

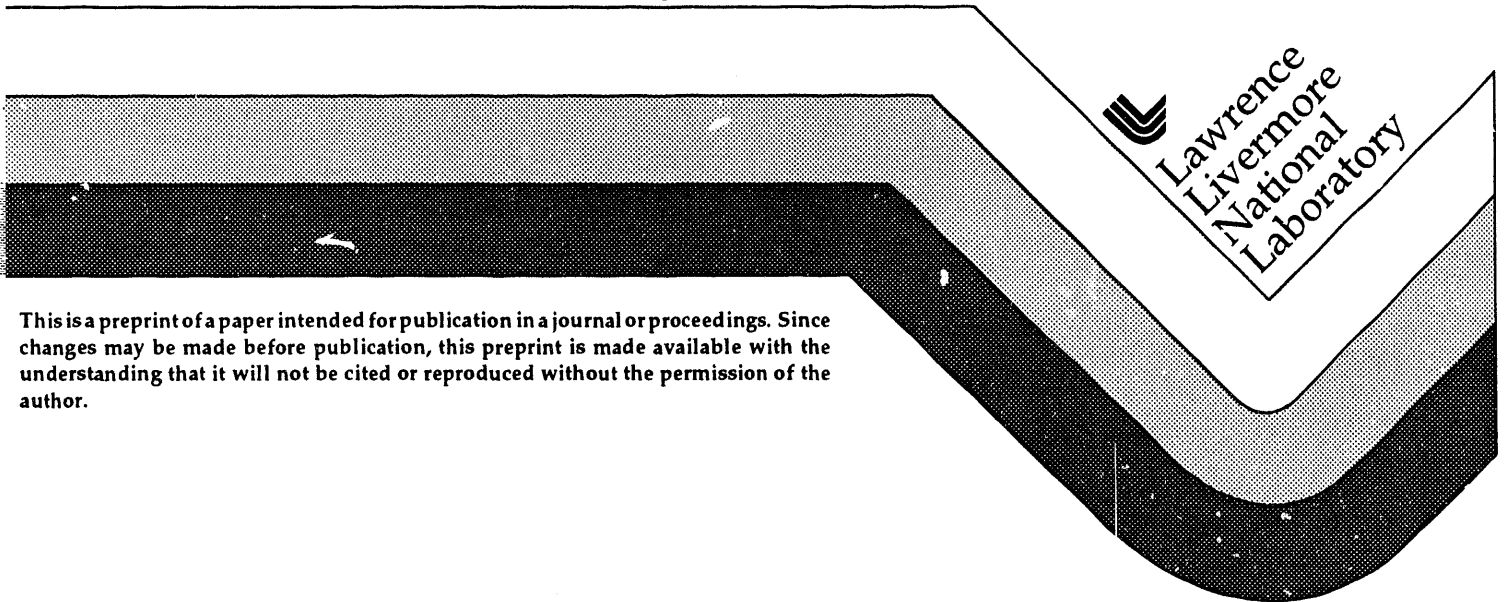
**1 of 1**

## Carbon Cycle Modeling Calculations for the IPCC

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# Carbon Cycle Modeling Calculations for the IPCC

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## Introduction

We have carried out essentially all the carbon cycle modeling calculations that were required by the IPCC Working Group 1. Specifically, IPCC required two types of calculations, namely, 'inverse calculations' (input was CO<sub>2</sub> concentrations and the output was CO<sub>2</sub> emissions), and the 'forward calculations' (input was CO<sub>2</sub> emissions and output was CO<sub>2</sub> concentrations). In particular, we have derived carbon dioxide concentrations and/or emissions for the following scenarios using our coupled climate-carbon cycle modelling system:

### *Inverse Calculations*

Stabilization scenarios: S350, S450, S550, S650, and S750 (Figs. 1a-d)  
Delayed scenarios: DS450 and DS550 (Figs. 1a-d)

### *Forward calculations*

IPCC emission scenarios: IS92a, IS92b, IS92c, IS92d, IS92e, and IS92f (Fig.2)  
The science scenarios: DEC0%, DEC1%, and DEC2% (Fig.3)

### *Impulse response function*

Initial case (10 Gt C pulse release in pre-industrial atmosphere) (Fig.4)  
Iper case (10 Gt C pulse release in 1995 atmosphere) (Fig.4)

### *<sup>14</sup>C calculations*

Mixed layer <sup>14</sup>C ratios from 1800 to 1990 (Fig.5)  
Ocean <sup>14</sup>C inventory for year 1974 (see text)

In the following we briefly describe our model and some of the main features of our model calculations.

## The Carbon Cycle Model

A newly developed globally averaged carbon cycle model has been used to estimate emissions and concentrations of CO<sub>2</sub> for required IPCC scenarios. The model consists of four reservoirs: atmosphere, biosphere, mixed layer of the ocean, and the deep ocean. The atmosphere and mixed layers are considered as well-mixed reservoirs. However, the deep ocean is treated as advective-diffusive medium with a continuous distribution of total inorganic carbon as described by one-dimensional conservation-of mass equation (Hoffert et al., 1981). The upwelling diffusion (UD) ocean includes the polar sea box which closes the thermohaline

circulation. In our UD model the physical transport processes are characterized by eddy diffusivity  $K$  and upwelling velocity  $w$ . To the model deep ocean an additional carbon source term is added that is associated with the oxidation of the organic debris containing the carbon removed in the mixed layer by photosynthesis. The dynamic ocean model parameters - the eddy diffusivity  $K$ , upwelling velocity  $w$ , and atmosphere-ocean exchange coefficient,  $k_{am}$  (or the corresponding gas exchange rate) - are determined by the calibration method based on matching the natural as well as bomb-produced  $^{14}\text{C}$ . The estimated values of  $K$ ,  $w$  and  $k_{am}$  are  $4700 \text{ m}^2/\text{yr}$ ,  $3.5 \text{ m}/\text{yr}$ , and  $0.13 \text{ per yr}$  (or the corresponding gas exchange rate  $17.8 \text{ mol}/\text{m}^2/\text{yr}$ ), respectively (Table 1).

The ocean buffer factor that summarizes the chemical re-equilibration of sea water with respect to  $\text{CO}_2$  variations is calculated from the set of chemical equations of borate, silicate, phosphate, and carbonate chemistry and the temperature-dependent rate constants as given by Peng et al.(1987).

There is an important feedback for the atmospheric  $\text{CO}_2$ , namely, the direct interaction of atmospheric  $\text{CO}_2$  with the deep ocean which is nearly free of excess  $\text{CO}_2$ . We have taken this feedback into account by introducing a polar sea feedback parameter,  $\pi_c$ , defined as the change in the surface concentration in the polar region relative to that in the non-polar region. This parameter is similar to that used by IPCC in their energy balance model to represent the variation of polar sea temperature. The value of  $\pi_c$  would lie between 0.0 and 1.0. For  $\pi_c = 0.4$ , the model estimated average  $\text{CO}_2$  uptake rate for the period 1980–1989 is  $2.1 \text{ GtC}/\text{yr}$  which is in good agreement with the IPCC estimates of  $2.0 \pm 0.8 \text{ GtC}/\text{yr}$ . Therefore, we have used  $\pi_c = 0.4$  in our model calculations.

For estimating the terrestrial biospheric fluxes, a six-box globally aggregated terrestrial biosphere submodel coupled to the atmosphere box has been used. The six boxes are ground vegetation, non woody tree parts, woody tree parts, detritus, mobile soil (turn over time 75 years), resistant soil (turnover time 500 years). The model equations that describe the rate of change of carbon in each boxes are those taken from Harvey(1989). The photosynthesis rate in the submodel is simulated by increasing carbon dioxide concentrations in the atmosphere by logarithmic law and a fertilization factor  $\beta = 0.42$ . The flow coefficients are temperature dependent according to an Arrhenius law. A one-dimensional upwelling-diffusion model of Harvey and Schneider (1985) is used to infer the surface temperature change and oceanic uptake of heat.

### Inverse Calculation

For the inverse calculations we have solved the following balance equation

$$E_{\text{tot}} = 2.123 N_a + F_{\text{oc}}$$

where net total emission  $E_{\text{tot}}$  is the sum of industrial emission ( $E_{\text{in}}$ ), land use emissions ( $E_{\text{ln}}$ ) and a miscellaneous sink ( $E_{\text{bs}}$ ).  $F_{\text{oc}}$  is the ocean flux. The factor 2.123 converts 1 ppmv of  $\text{CO}_2$  into GtC. In our calculations, we assume that the miscellaneous sink is represented by the biospheric sink through an enhancement of vegetation growth. Thus the net biospheric flux  $F_{\text{nb}} = F_{\text{ln}} - E_{\text{bs}}$ . The term  $F_{\text{oc}}$  is calculated from the prescribed observed atmospheric  $\text{CO}_2$  concentration  $N_a$ . The net biospheric flux ( $F_{\text{nb}}$ ) is calculated by subtracting well-known industrial emissions ( $E_{\text{in}}$ ) from the net total emission ( $E_{\text{tot}}$ ). Fig. 6 shows the model estimated  $\text{CO}_2$  fluxes from 1765 to 1990 for the inverse calculation.

## Net Land Use Emissions

Our major uncertainties about the CO<sub>2</sub> sinks arise from the lack of direct measurements of terrestrial biospheric fluxes. The estimates of biotic emissions of the time course differ widely. Studies on isotopes show a maximum biotic CO<sub>2</sub> release in the late 19th or early 20th century with a progressive reduction thereafter. In contrast, a study based on ecological reconstruction show a generally increasing rate of release reaching a maximum between 1950 and 1980 (although less steep than of the fossil CO<sub>2</sub>) (Houghton, 1991). Recent estimates of the release of carbon from terrestrial ecosystems as a result of deforestation and reforestation, for year 1990, range between 1.5 and 2.7 GtC (Houghton, 1991) which are about 50% higher than those in 1980. The net release of carbon from changes in land use worldwide is inconsistent with the results of geochemical models of the carbon cycle. Therefore, the modelers have had to rely on model parameterizations to estimate the emission of CO<sub>2</sub> from deforestation and land use. The net land use emissions in our calculations are derived by means of an inverse method. Usually the input to the terrestrial biosphere submodel is net land use emissions and the output is net biospheric fluxes. We run the biosphere submodel in an inverse mode using the net biospheric flux ( $F_{nb}$ ) as input and obtain the net land use emissions. For consistency, we run the model in normal model using the net land use emissions as input. Fig. 7 clearly indicates that the net biospheric fluxes are remarkably similar in both modes. IPCC supplied net biospheric emissions are also shown in the figure for comparison that are based on changes in land use. The IPCC estimates indicate a continuous increasing trend during 1765 to 1990. In contrast to IPCC estimates, our model results show an increasing trend in the 19th century and beginning with 1900 a slow decrease and then rapid increase starting in the late 1970s. These trends are consistent with the isotopic measurement. For period 1980 to 1989, our model estimated emissions from land use of 1.6 GtC/yr are in agreement with the IPCC estimate of  $1.6 \pm 1.0$  GtC/yr. The model derived value for 1990 was 1.7 GtC.

## Impulse Response Curves

Fig. 4 shows the impulse response curves derived for the requested cases. For all the cases the pulse is 10 Gt C as proposed by IPCC. However, the time of the pulse given is different for both the cases. In the 'equilibrium case' the pulse is instantaneously injected into the steady state atmosphere. In the 'perturbation case' the model was initialized to a 278 ppmv steady-state at year 1765. The ocean model was then run from 1765 to 1990, with the specified total CO<sub>2</sub> emissions as obtained from the inverse calculations. From 1990 onwards, the model was run with the S650 emission scenario both with and without an additional 10 Gt C pulse injected into the 1995 atmosphere. It is interesting to note that the impulse response function is sensitive to the initial state of the ocean-atmosphere system into which CO<sub>2</sub> is emitted. This is due to the fact that in our model the CO<sub>2</sub> flux from the atmosphere to the mixed layer is a nonlinear function of ocean surface total carbon which appears in the buffer factor  $\xi$ . At the pre industrial time, short term CO<sub>2</sub> absorption capacity of ocean was higher. Therefore in the first fifty years the decay of the CO<sub>2</sub> was more rapid in the equilibrium case than in the perturbation case. When the industrial production continues to increase,  $\xi$  will rise with the partial pressure of CO<sub>2</sub> in the mixed layer. At the same time the short term capability of the oceans to absorb CO<sub>2</sub> from the atmosphere will decrease. Fig. 4 also shows that the response functions for both cases (perturbation and equilibrium cases) are similar when  $\xi$  remains constant with time.

## Bomb $^{14}\text{C}$ Inventories

The average oceanic inventory of bomb- $^{14}\text{C}$  is determined by integrating the difference between the pre-bomb (1950) and post-bomb (1974) vertical profiles. An average model estimated total  $\text{CO}_2$  concentration of  $2.31 \text{ mol/m}^3$  is used to convert model  $^{14}\text{C}$  units into  $^{14}\text{C}$  inventories. The model estimated bomb- $^{14}\text{C}$  and the penetration depth are  $8.4 \times 10^{13} \text{ atom/m}^2$  and 310 m, respectively.

## Major Findings

The model described here to account for  $\text{CO}_2$  and exchange with the deeper regions of the world ocean has been calibrated using the distributions of natural as well as of bomb-produced  $^{14}\text{C}$ . It is based on an admittedly simplified view of large-scale thermohaline circulation leading to a world ocean depicted as an upwelling-diffusion 1-D model with recirculation of polar bottom water in a polar sea. Despite its simplicity, the model is able to consistently simulate different phenomena of the global carbon cycle, in particular the steady state  $^{14}\text{C}$  (Fig. 8) and inorganic carbon (Fig. 9) distribution in the deep ocean, the anthropogenic  $\text{CO}_2$  increase, and the corresponding  $\text{CO}_2$  dilution effect (Suess effect) (Fig. 5) as well as bomb produced  $^{14}\text{C}$  distribution in the ocean (Fig. 10). Finally, the biospheric component of the model is also able to predict the emissions due to land use changes and net biospheric fluxes (Fig. 7).

## Acknowledgments

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## Figure Captions

- Figure 1: Model estimated changes in (a) total CO<sub>2</sub> emissions (b) Net biospheric fluxes (c) fossil fuel emissions and (d) ocean fluxes for stabilization scenarios S350-750 and delayed scenarios DS450 and DS550 for the period 1990 to 2300.
- Figure 2: Model estimated concentrations of CO<sub>2</sub> from 1990 to 2100 for the IPCC emission scenarios IS92a-f.
- Figure 3: Model estimated concentrations of CO<sub>2</sub> from 1990 to 2100 for the science scenarios DEC0% , DEC1% , and DEC2%.
- Figure 4: Model response of atmospheric CO<sub>2</sub> to a pulse of 10 GtC for the Perturbation (Ipert) and the Equilibrium (Iinit) cases. In the Iinit case, pulse is released in pre-industrial atmosphere and in the perturbation case, pulse is released in 1995 atmosphere.
- Figure 5: Model estimated <sup>14</sup>C concentration (‰) in mixed layer from 1800 to 1990. These concentrations are calculated from the observed atmospheric <sup>14</sup>C concentration data also shown in the figure. The atmospheric values are the average values of the northern (extra tropical), southern (extra tropical) and equatorial regions as compiled by M. Heimann for IPCC.
- Figure 6: Result from the inverse calculation by using the CO<sub>2</sub> concentration history as an input from 1765 to 1990. The calculations yield the total CO<sub>2</sub> emissions. The net biospheric fluxes are estimated by subtracting the fossil emissions from the total emissions.
- Figure 7: Model estimated annual net land use emissions and net biospheric fluxes for the period 1765–1990. The figure also shows the comparison of the modeled with the observed emissions from IPCC.
- Figure 8: Comparison of the model estimated steady-state <sup>14</sup>C (‰) in the deep ocean with the observed data. The observed estimated values are taken from Siegenthaler and Joos(1992)
- Figure 9: Comparison of the model estimated steady-state total inorganic carbon (mole/m<sup>3</sup>)with the observed data in the deep ocean. The observed data is the globally averaged data estimated from the GEOSECS data (Takahashi et al., 1981).
- Figure 10: Comparison of the model estimated bomb-produced <sup>14</sup>C (‰) in the deep ocean with the observed data. The observed values, estimated from the GEOSECS data, are taken from Siegenthaler and Joos(1992).

Table 1 Values of the parameters for the carbon cycle model

CO <sub>2</sub> concentration in pre-industrial atmosphere	278 ppm
CO <sub>2</sub> mass in pre-industrial atmosphere	590 Gt C
CO <sub>2</sub> mass in pre-industrial mixed layer	676 GT C
Carbon concentration in pre-industrial mixed layer	2.05 mol m <sup>-3</sup>
Carbon concentration in the pre-industrial polar sea	2.37 mol m <sup>-3</sup>
CO <sub>2</sub> biospheric mass in pre-industrial ocean	2327 Gt C
<sup>14</sup> C concentration in pre-industrial atmosphere	1 (0‰)
<sup>14</sup> C concentration in pre-industrial mixed layer	0.95 (-50 ‰)
<sup>14</sup> C concentration in pre-industrial polar sea	0.85 (-150‰)
Average <sup>14</sup> C concentration in pre-industrial ocean below 75 m	0.84 (-160 ‰)
Average depth of the mixed layer	75m
Average depth of the deep ocean	4000m
Ocean surface area	3.62×10 <sup>14</sup> m <sup>2</sup>
Eddy diffusivity K	4700 m <sup>2</sup> yr <sup>-1</sup>
Upwelling velocity w	3.5 m yr <sup>-1</sup>
Gas exchange rate at 278 ppmv	14.9 (mol m <sup>2</sup> yr <sup>-1</sup> )
Buffer factor for excess CO <sub>2</sub>	see text
Decay constant of <sup>14</sup> C	1/8267 yr
Fertilization Factor β	0.42
Bottom water surface concentration feedback parameter Πc	0.4

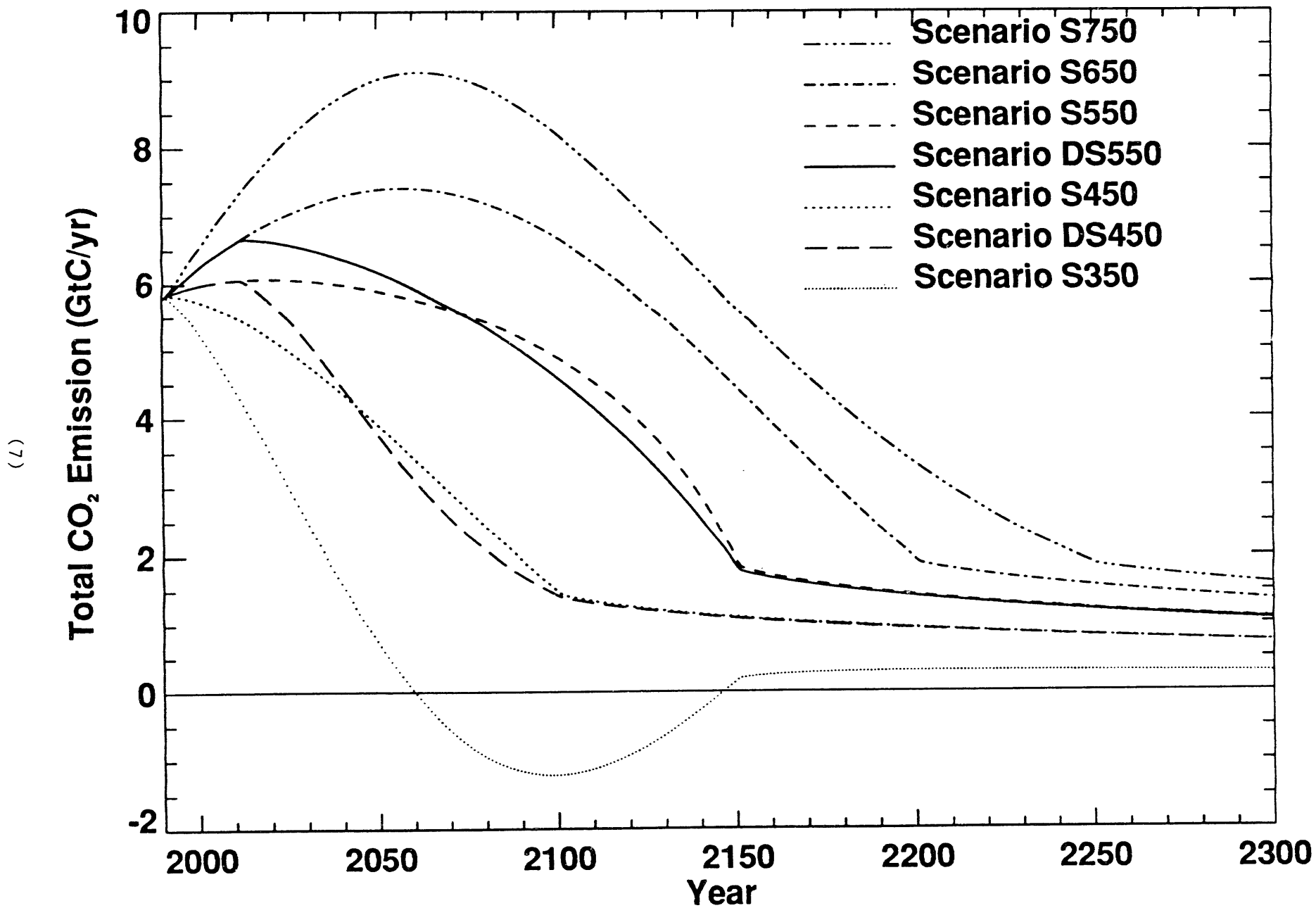


Figure 1A

(8)

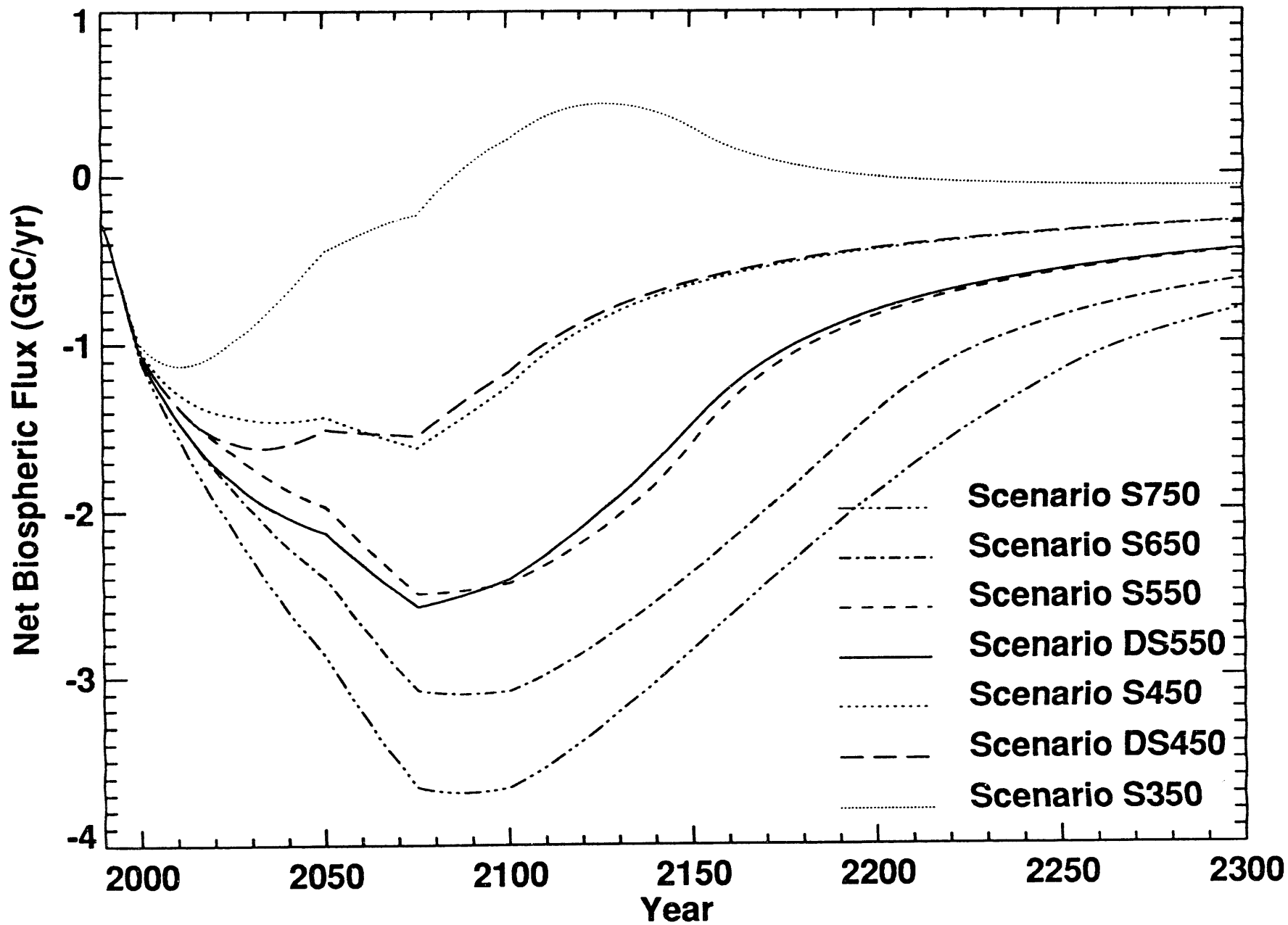


Figure 1B

(6)

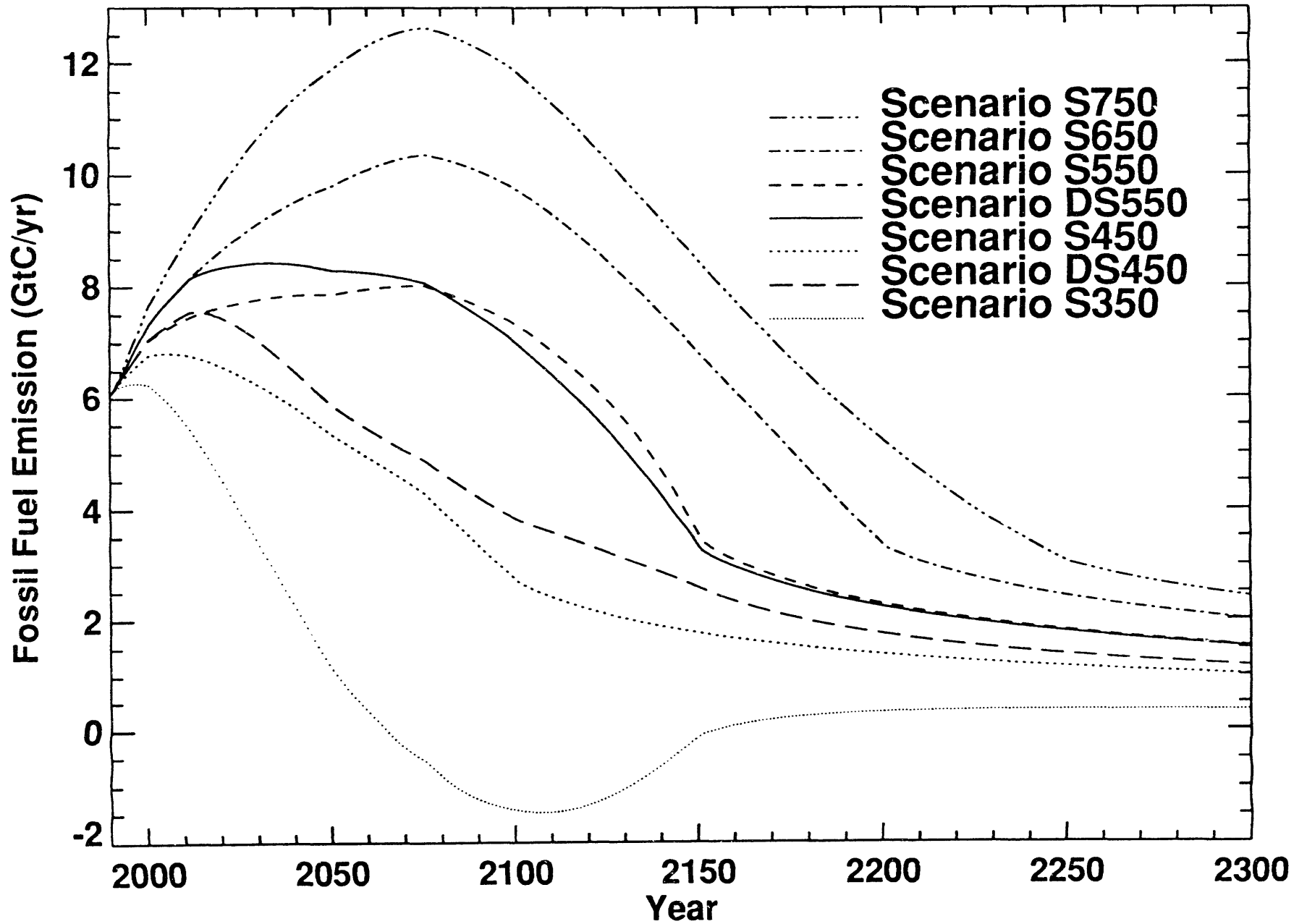
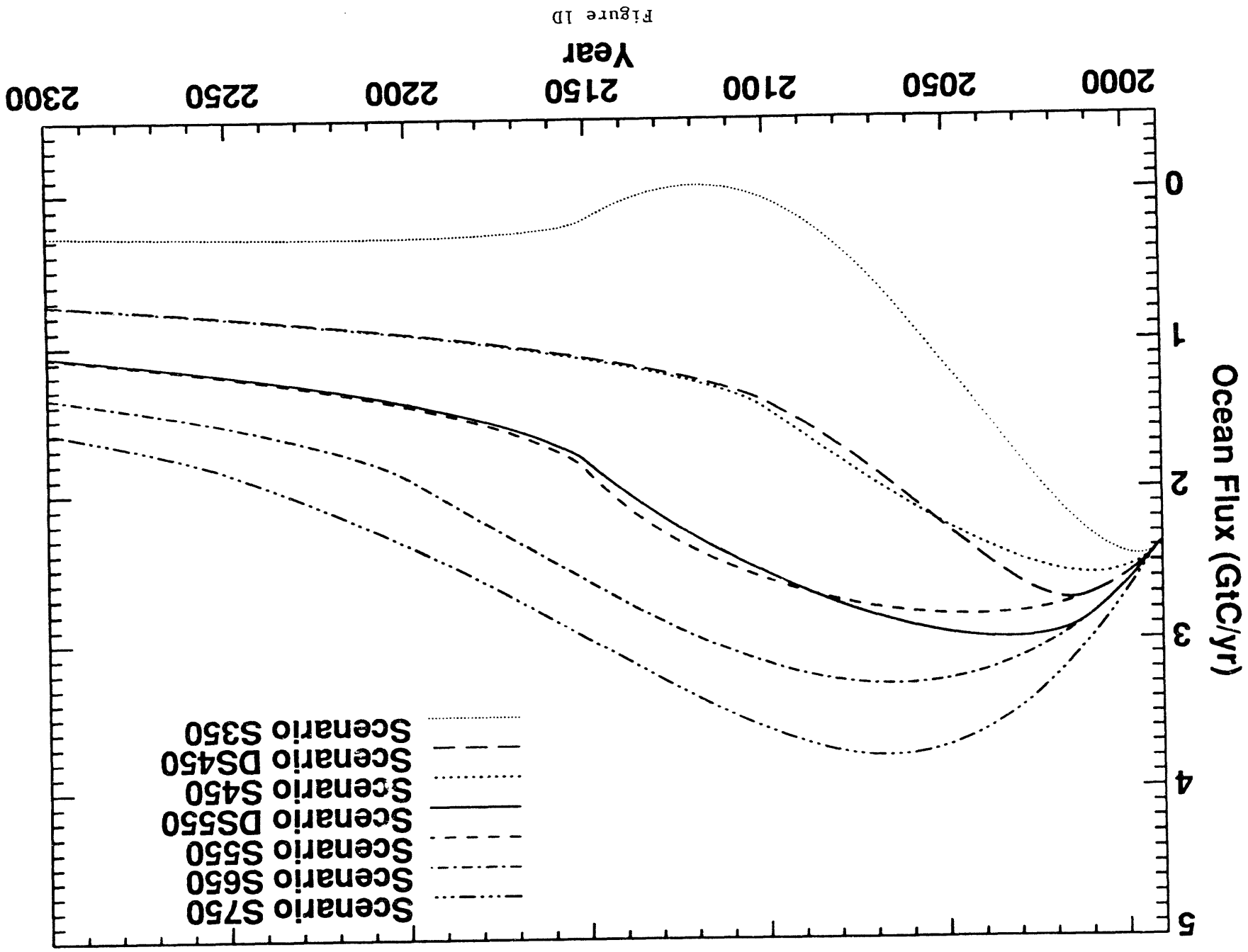


Figure 1C



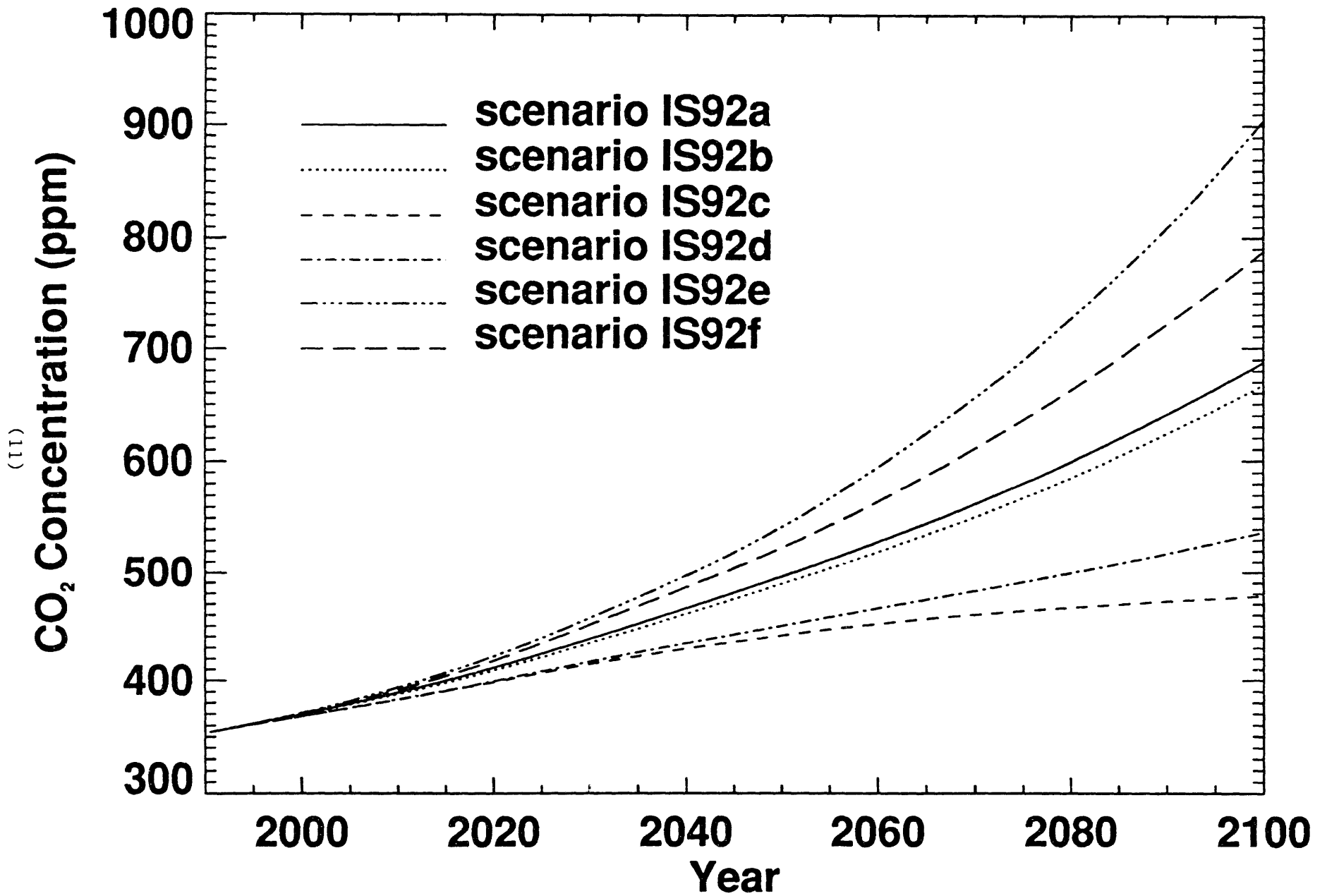


Figure 2

(12)

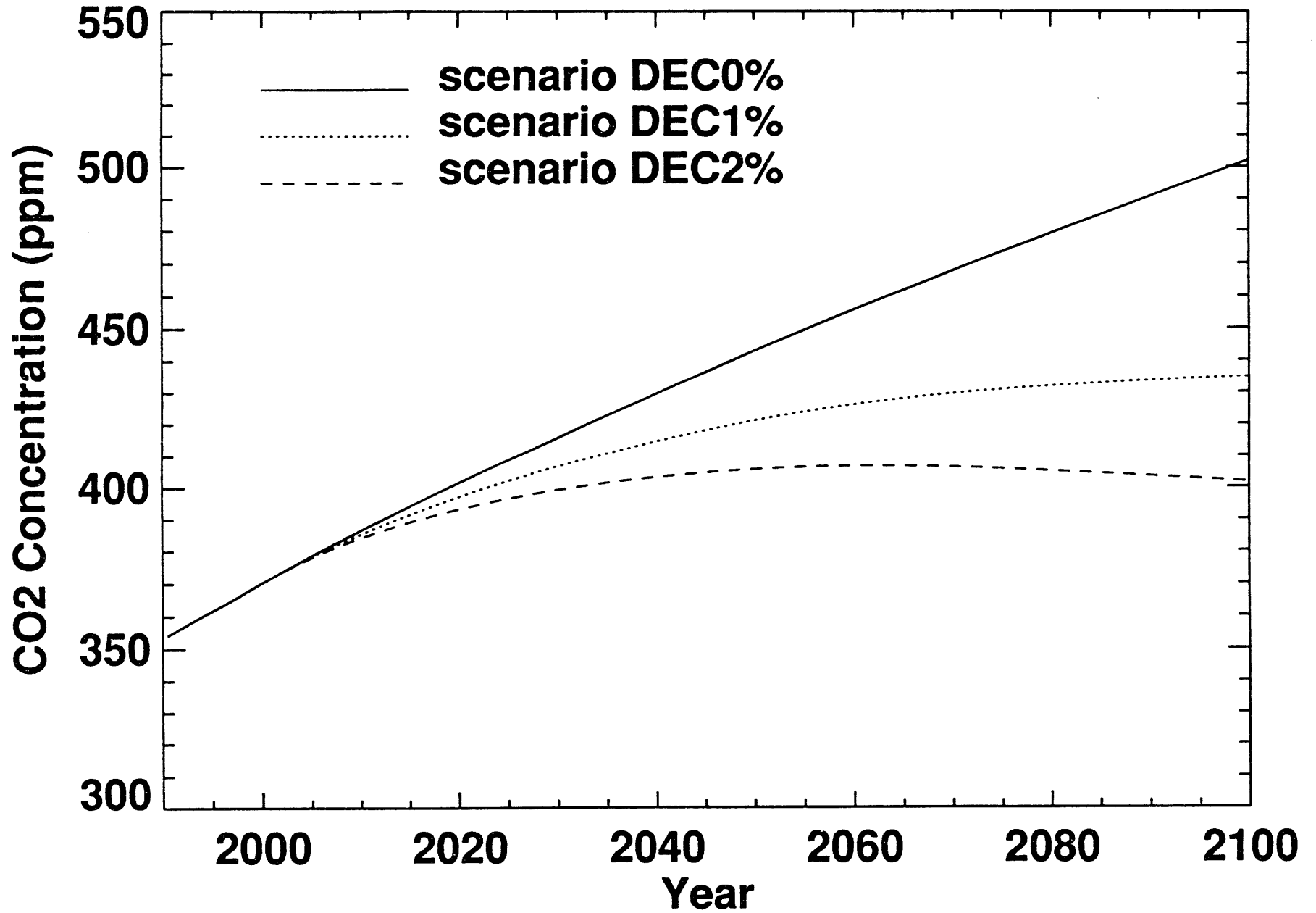


Figure 3



(13)

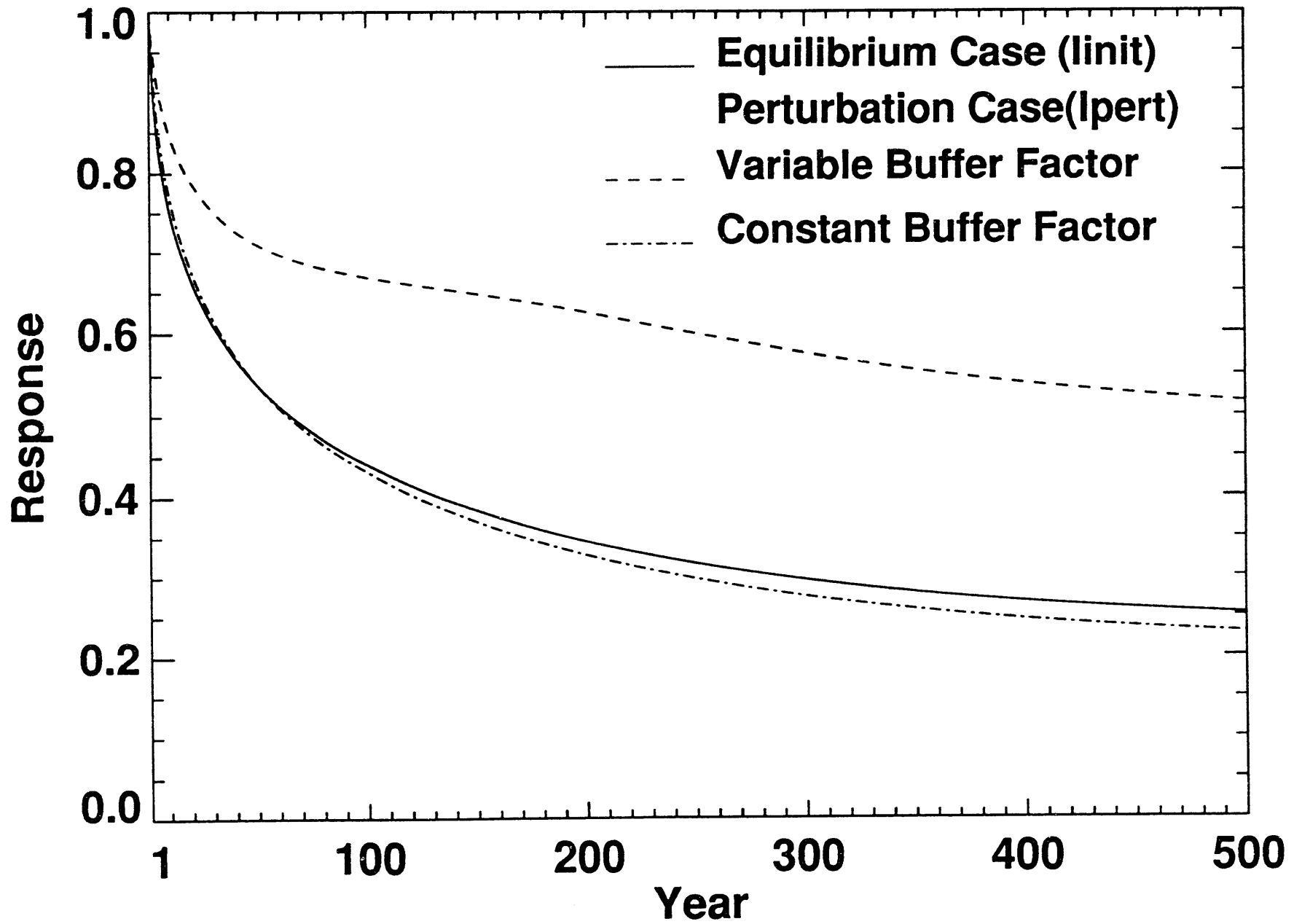


Figure 4

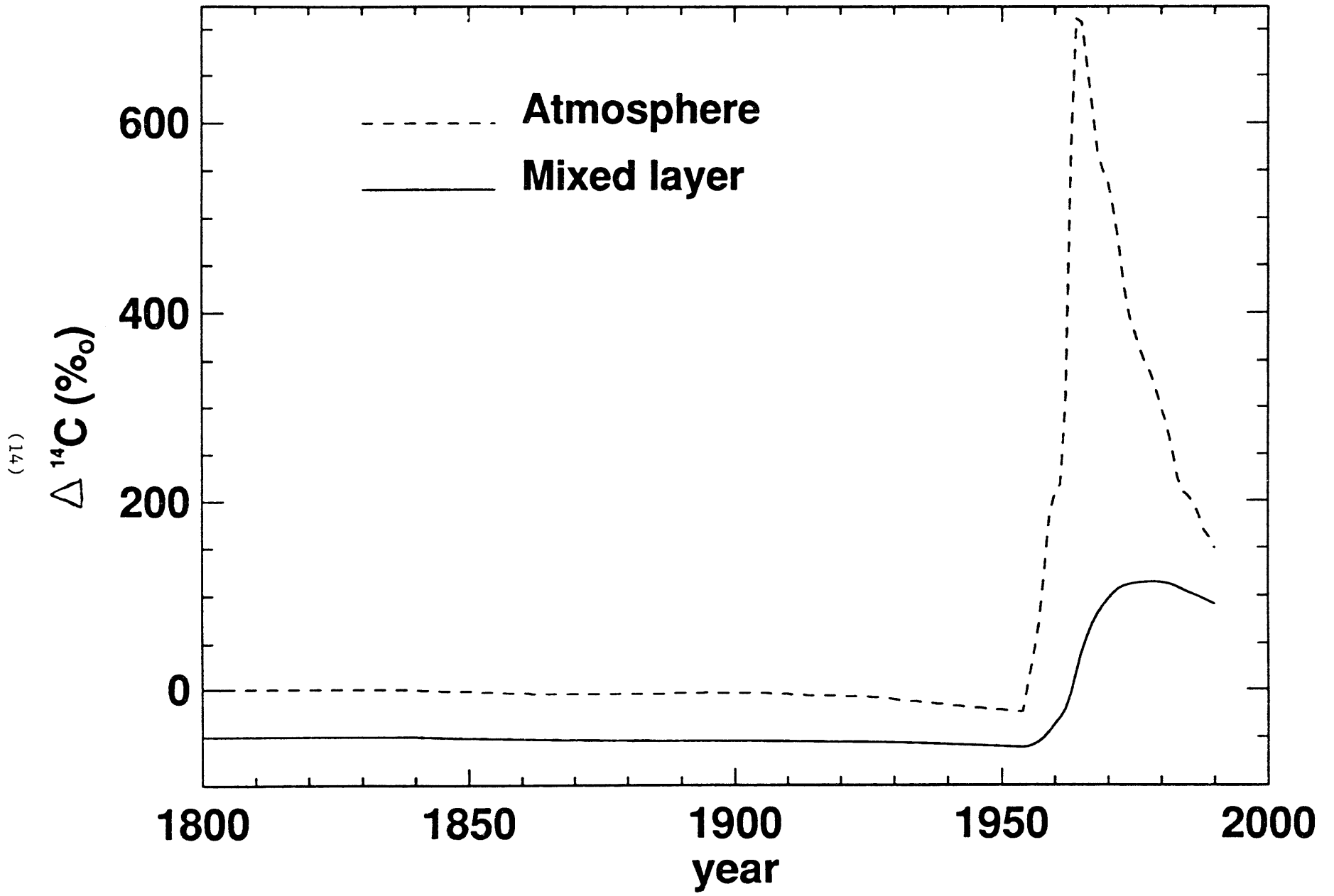


Figure 5

(15)

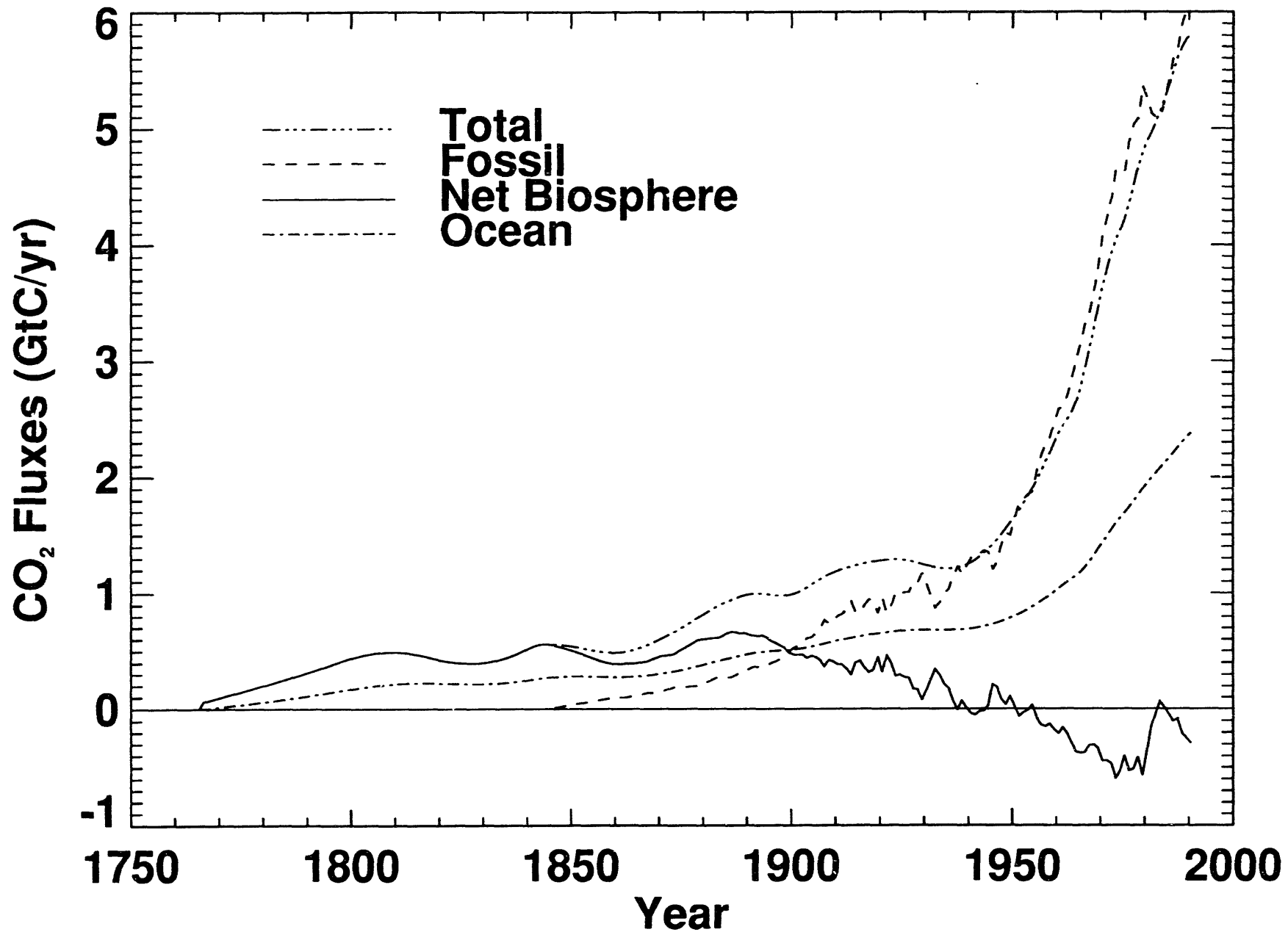


Figure 6

(91)

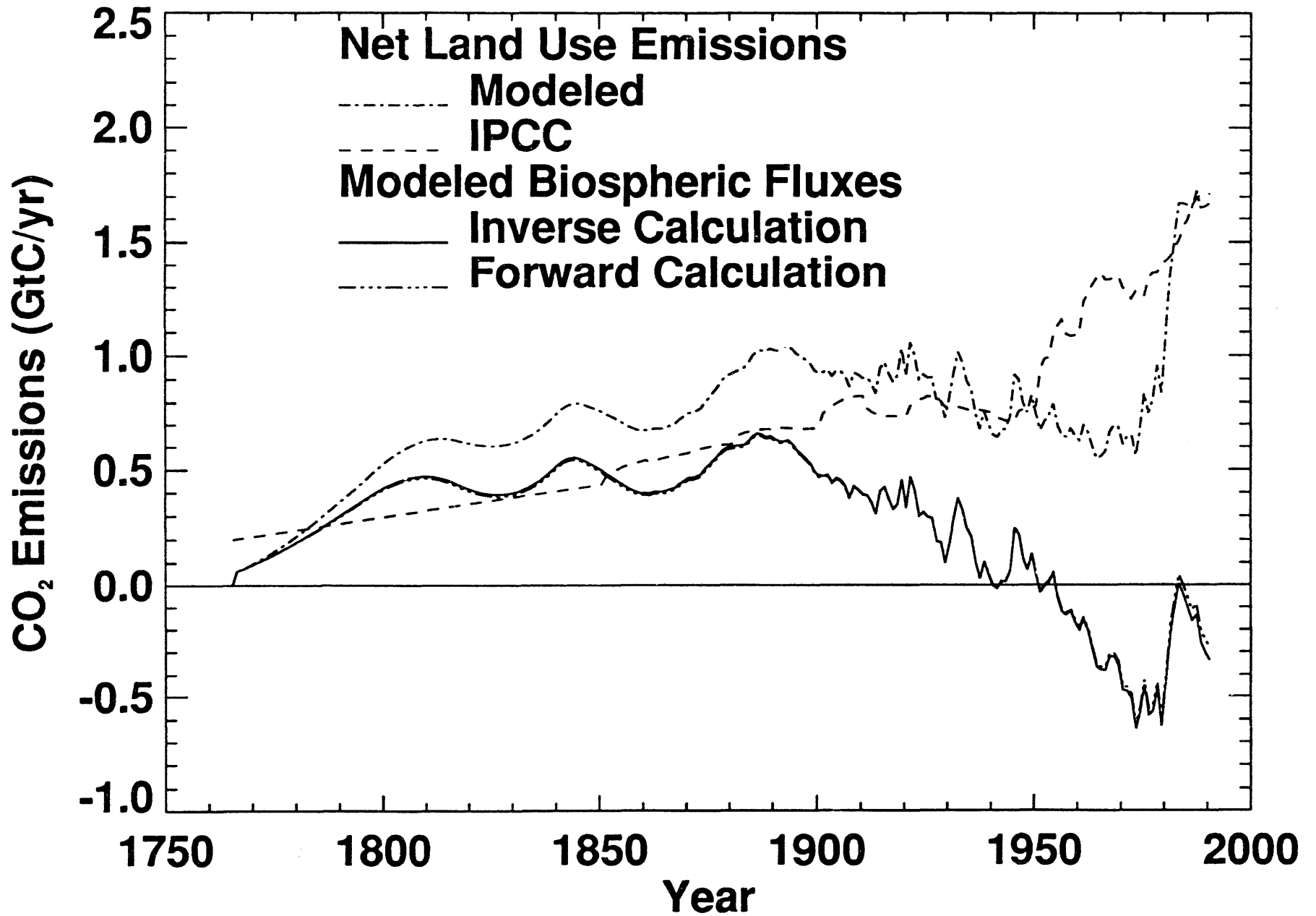


Figure 7

# Steady-State

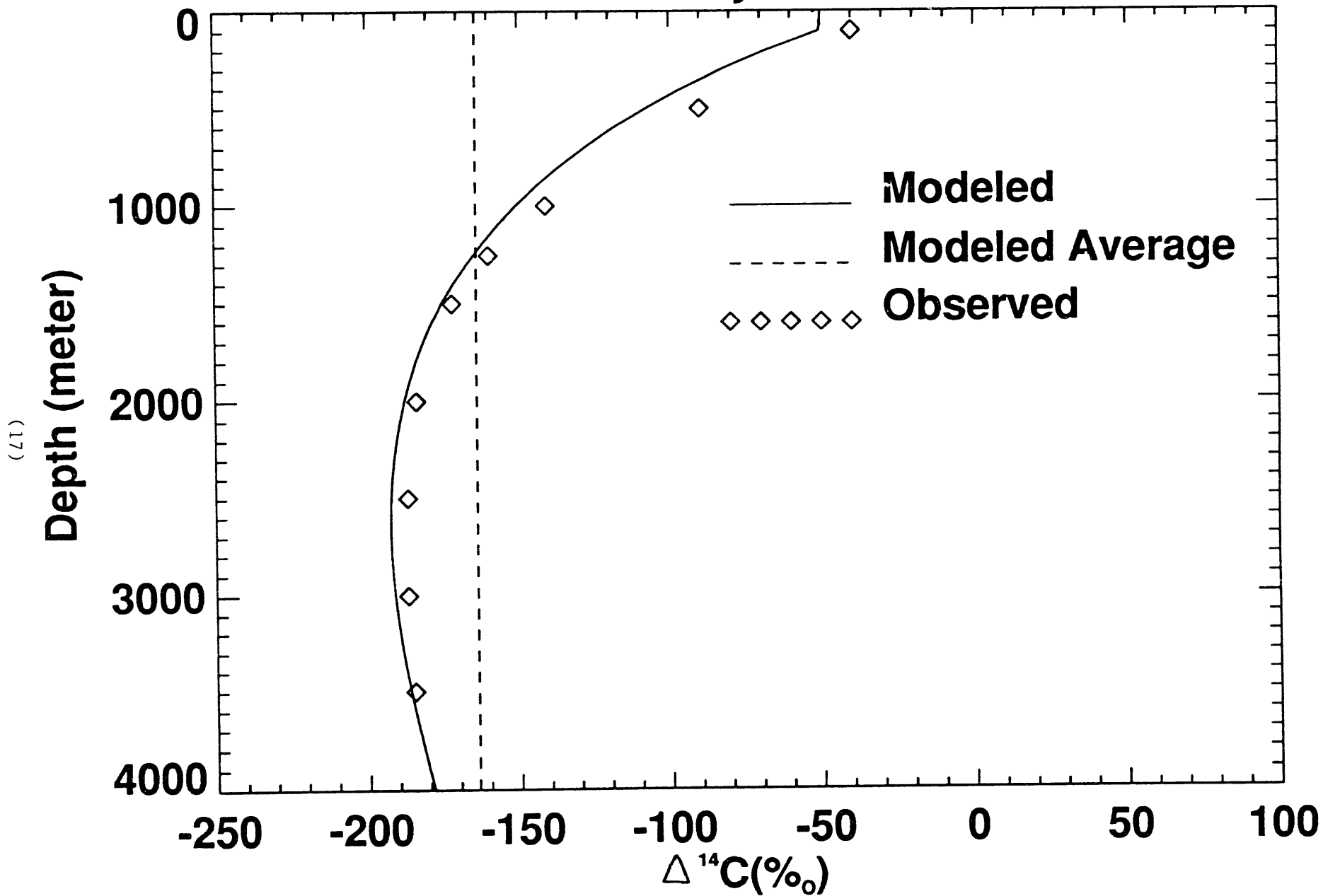


Figure 8

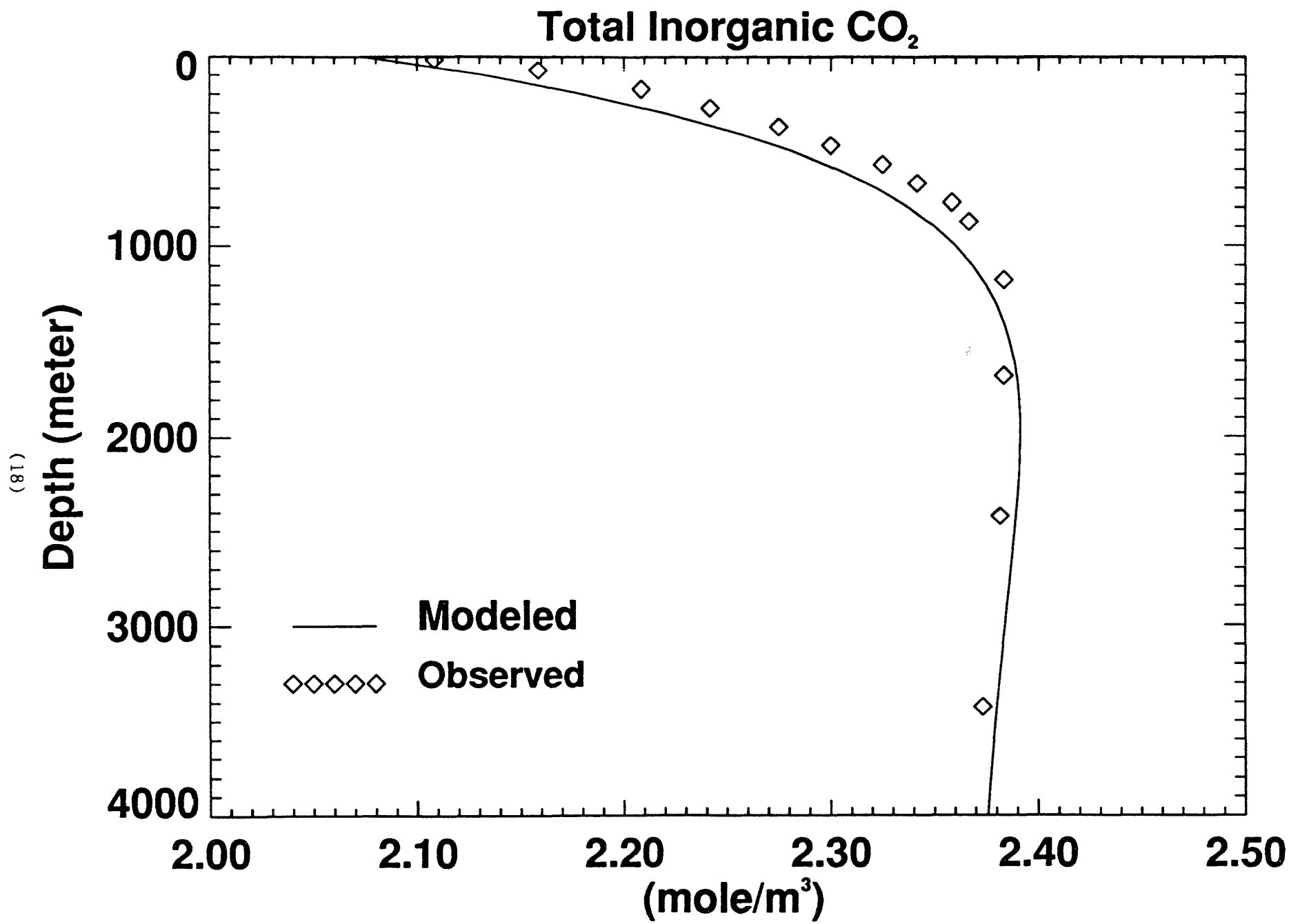


Figure 9

# Bomb-Produced

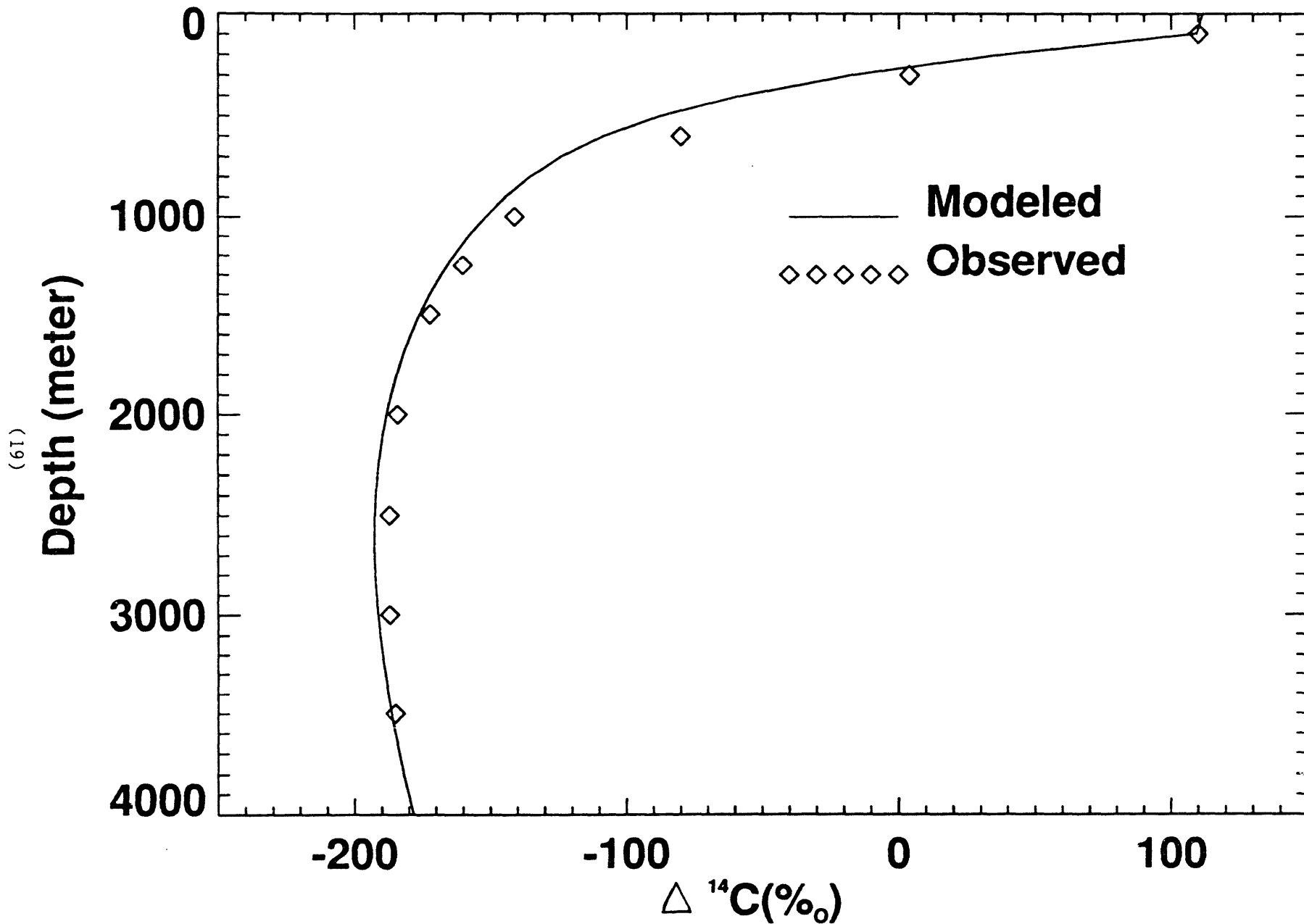


Figure 10

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