1\gamma$  reactions. To disentangle the different topologies good acceptance near the beam pipes, and double tagging to give kinematically constrained events will be needed. The jets themselves, however, particularly from the leading QED graph, should be evident even without tagging. In fact a clear separation of the 2-jet process, Fig. 1.a), from the diffractive process, Fig. 1.c), can already be seen at the level of the single hadron inclusive distributions, in the Monte Carlo studies of Ref. 5, when suitable cuts are made. This is shown in Fig. 10, where the number of charged tracks is plotted versus their momentum for the QED ( $q\bar{q}$ ) and diffractive ( $\rho\rho$ ) processes.

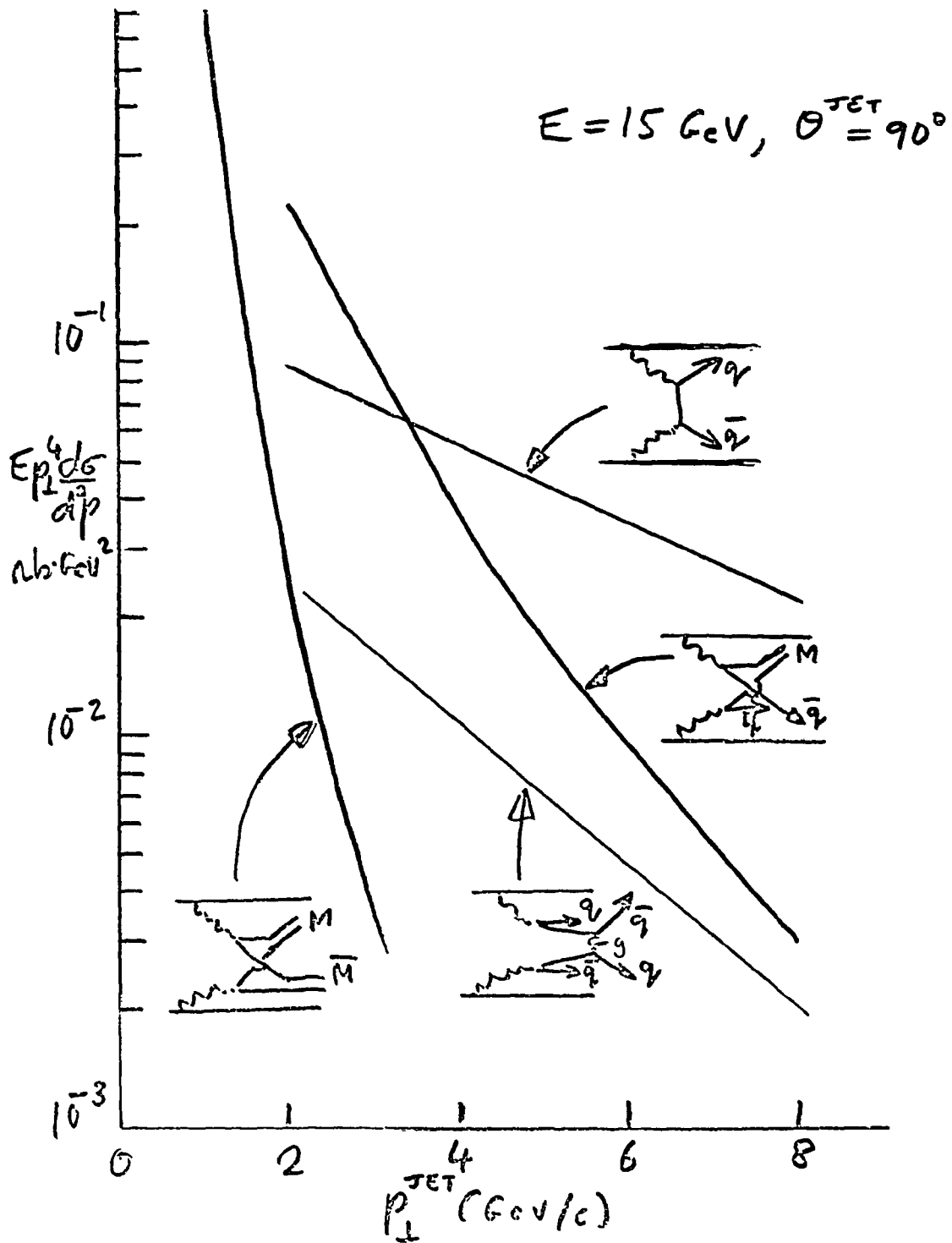


Figure 8 : Jets in  $\gamma\gamma$  collisions. Brodsky, Gunion, DeGrand, Weis  
P.R.L. 41 (1978) 672

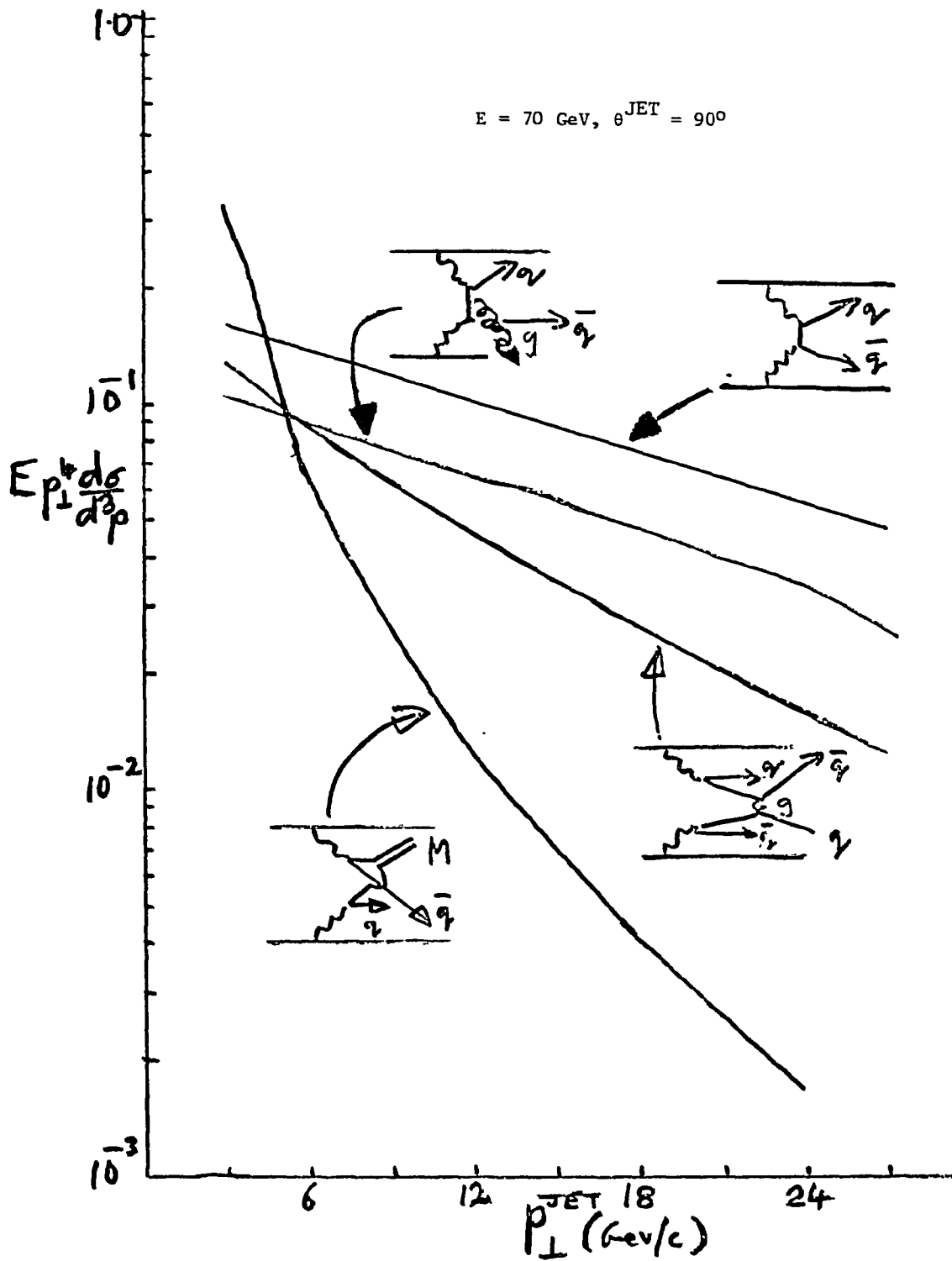


Figure 9 : T. DeGrand. ECFA/LEP 37

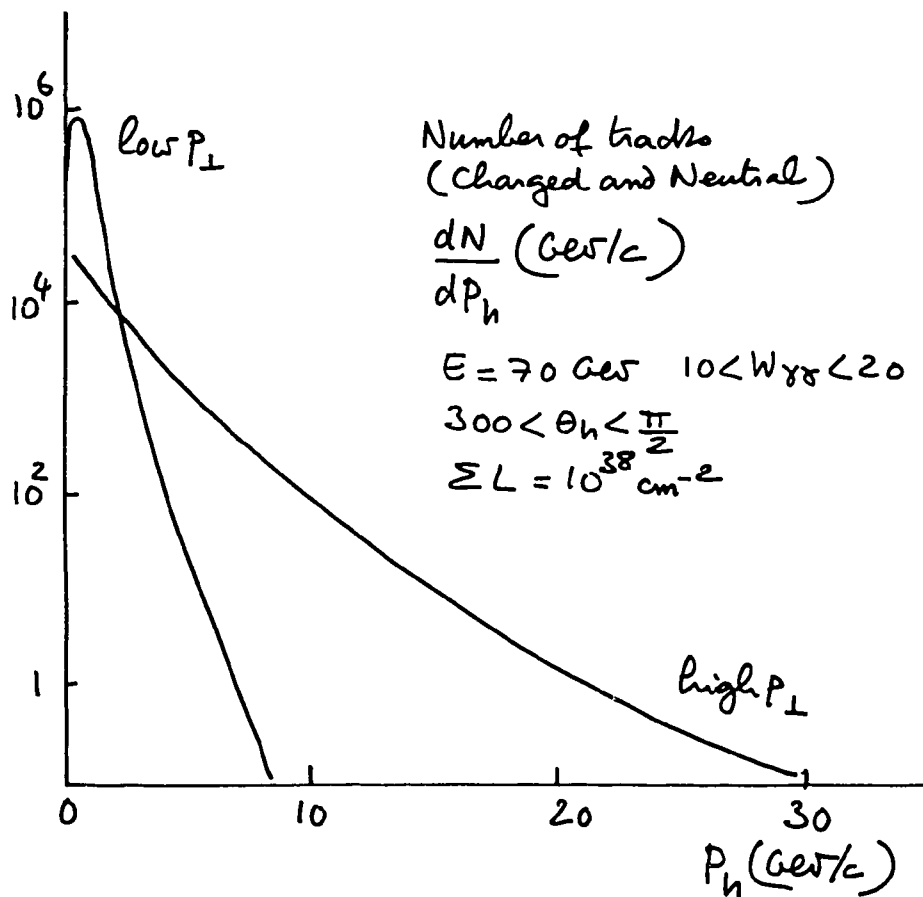


Figure 10 : Separation of high  $p_{\perp}$  and low  $p_{\perp}$   $2\gamma$  processes from single particle inclusive distributions. M. DAVIER, ECFA/LEP 26

### 3.2 Deep Inelastic $\gamma\gamma$ Scattering

The physical interest of this process, as a particularly clean test of quark parton and QCD ideas, has been stressed in Landshoff's review. The numbers of events which may be expected above the kinematical region accessible to PEP and PETRA, for an integrated luminosity of  $L = 10^{38} \text{ cm}^{-2}$  and  $E = 70 \text{ GeV}$  are:

$Q^2(\text{GeV}/c)^2$	$W_{\gamma\gamma} = 10 - 20 \text{ GeV}$	$20 - 50 \text{ GeV}$
1 - 25	265	850
25 - 100	15	7
> 100	5	10

These figures assume a 5% double tagging efficiency and equal contributions from the box diagram discussed by P. Landshoff, and a VDM contribution which is expected to dominate when  $x = \frac{Q^2}{Q^2 + W_{\gamma\gamma}^2} \approx 0$ . Over  $10^3$  events are expected, which should be sufficient to test the two most interesting theoretical predictions:

- the shape of  $F_2(x)$
- the rise  $\propto \ln Q^2$  in  $F_2(x)$  near  $x = 1$ .

### 3.3 Production of $C = +1$ Mesons

$\gamma\gamma$  collisions give a unique opportunity to study the direct production of  $C = +1$  states, via the process

$$e^+e^- \rightarrow e^+e^-\gamma\gamma + e^+e^-X$$

where  $X$  is a  $C = +1$  meson, e.g.  $\pi^0$ ,  $\eta^0$ ,  $\eta'$ ,  $\eta_c$ ,  $\chi$ ,  $\eta_b$ ,  $\eta_t$ , ... This method has the advantage, over scanning for new states with  $J^{PC} = 1^{--}$ , in the annihilation channel, that a single run at the maximum beam energy makes available the entire spectrum of  $C = +1$  states to which the machine is sensitive. No time-consuming and rather hazardous (if the states are very narrow) energy scanning is needed. However, if the states are narrow, the available  $\gamma\gamma$  luminosity at any given mass is rather low. Consider for example  $\eta_c$  and  $\eta_b$  states with parameters:

$$\begin{aligned} \eta_c & ; M = 2.8 \text{ GeV}, \Gamma_{\gamma\gamma} = 10 \text{ keV} \\ \eta_b & ; M = 9.2 \text{ GeV}, \Gamma_{\gamma\gamma} = 20 \text{ keV} \end{aligned}$$

The total cross-sections for production of these states using beam energies of 15, 70 GeV are, in pb:

$E(\text{GeV})$	$\eta_c$	$\eta_b$
15	104 (116)	2.0 (2.0)
70	265	9.4

The cross-sections were calculated in the DEPA (Double Equivalent Photon Approximation)<sup>11)</sup>. The bracketed numbers are the result of an exact Feynman diagram calculation<sup>12)</sup>. On the assumption of an integrated luminosity of  $L = 10^{38} \text{ cm}^{-2}$



and 5% double tagging efficiency, the following number of events are obtained:

$\eta_c$	$\eta_b$
1330	50

Whether these represent observable signals depends on the level of background underneath the resonance peaks. The widths of the latter are determined by the experimental resolution in the  $\gamma\gamma$  effective mass,  $W_{\gamma\gamma}$ . This is given, for production of the resonance at rest in the lab. system, by:

$$r_{N_{\gamma\gamma}} = 2E \sqrt{\frac{1}{2} \left(\frac{\sigma E}{E}\right)^2 + \frac{1}{2} \left(\frac{\sigma E'}{E'}\right)^2} \quad (3)$$

The dependence of  $\sigma_{W_{\gamma\gamma}}$  on the rapidity of the produced state is weak, so only a small error is made by using Eq. (3).  $\sigma E/E$  is determined by the beam energy spread in the machine, and is typically  $\sim 10^{-3}$  (13). The best value that can be expected for  $\sigma E'/E'$  is that obtained by using NaI detectors for the scattered electrons<sup>14</sup>):

$$\frac{\sigma E'}{E'} = \frac{0.02}{(E')^{1/4}} \approx 7.0 \times 10^{-3} \quad (E' \approx 70 \text{ GeV})$$

so the error on  $E'$  is the dominant one and

$$\sigma_{W_{\gamma\gamma}} \approx \sqrt{2} E \frac{\sigma E'}{E'} \approx 900 \text{ MeV} \quad (E = 70 \text{ GeV})$$

Defining the resonance peak by a region  $\pm 2\sigma_{W_{\gamma\gamma}}$  centered on the maximum, the expected number of background events is<sup>11</sup>):

$$N_b = \epsilon_{DT} L_{ee} \sigma_{\gamma\gamma}^{\text{tot}} \left(\frac{2\alpha}{\pi}\right)^2 \left(\ln(E/m_e)\right)^2 \frac{1}{z} \left(4 \ln \frac{1}{z} - 3\right) \frac{2\sigma_{W_{\gamma\gamma}}}{E} \quad (4)$$

where:  $z = \frac{M_X}{2E} \ll 1$ ,  $\epsilon_{DT}$  = double tagging efficiency,  $L_{ee}$  = luminosity  
 $= 0.05$   $= 10^{38} \text{ cm}^{-2} \text{ s}^{-1}$

Taking  $\sigma_{\gamma\gamma}^{\text{tot}} = 250 \text{ nb}$  leads to the following number of background events, and statistical significance for the signals:

	$\eta_c$	$\eta_b$
Signal	1330	50
Background	$6.9 \times 10^4$	$7.0 \times 10^3$
Statistical Significance	$5\sigma$	$0.6\sigma$

The situation for the  $\eta_b$  may not be quite so pessimistic as these numbers suggest. As will be discussed in the following section, arguments can be given why the tagging efficiency for background events may be considerably less than the simple expression:

$$\epsilon_{DT} \approx \ln^2(\theta_{\text{max}}/\theta_{\text{min}}) / \left(\ln(E/m_e)\right)^2,$$

though the signal should not be so suppressed. The signal/noise ratio can also be improved by making cuts on the  $p_t$  of the produced hadrons. Those resulting from the resonance decay, coming, for example, from the fragmentation of two wide angle gluons, should extend to higher  $p_t$  values than the background which is expected to be predominantly diffractive.

#### 4. Tagging of Scattered Electrons

##### 4.1 Tagging Efficiency

Except in the region very close to  $x_e = E'_e/E = 1$  the single tagging efficiency is almost independent of the scattered electron energy  $E'_e$ , and is given approximately (within 10%) by the expression

$$\epsilon_{ST} = \ln \frac{\theta_{\max}}{\theta_{\min}} / \ln (E/m_e) \quad (5)$$

The tagging efficiency in the region near  $x = 1$ , (actually where  $\frac{(1-x_e)^2}{x_e} \leq \theta^2$ ) is given to within ~ 1% by replacing  $\ln (\theta_{\max}/\theta_{\min})$  by the expression<sup>11)</sup>:

$$\ln \left( \frac{\theta_{\max}}{\theta_{\min}} \frac{\left[ (1-x_e)^2 + x_e \theta_{\min}^2 \right]^{1/2}}{\left[ (1-x_e)^2 + x_e \theta_{\max}^2 \right]^{1/2}} \right) \quad (6)$$

The definition of tagging efficiency in Eq. (5) is the ratio of the flux of virtual photons at a given value of  $x_e$  in the angular region  $\theta_{\min} < \theta < \theta_{\max}$  to the flux in the full angular range  $0 < \theta < \pi$ . It has been pointed out by M. Davier<sup>6)</sup> that in processes where the virtual photon couples to the produced hadronic system via the propagator of a light vector meson ( $\rho$ ,  $\omega$ ,  $\phi$ ) the tagging efficiency will be considerably suppressed compared to the value given by Eqs. (5) and (6). In the case when the vector meson propagator is given by  $\frac{1}{(1-q^2/m^2)^2}$  and the scattered electron angular distribution in the absence of the propagator is  $d\theta^2/\theta^2$ , the suppression factor may be calculated analytically with the result:

$$S(x_e, \theta_{\max}, \theta_{\min}) = \frac{1}{\ln \left( \frac{\theta_{\max}^2}{\theta_{\min}^2} \right)} \left( \ln \left( \frac{\theta_{\max}^2}{\theta_{\min}^2} \frac{P(x_e, \theta_{\min})}{P(x_e, \theta_{\max})} \right) + \frac{1}{P(x_e, \theta_{\max})} - \frac{1}{P(x_e, \theta_{\min})} \right)$$

where  $P(x, \theta) = 1 + \frac{x E^2 \theta^2}{m_\rho^2}$ .

Figure 11 shows  $S$  for  $E = 70$  GeV,  $\theta_{\min} = 10$  mr,  $\theta_{\max} = 100$  mr and  $m_\rho = 0.773$  GeV. In the region near  $x_e = 1$ ,  $S$  is  $\approx 0.05$ .

It should be pointed out however, that by no means all hadronic final states are expected to be produced by VDM like coupling to virtual photons. Some exceptions are:

- production of high  $p_t$  jets (point-like coupling of both photons)

- deep inelastic photon coupling (point-like coupling at high  $Q^2$  photon)
- heavy  $C = +1$  resonance production. If  $\eta_c$ , for example, is produced via a VDM-type diagram the propagators might be expected to have a mass  $M_{J/\psi}^2$  rather than  $M_\rho^2$  and so have a much flatter  $Q^2$  dependence.

For these processes one might hope that the propagator effects would improve the signal/background ratio by suppressing uninteresting diffractive background. However, it should be stressed that it is quite unknown how much of the total  $\gamma\gamma$  cross-section is VDM-like and how much point-like, so the curve of Fig. 11 should be treated as a lower limit. It is also interesting to note that the suppression is least important in the region of small  $x$ , corresponding to large effective masses of the produced  $\gamma\gamma$  system. This is the kinematic region where it is important to have samples of tagged  $2\gamma$  events to estimate background levels to  $1\gamma$  processes. Clearly, one of the most interesting quantities to measure in a  $2\gamma$  experiment, at a very early stage, will be the  $Q^2$  dependence of the total hadronic cross-section at relatively low values of  $Q^2 \leq 1 \text{ GeV}/c^2$  so as to shed light on the VDM versus point-like nature of the coupling of photons to hadrons in  $2\gamma$  collisions.

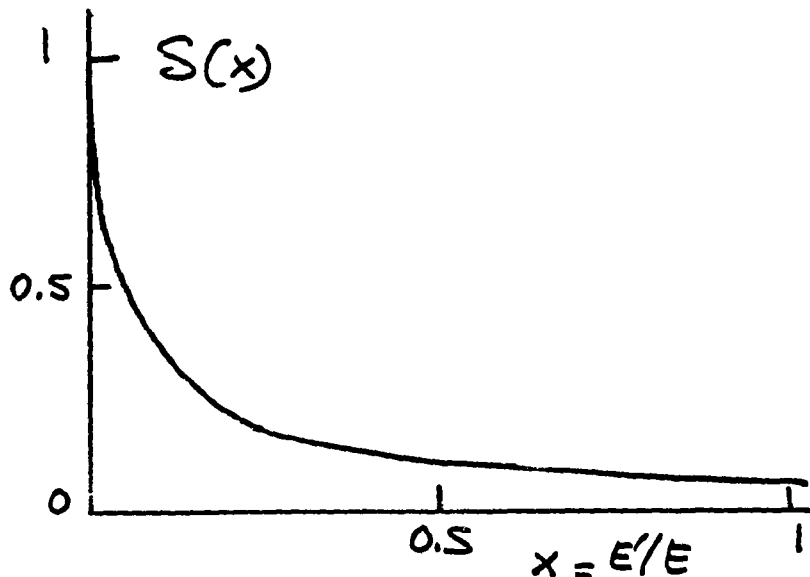


Figure 11 :  $S(x)$  = suppression factor of single tagging rate due to  $\rho$  propagator  $1/(1 - q^2/m_\rho^2)^2$ .  
 $E = 70 \text{ GeV}$ ,  $10 \text{ ms} < \theta < 100 \text{ ms}$ ,  $m_\rho = 0.773 \text{ GeV}$

#### 4.2 Backgrounds in Tagging

Two different types of background are considered here. The first is an "intrinsic" background resulting from misidentification of forward produced hadrons as electrons. The second results from various external processes that produce electrons at small angles.

In Fig. 12 the  $x_e$  distribution of scattered electrons in a typical range of tagging angles  $10 \text{ mrad} < \theta < 100 \text{ mrad}$  is shown with 3 different assumptions:

$$\text{Curve B} \quad \frac{dN}{dX_e} \propto \frac{1 + X_e^2}{1 - X_e} \ln \frac{\theta_{\max}}{\theta_{\min}}$$

$$\text{Curve C} \quad \frac{dN}{dX_e} \text{ given by exact EPA expression}^{11)}$$

$$\text{Curve D} \quad \frac{dN}{dX_e} \propto \frac{1 + X_e^2}{1 - X_e} \ln \frac{\theta_{\max}}{\theta_{\min}} S(X_e, \theta_{\max}, \theta_{\min})$$

i.e.  $\rho$  propagator effect from Eq. (7) included.

Also shown in Fig. 12, with the correct relative normalization, is the expected distribution of charged hadrons in the same angular region, from diffractive type  $2\gamma$  events<sup>5)</sup> where, in almost all cases, the corresponding scattered electrons are in the beam pipe and unobserved (Curve A). It can be seen for small values of  $X_e$ ,  $X_h$  the flux of hadrons is some 2 orders of magnitude higher than the scattered electrons. This can also be seen in Fig. 13 where the ratio of Curve A to Curve D is shown. To reduce the number of false tags to acceptable levels a hadron/electron discrimination factor in the tagging system of the order of  $10^3$  is needed. If the total energy of the produced hadrons  $E_{\text{vis}}$  is measured with good efficiency, this background should be largely removed by accepting only events where this directly measured energy agrees with the value  $E_{\text{tag}} = 2E - E'_1 - E'_2$  calculated from the energies  $E'_1, E'_2$  of the scattered electrons. For the background events, coming predominantly from low energy misidentified hadrons, it is expected that  $E_{\text{tag}} \gg E_{\text{vis}}$ .

Some order of magnitude estimates of backgrounds due to various sources of small angle electrons are presented in Table 1. The angular range is  $15 \text{ mrad} < \theta < 150 \text{ mrad}$ ,  $E = 70 \text{ GeV}$  and  $L = 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$ . The entries are the single tagging rate and the double tagging rate, resulting, in all cases except DBBB, from accidental coincidences. These latter have a rate:

$$f_{\text{DT}} = \frac{1}{2} \frac{(f_{\text{ST}})^2}{f_{\text{B}}} e^{-f_{\text{ST}}/f_{\text{B}}}$$

where  $f_{\text{ST}}$  is the single tagging frequency and  $f_{\text{B}}$  is the bunch crossing frequency = 54 kHz in LEP 70 with 4 bunches in each beam. Also indicated in Table 1 are

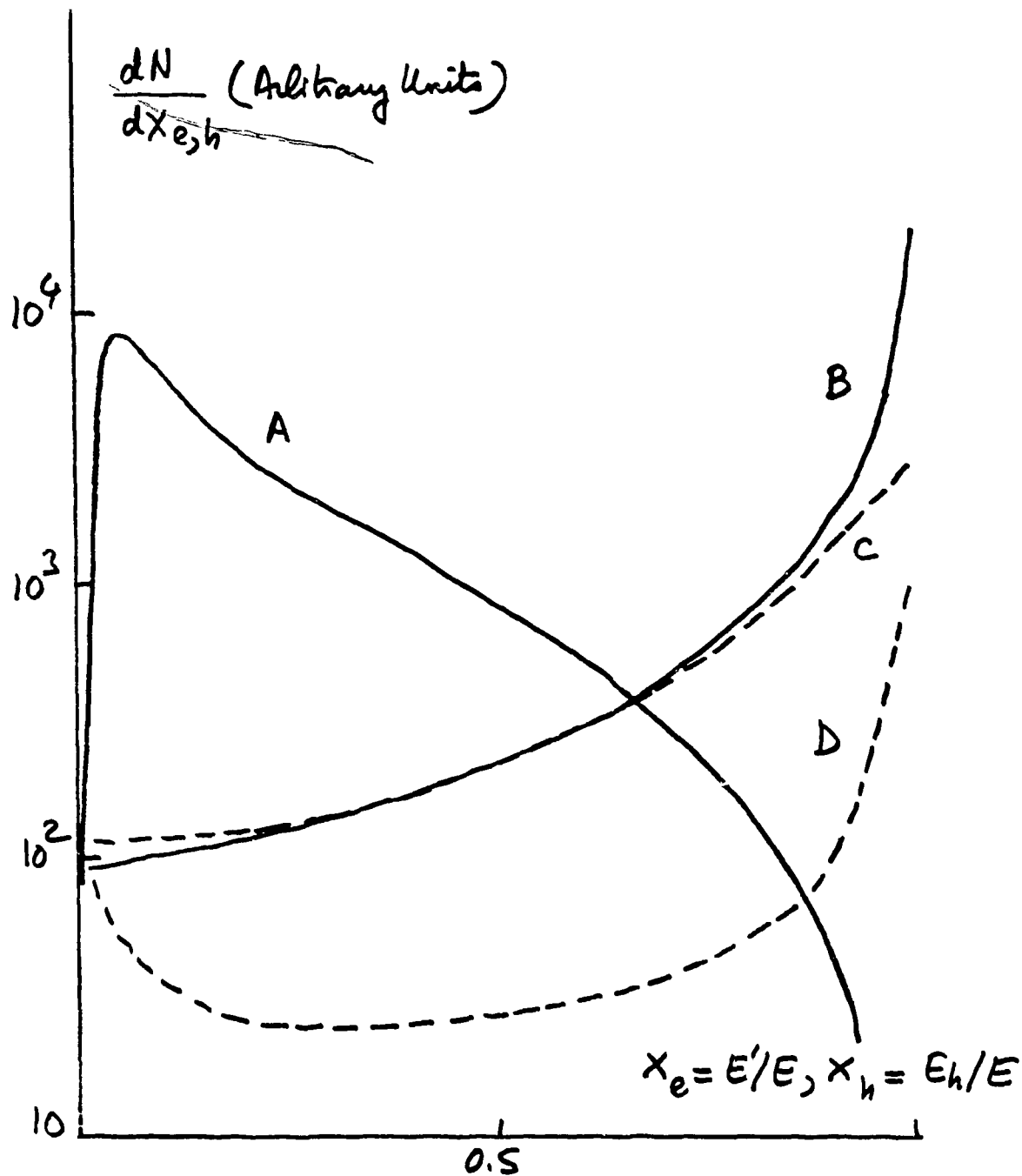


Figure 12 : Comparison of fluxes of charged hadrons and scattered electrons in the tagging region  $10 \text{ mrad} < \theta < 100 \text{ mrad}$   
 $E = 70 \text{ GeV}$ ,  $W > 4 \text{ GeV}$

A : hadrons

B : electrons, tagging eff:  $\ln \frac{\theta_{\max}}{\theta_{\min}} / \ln E/m_e$

C : electrons, tagging eff: complete EPA formula<sup>11)</sup>

D : electrons, as B but  $\rho$  propagators effect included

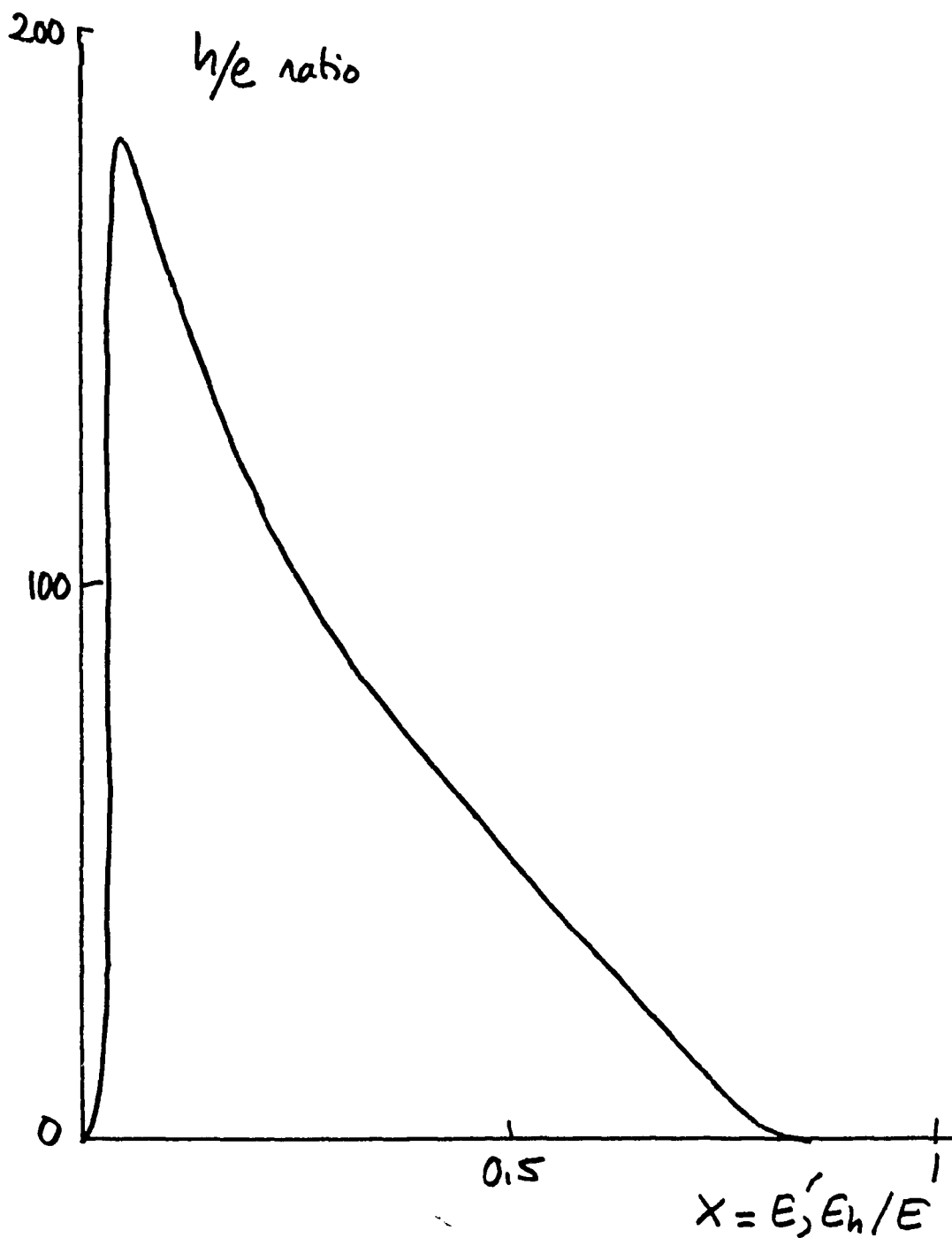


Figure 13 : Ratio of charged hadrons to scattered electrons in the tagging region  $10 \text{ mrad} < \theta < 100 \text{ mrad}$ .  
 $E = 70 \text{ GeV}$ ,  $W > 4 \text{ GeV}$

the main characteristics of the energy spectra of the electrons from the various sources. The bremsstrahlung rates BBB and DBBB, as well as the pair production and Compton rates were taken from formulae and plots given in Ref. 15. The BGB rates were taken from the LEP-70 study<sup>16)</sup> and refer to a pressure of  $10^{-10}$  torr.

It can be seen that the most serious background because of its high rate, and because the electrons are quite hard and so cannot be significantly reduced by energy thresholds, is that due to beam-gas bremsstrahlung (BGB). This background consists of electrons, which lose energy in collisions with residual gas in the long straight sections, but remain trapped in the machine until they encounter the strong field gradients of the low- $\beta$  quadrupoles just before the intersection region, which deflect them into the experimental detectors. The bracketed BGB rates in Table 1 refer to a vacuum of  $5 \times 10^{-9}$  which is typically what is aimed for at PEP and PETRA. Such a vacuum gives a single tag rate of  $\sim 1.4 \times 10^5$  Hz,  $10^6$  times larger than the rate from  $2\gamma \rightarrow$  hadrons, and corresponding to more than two background hits per beam crossing. If  $2\gamma$  physics is to be possible, or more generally, if any type of tagging is contemplated, the vacuum in the straight sections is of crucial importance. This must be at the  $10^{-10}$  torr level if the BGB rates are to be  $\sim$  a few % per beam crossing. Other methods of reducing this background are:

- High Z shielding in the vacuum pipe to absorb electrons not passing close to the interaction point;
- A requirement in the fast trigger, by the use of coincidence matrices, that accepts only electrons pointing from near the interaction point.

#### 5. Detector Design

As discussed in more detail in Refs. 7 and 8, technical limitations impose on the design of  $2\gamma$  detectors typically four different regions of polar angle  $\theta$ , relative to the beams, of produced particles. These regions with typical values of  $\theta$  are:

- |                     |                           |
|---------------------|---------------------------|
| a) Beam pipe        | $0 < \theta < 10$ mrad    |
| b) Tagging          | $10 < \theta < 100$ mrad  |
| c) Forward Detector | $100 < \theta < 300$ mrad |
| d) Central Detector | $\theta > 300$ mrad       |

Particles can be detected only in b, c) and d) and there are often dead areas between these regions, due again to various technical constraints.

In Figures 14 - 16 are shown inclusive hadron momentum spectra for the 4 regions a) - d) for the following three processes<sup>5)</sup>

- (i)  $e^+e^- \rightarrow e^+e^- +$  hadrons (low- $p_t$ ,  $\rho\rho$  scattering)

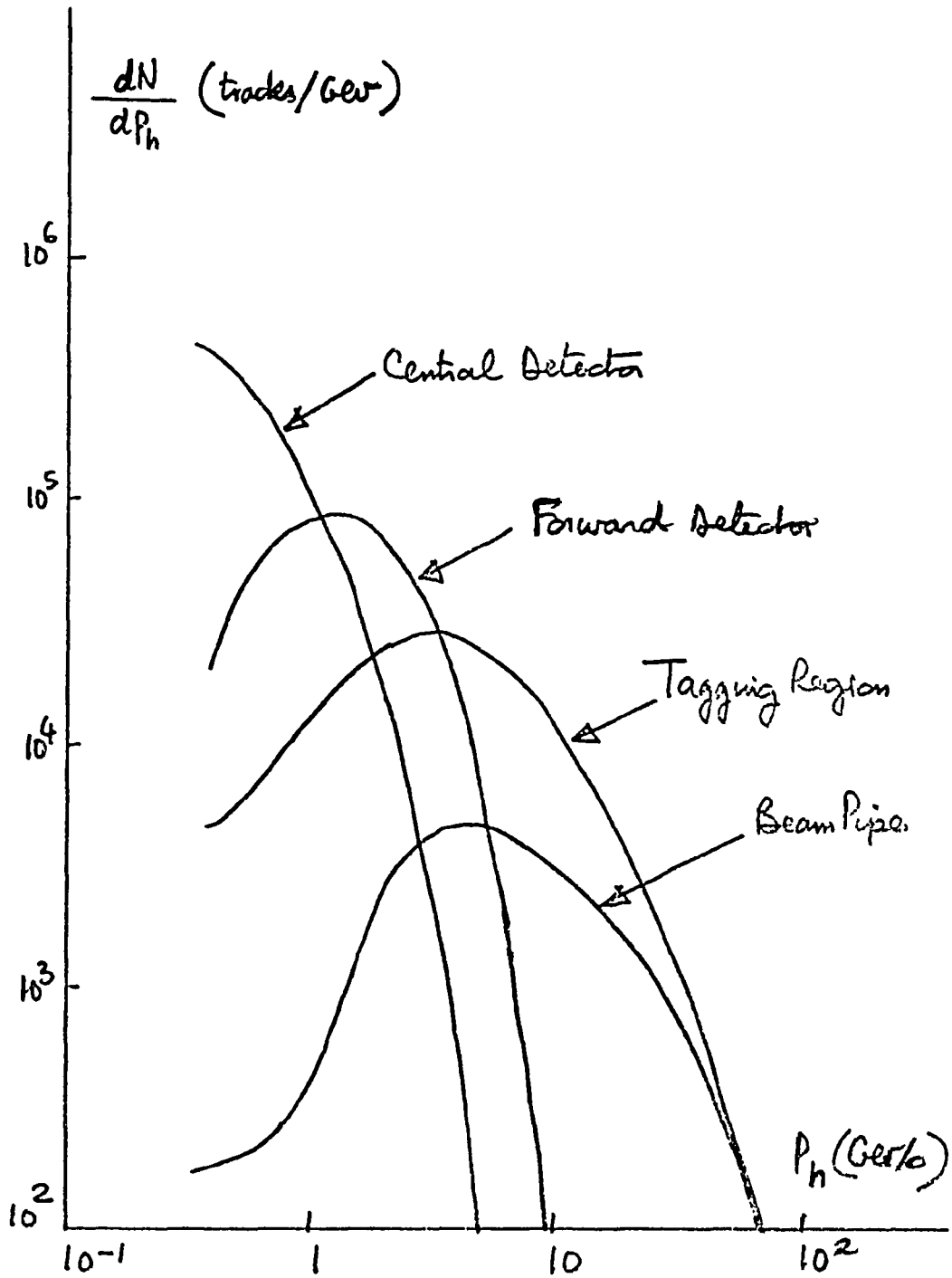


Figure 14 : Inclusive hadron spectra (M. Davier ECFA/LEP 26)  
 $e^+e^- \rightarrow e^+e^-X$  (low  $p_T$ )  
charged + neutral,  $E = 70$  GeV,  $W_{\gamma\gamma} > 4$  GeV



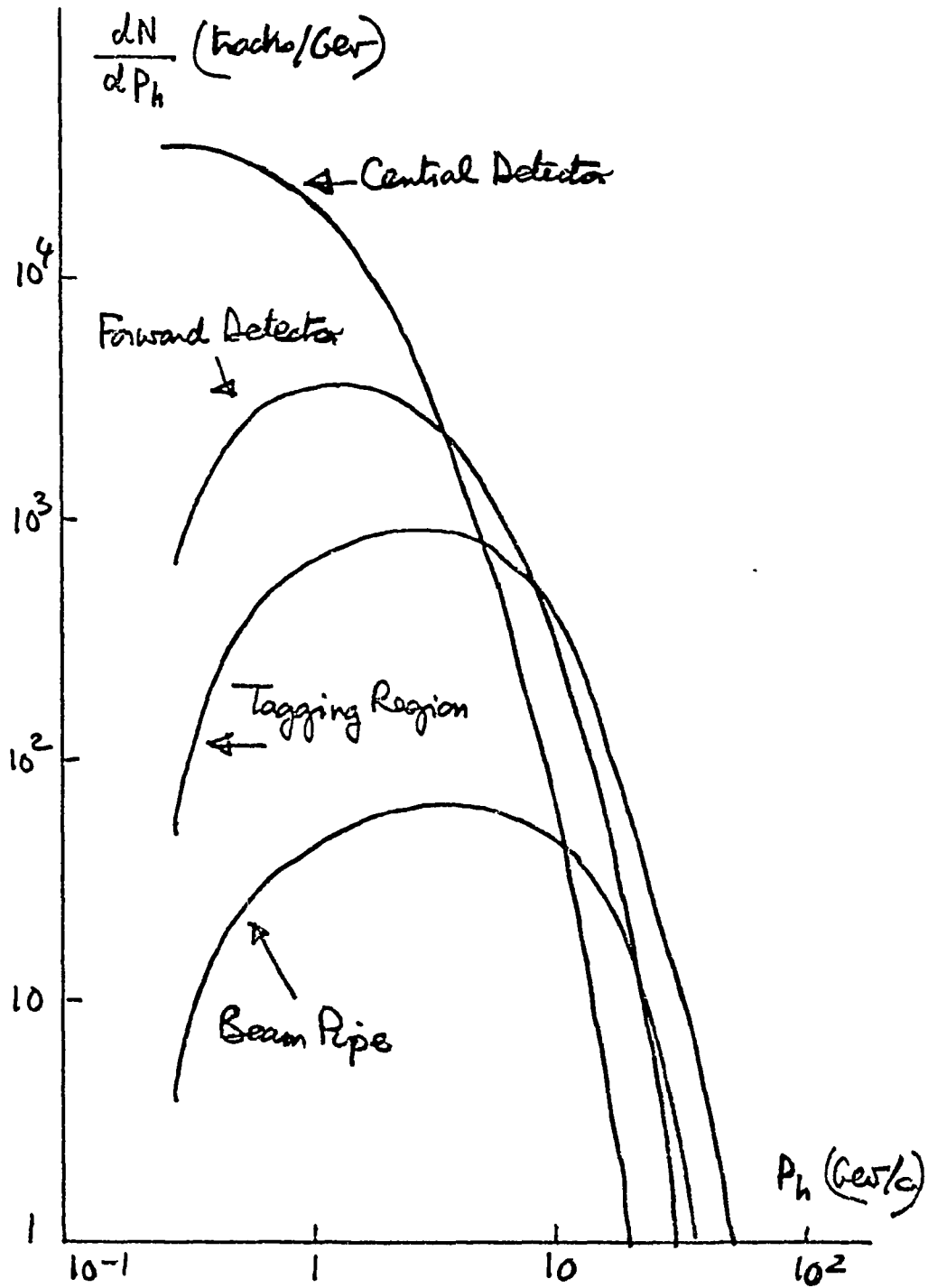


Figure 15 : Inclusive hadron spectra (M. Davier ECFA/LEP 26)  
 $e^+e^- \rightarrow e^+e^-q\bar{q}$  (high  $p_t$ )  
charged + neutral,  $E = 70$  GeV,  $10 < W_{\gamma\gamma} < 20$  GeV

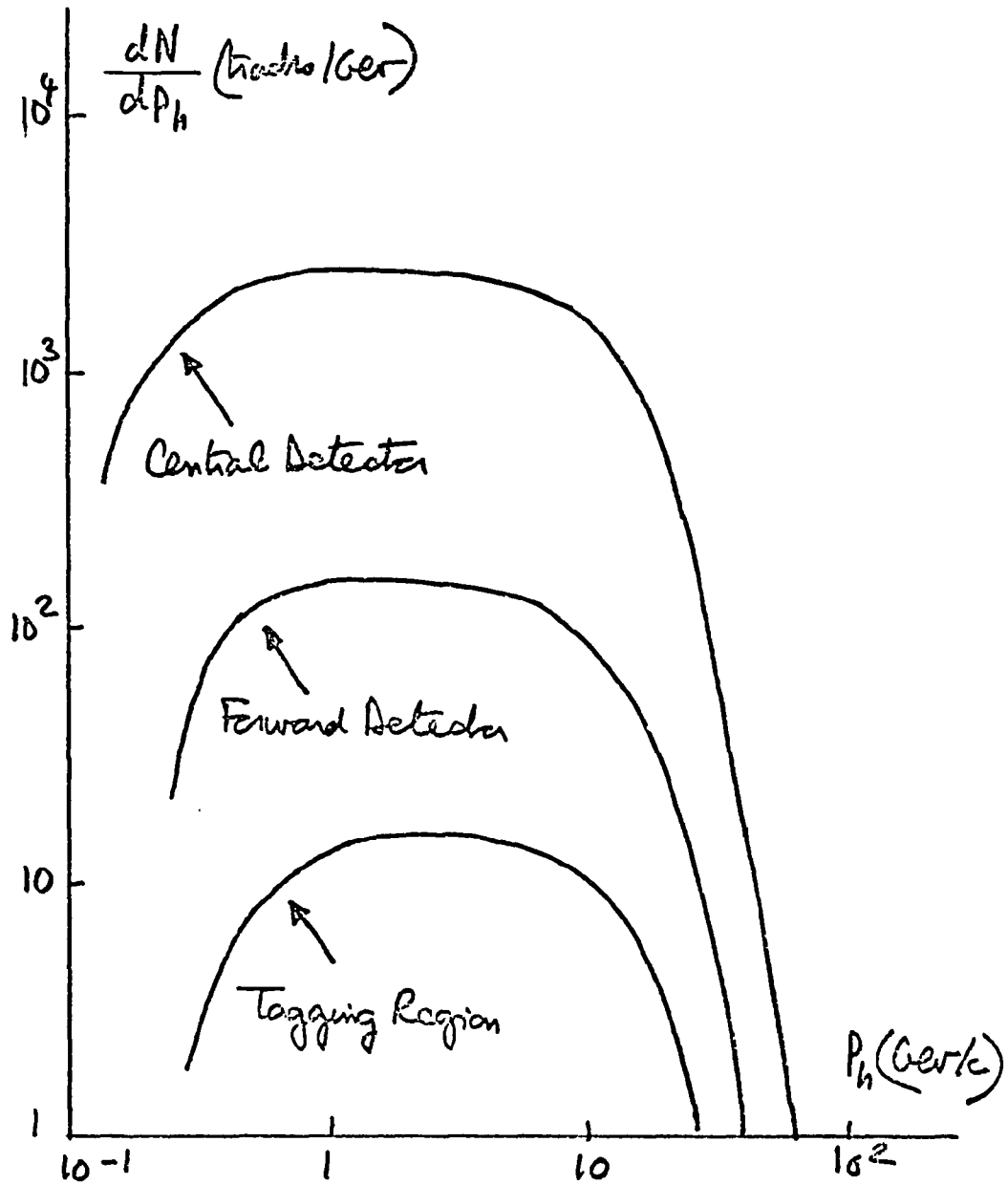


Figure 16 : Inclusive hadron spectra (M. Davier ECFA/LEP 26)  
 $e^+e^- \rightarrow q\bar{q}$  (annihilation)  
Charged + neutral,  $E = 70$  GeV,  $\Sigma \zeta = 10^{38}$   $\text{cm}^{-2}$

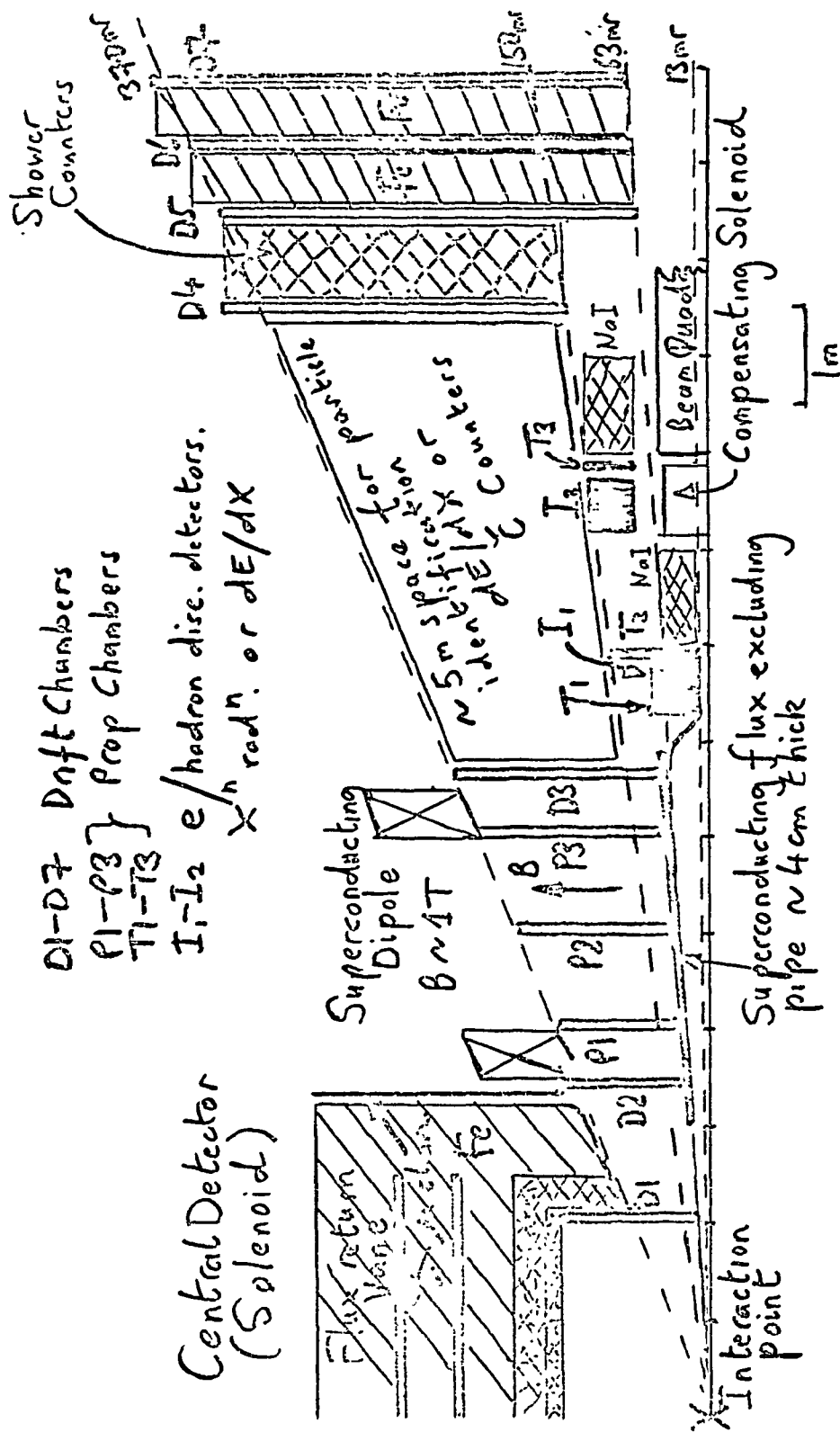


Figure 17 : LEP  $\gamma\gamma$  detector (plan view, one quadrant)



Process	Single Tag Rate Hz	Double Tag Rate Hz	Electron Energy Range
Signal: $e^+e^- \rightarrow e^+e^- + \text{hadrons}$ (no propagator suppression, see section 4.1)	0.11	0.015	$4 < E_e' < 67 \text{ GeV}$ (bremss. spectrum)
BBB: $e^+e^- \rightarrow e^+e^- \gamma$	11.6	$1.2 \times 10^{-3}$	" " " " " "
DBBB: $e^+e^- \rightarrow e^+e^- \gamma\gamma$	0.01	$< 0.002$	" " " " " "
BGB: e.g. $e^+e^- \rightarrow e^+e^- \gamma$	$2.7 \times 10^3$ ( $1.4 \times 10^5$ )	64 ( $1.4 \times 10^4$ )	Flat 0 - 50 GeV
Pair production on synchrotron radiation: $e\gamma \rightarrow ee^+e^- \gamma$	$\sim 10^3 - 10^4$	$\sim 10 - 10^3$	$1 < E_e' < 100 \text{ MeV}$ (peaked low)
Compton scattering on synchrotron radiation $e\gamma \rightarrow e\gamma$	$\sim 200$	$\sim 0.4$	$1 < E_e' < 1000 \text{ MeV}$ (peaked low)

Table 1 : Tagging Backgrounds

For BGB:  $p = 10^{-10}$  torr, in ( )  $p = 5 \times 10^{-9}$  torr      N.B. bunch crossing frequency = 54 kHz  
 $15 \text{ mrad} < \theta < 150 \text{ mrad}$ ,  $E = 70 \text{ GeV}$ ,  $L = 10^{32} \text{ cm}^{-2} \text{ sec}^{-1}$

Table 2 : Summary of  $\gamma\gamma$  Detector

I	II	III	IV	V	VI
0 - 12.5 mr	12.5 - 62.5 mr	62.5 - 75.8 mr	75.8 - 150 mr	150 - 367 mr	> 367 mr
Beam-pipe  Dead	Tagging, $B = 0$ NaI $\sigma_E/E = 0.02/E^{1/2}$ Prop <sup>n</sup> chambers  $\pi/e$ disc: 3 layers of X <sup>n</sup> rad <sup>n</sup> detectors† Length 60 cm $\pi/e$ rej: $10^3$ (2 GeV) e detection eff: $(.97)^3 = 0.91$ (2 GeV) No $\mu/\pi$ disc	Super- conducting pipe  Dead	Tagging, horiz. dipole field $B \sim 1T$ $\int Bd\ell = 3 Tm$ $\sigma p/p = 2 \times 10^{-4} p$  Drift chambers: $\sigma \sim 200 \mu$ NaI, Prop <sup>n</sup> ch. as II $\pi/e$ disc. as II $\pi/K$ T.o.F. $p < 1.5$ GeV K/p T.o.F. $p < 2.5$ GeV ( $\sigma_t = 0.2$ ns, 30 sep) $\mu/\pi$ disc $\sim 1$ m Fe few % rej.	$B$ ) as Drift Chambers ) IV E.M. Shower Detectors Pb-scintillator or liquid A $\sigma_E/E \sim 0.1/\sqrt{E}$ $\pi/K$ T.o.F. $p < 1.6$ GeV K/p T.o.F. $p < 2.7$ GeV $\pi/K/p$ separation at higher energies dE/dX or C counters in tandem $\mu/\pi$ disc as IV	Solenoid Modest Resolution $\sigma p/p \sim 0.01 - 0.03$ $\times p \sin \theta$  e.g. CELLO JADE TASSO

† See ref. 18.

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