

and energy loss. Following our previous analysis¹) we consider that at 40°, far enough from the grazing, as seen on table 1, 1i is near lcr the critical angular momentum. The fusion cross section data for Al, Ca and Co give for lcr values that are well reproduced by the interaction potential of Ngô⁵) for a critical radius $r_0 = 0.93$ fm ; we thus adopt the values so found for V and Y for which fusion cross sections dot no exist. Calculations with li = lcr + 1 and for a neck length of the order of \mathcal{S} = -0.5 (see table 1) that correspond to an interaction distance of about $d=1.1(x_1^{1/3}+A_2^{1/3})$ are represented on fig. 1. It is clearly noticeable perhaps with the exception of the Al, that the data are well reproduced by these calculations based on a fully equilibrated dinuclear complex formed by a maximum overlap of the colliding nuclei in the initial stage. The discrepancy found in the Al results may be explained, perhaps, by structure effects still to much pronounced in such a light target, by the symmetry of the entrance channel and also, due to these features, by a great sensibility of the evaporation corrections versus the threshold energy.

⁹, the situation is quite different ; the collisions are almost at for Y and Co with an overlap a little bit more important for the s. Then, the equilibrium is not yet established enough and the gy, in that case, is a function of the amount of nucleon transferof a transfer that grows with the degree of overlaping and thus the impact parameter and so, with the initial angular momentum. ude model of Simbel and Abul Magd ⁶) we get li as a function of Z other free parameter, 1gr and Rgr being extracted (see table 1) stic scattering results. The best fits represented on fig. 2 are h values of δ (see table 1) of the order of 5 fm ; as already s value that corresponds to the large deformation of the nuclei at notably larger than $\delta = 2$ fm usually used for fission results. will probably still be larger when the work of substracting the c component of the spectra will be done. The effect of this at increases (TKE) is clearly visible, particularly for Y and Co at $Z_F = 8$, 9 and 10. This in such a way that a preci the work that we are doing

In conclusion, the collisions and far from t¹ ambiguous as already notec a more precise analysis of



Fig.2. Same as fig. 1 but at 20° the laboratory and with values of L₂ deduced from the calculations ref. ⁶).

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ENERCY TRANSFER IN DEEPLY INELASTIC COLLISIONS WITH ²⁰Ne AT 151 MeV

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Recent investigations of the deep inelastic collisions (D.I. focused mainly their attention to the shape of the fragment spectra in the heavy ion collisions. For the projectile like fragments the these spectra is governed by two components : the quasi elastic pea high energy side of the spectra and the deep inelastic part at much energy. The first component is particularly important at forward an around the grazing angle but only for fragments corresponding to sm transfert of nucleons. Unhappily, these two components widely overl a way that it is very difficult to extract pure D.I.C. data. After previous analysis 1) done at the Grenoble Cyclotron with 20 Ne at 15 40 Ca then on 27 Al and 59 Co (to be published), we try to get more ac results by bombarding, always with ²⁰Ne, a lot of targets ranging f Bi and looking from only two angles, 20° and 40°, but with a good s In the paper, we study the final fragment average center of mass er for fragments between Z = 5 and Z = 14 and for some of the targets illustrated in fig. 1 and fig. 2.

As in the ref. ¹) we consider the total final kinetic energy of a crotating system at scission :

$$E_{\rm F} = V_{\rm coul} (d) + V_{\rm NUCL} (d) + F^2 \frac{11 (11 + 1)\hbar^2}{2 \mu d^2}$$

where $\mu_{\rm F}$ is the reduced mass of the exit channel, F is the ratio of channel angular momentum to the entrance channel angular momentum. the separation of the two mass center at scission :

$$d = 1.2 (A_1^{1/3} + A_2^{1/3}) + S$$

where δ is the neck length.

The kinetic energy calculated with V_{nucl} which is taken to be modi proximity potential 2,3) is then roughly corrected 4) and so, the of the emitted fragments, in order to take account for evaporation at $Z_F = 8$, 9 and 10. This effect is moreover mixed with the evaporation ones, in such a way that a precise analysis of the whole process is needed; this is the work that we are doing at the present.

In conclusion, the present data show that in the deep inelastic collisions and far from the total relaxation, the situation is still ambiguous as already noted by Betts and Di Cenzo 7). It seems however, that a more precise analysis of the experimental data done for various-systems and



Fig.2. Same as fig. 1 but at 20° in the laboratory and with values of $L_{\frac{1}{2}}$ deduced from the calculations of ref. ⁶).

at different energies may gives, with some more refinements of the theoretical approach, a much better understanding of the deep inelastic collisions mecanism.

Table 1

The different parameters used in the present analysis for collissions of $\frac{10}{10}$ for at 151 NeV on some targets : The graving angular momentum Lgr is deduced from the quarter-point $\theta_{1/6}$; the critical angular momentum Lcr is deduced a) from the fusion cross section and b) calculated with the interaction potential of HgB ⁵) for a critical radius $r_{\rm g}$ = 0.53 fm; the values for the much length $\frac{4}{3}$ are entracted from the best fits at 20⁹ and w0⁹.

| Largert | 0 _{1/0} (1mb) | ^L er | l _{et} | 6 - 0* (511) | S 200 (511) |
|-------------------------|---------------------------|-----------------|-----------------|-----------------|----------------|
| 27 _{AL} 13 | 6-2 | 53 | 38 a) | - 0.+7 | 5.0 |
| • ⁶ са 20 | 13.* | 65 | ₩ a) | - 0.75 | S.6 |
| 51 ₄ 23 | 15-1 | 71 | 40 b) , | 6.02 | 3.7 |
| ⁵⁹ ca 27 | 17.5 | 75 | 50 a) | - 0.23 | ə.3 |
| 19 ₄ 19 | 20.3 | Ph. 5 | 54 b) | - 0.31 | 3.9 |

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